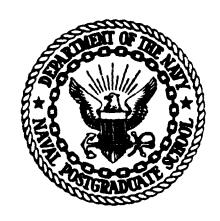




NAVAL POSTGRADUATE SCHOOL Monterey, California



THESIS

EFFECTS OF CONDENSATE INUNDATION
AND VAPOR VELOCITY ON HEAT
TRANSFER IN A CONDENSER TUBE BUNDLE

ρv

Paul Jeffrey Noftz

June 1982

Thesis Advisor:

Dr. P.J. Marto

Approved for public release; distribution unlimited.

Prepared for: David Taylor Naval Ship Research and Development Center Bethesda, Maryland

Naval Postgraduate School Monterey, California

Rear Admiral John J. Ekelund Superintendent

David A. Schrady Provost (Acting)

This thesis is prepared in conjunction with research supported in part by David Taylor Ship Research and Development Center under N00167-82-WR2-0114.

Reproduction of all or part of this report is authorized.

Released as a Technical Report by:

William M. Tolles Dean of Research SECURITY CLASSIFICATION OF THIS PAGE (When Date Entered)

REPORT DOCUMENTATION PAGE	READ INSTRUCTIONS BEFORE COMPLETING FORM
	3. RECIPIENT'S CATALOG NUMBER
4. TITLE (and Subtitio)	S. TYPE OF REPORT & PERIOD COVERED
Effects of Condensate Inundation and	Master's Thesis;
Vapor Velocity on Heat Transfer in a	June 1982
Condenser Tube Bundle	6. PERFORMING ORG. REPORT NUMBER
7. AUTHOR(s)	B. CONTRACT OR GRANT HUMBER(s)
Paul Jeffrey Noftz	
PERFORMING ORGANIZATION NAME AND ADDRESS	16. PROGRAM ELEMENT, PROJECT TASK
Naval Postgraduate School	
Monterey, California 93940	62543: SF43400391
	N00167-82-WR2-0114
CONTROLLING OFFICE NAME AND ADDRESS	12. REPORT DATE
David Taylor Naval Ship Research	June 1982
and Development Center	13. NUMBER OF PAGES
Bethesda, Maryland	188
MONITORING AGENCY HAME & ADDRESS(I different from Controlling Office)	18. SECURITY CLASS, (of this report)
	Unclassified
	184. DECLASSIFICATION/DOWNGRADING

Approved for public release; distribution unlimited.

17. DISTRIBUTION STATEMENT (of the obstract entered in Block 26, if different from Report)

18. SUPPLEMENTARY NOTES

19. KEY WORDS (Continue on reverse side if necessary and identify by Mest number)

Horizontal Tube Bundle Heat Transfer Coefficients Vapor Velocity Condensate Inundation

20. ABSTRACT (Continue on reverse side if necessary and identify by block mather)

A five-tube column test condenser was modified to facilitate easier tube removal and installation and to allow for the simulation of larger depth tube bundles. Heat transfer coefficients were then determined for sixty-two runs conducted at steam supply pressures of 35, 40, 45, and 50 psig with the system operated at test condenser pressures of approximately 2 and 15

and the second s

DD 1 JAN 73 1473 EDITION OF 1 NOV 65 IS OSSOLETE

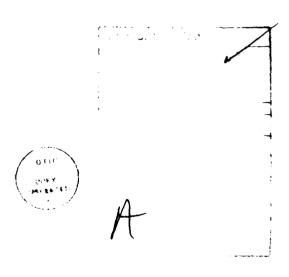
SECURITY CLASSIFICATION OF THIS PAGE (Then Dora Entered)

SECURITY CLASSIFICATION OF THIS PAGE/FROM Rate Belond

psia. Each run was five minutes long with temperature, pressure, and flow rate data taken at one minute intervals.

The results revealed that the average tube wall temperature and the heat transfer coefficients for a given tube of a tube bundle increased as the mean vapor velocity increased, but decreased as the amount of condensate inundation increased. The experimentally obtained values for the heat transfer coefficients were compatible with the Nusselt predictions for the runs conducted at 15 psia, but greatly exceeded the Nusselt predictions for the runs conducted at 2 psia. However, for the 2 psia runs, the heat transfer coefficients for the top tubes agreed closely with an experimental correlation proposed by Fujii. The simulation of a tube bundle of more than five active tubes per column at the 2 psia test condenser pressure demonstrated heat transfer coefficients closer to the Nusselt theory than when only five active tubes were considered.

Recommendations to improve the test apparatus and to conduct additional tests are provided.



DD Form 1473 S/N 0102-014-6601

SECURITY CLASSIFICATION OF THIS PASSIFING DOTO Entered

Approved for public release; distribution unlimited.

Effects of Condensate Inundation and Vapor Velocity on Heat Transfer in a Condenser Tube Bundle

bу

Paul Jeffrey Noftz Lieutenant, United States Navy B.S., Ohio University, 1972

Submitted in partial fulfillment of the requirements for the degree of

MASTER OF SCIENCE IN MECHANICA' ENGINEERING

from the

NAVAL POSTGRADUATE SCHOOL June 1982

Approved by:

Approved by:

Chairman, Tepartment of Mechanical Engineering

Dean of Science and Engineering

ABSTRACT

A five tube column test condenser was modified to facilitate easier tube removal and installation and to allow for the simulation of larger depth tube bundles. Heat transfer coefficients were then determined for sixty-two runs conducted at steam supply pressures of 35, 40, 45, and 56 psig with the system operated at test condenser pressures of approximately 2 and 15 psia. Each run was five minutes long with temperature, pressure, and flow rate data taken at one minute intervals.

The results revealed that the average tube wall temperature and the heat transfer coefficients for a given tube of a tube bundle increased as the mean vapor velocity increased, but decreased as the arount of condensate inundation increased. The experimentally obtained values for the neat transfer coefficients were compatible with the Nusselt predictions for the runs conducted at 15 psia, but greatly exceeded the Nusselt predictions for the runs conducted at 2 psia. However, for the 2 psia runs, the heat transfer coefficients for the top tubes agreed closely with an experimental correlation proposed by Fujii. The simulation of a tube bundle of more than five active tubes per column at the 2 psia test condenser pressure demonstrated heat transfer coefficients closer to the Nusselt theory than when only five active tubes were considered.

Recommendations to improve the test apparatus and to conduct additional tests are provided.

TABLE OF CONTENTS

I.	HIST	ISTORICAL BACKGROUND 1					
II.	THE	THEORETICAL BACKGROUND					
III.	EXP	ERIMENTAL APPARATUS	28				
	Α.	TEST CONDENSÉR	28				
	В.	TEST CONDENSER TUBES	30				
	С.	POROUS TUBE WATER SUPPLY SYSTEM	31				
	D.	CONDENSATE SYSTEM	33				
	E.	STEAM SYSTEM	34				
	F.	COOLING WATER SYSTEM	34				
	G.	VACUUM SYSTEM	36				
	н.	DESUPERHEATER SYSTEM	36				
	I.	INSTRUMENTATION	37				
		1. Flow Rates	37				
		2. Temperature	38				
		3. Pressure	38				
		4. Data Collection and Display	39				
IV.	PRO	CEDURES	40				
	Α.	OPERATING PROCEDURES	40				
		1. Tube Preparation	40				
		2. System Operation and Steady State Conditions	40				
	В.	DATA REDUCTION PROCEDURES	41				
		1. Total Heat Transferred per Tube	42				

		2. Steam Side Heat Transfer Coefficient	42
	С.	DATA REDUCTION PROGRAM	4 3
V.	RES	ULTS AND DISCUSSION	44
	Α.	BACKGROUND INFORMATION	44
	В.	OBSERVATIONS	4 5
	С.	AVERAGE TUBE WALL TEMPERATURES	47
	D.	SINGLE TUBE RESULTS	5 2
	Ε.	MULTIPLE TUBE RESULTS	56
VI.	CON	CLUSIONS	6 3
VII.	REC	OMMENDATIONS	66
	Α.	TEST APPARATUS MODIFICATIONS	66
	В.	ADDITIONAL TESTS	68
APPENI	XIX	A: OPERATING PROCEDURES1	48
APPENI	DIX E	B: AUTODATA NINE SCANNER OPERATION1	5 3
APPENI) XIC	C: UNCERTAINTY ANALYSIS1	5 5
APPENI	XIC	D: SAMPLE CALCULATIONS1	71
APPEN.	LTX E	E: COMPUTER PROGRAM AND DOCUMENTATION1	79
LIST (OF RI	EFERENCES1	86
TNITT	ים זג	TSTRIBUTION LIST.	

LIST OF TABLES

I.	Channel Numbers for Stainless Steel Sheathed Copper - Constantan Thermocouples	70
II.	Temperature Data	71
III.	Pressure and Volumetric Flow Rate Data (Runs 1-60)	85
IV.	Pressure and Volumetric Flow Rate Data (Runs 61 & 62)	88
٧.	Results	89
VI.	Average Tube Wall Temperatures	105
VII.	Comparison of Heat Transfer Coefficients for a Single Uninundated Tube (Atmospheric Pressure Runs)	106
VIII.	Comparison of Heat Transfer Coefficients and Mean Vapor Velocity for a Single Uninundated Tube Under Vacuum Conditions	107

LIST OF FIGURES

1.	Droplet Path through a Tube Bundle with Side Drainage108
2a.	Idealized Condensation on Banks of Tubes109
2Ъ.	More Realistic Picture of Condensation on Banks of Tubes
3.	Mean Flow Width for a Square In-Line Tube Bundle110
4.	Mean Flow Width for a Staggered Tube Bundlelll
5.	Comparison of Predictions of Tube Bundle Performance112
6.	Comparison of Predictions for the Local Heat Transfer Coefficient113
7a.	Front View of Test Apparatus114
7ъ.	Rear View of Test Apparatus115
9.	Sketch of Test Condenser117
9.	Details of Transition Piece and Vortex Annihilator118
10.	Details of Exhaust and Condensate Piping from the Exhaust Plenum119
11.	Top View of Test Section120
12.	Side View of Test Section120
13.	Schematic Diagram of Cooling Water and Porous Tube Water Systems121
14.	Schematic Diagram of Condensate and Vacuum Systems122
15.	Schematic Diagram of Steam System123
16.	Location of Thermocouples124
17.	Polar Plot of a Typical Tube Wall Temperature Distribution125

18.	Avg. T_w	vs Tub	e Numbe	r Run 6	l	1	.26
19.	Avg. T _w	vs Tub	e Numbe	r Run 63	2		.27
20.	Average	₩/H1	vs Tube	Number	Runs	1-10	.28
21.	Average	HN/H1	vs Tube	Number	Runs	1-101	.29
22.	Average	₩/Hl	vs Tube	Number	Runs	11-201	.30
23.	Average	HN/Hl	vs Tube	Number	Runs	11-201	.31
24.	Average	<u>₩</u> /Hl	vs Tube	Number	Runs	21-301	.32
25.	Average	HN/H1	vs Tube	Number	Runs	21-301	. 3 3
26.	Average	$\overline{\text{HN}}/\text{Hl}$	vs Tube	Number	Runs	31-401	.34
27.	Average	HN/H1	vs Tube	Number	Runs	31-40	- 35
28.	Average	∏N /Hl	vs Tube	Number	Runs	41-45	36
29.	Average	HN/Hl	vs Tube	Number	Runs	41-45	L 3 7
30.	Average	∏N /Hl	vs Tube	Number	Runs	46-50	.38
31.	Average	HN/Hl	vs Tube	Number	Runs	46-50	3
32.	Average	ĦN/Hl	vs Tube	Number	Runs	51-55	L40
33.	Average	HN/H1	vs Tube	Number	Runs	51-55	L41
34.	Average	HN/H1	vs Tube	Number	Runs	56-60	L42
35.	Average	HN/H1	vs Tube	Number	Runs	56-60	L43
36.	HN/Nl vs	s Tube	Number	Run 61-			L44
37.	HN/Hl v	s Tube	Number	Run 61-			L45
38.	HN/Hl v	s Tube	Number	Run 62-			L46
39.	HN/Hl v	s Tube	Number	Run 62-			147

NOMENCLATURE

- A Heat transfer area of one tube (m^2) .
- A_i Heat transfer area of i th tube (m^2) .
- A_{mf} Mean flow area of condenser cross-section (m^2).
- Specific heat at constant pressure $(kJ/kg \cdot {}^{\circ}C)$.
- C_i Specific heat at constant pressure, i th tube $(kJ/kg \cdot {}^{\circ}C)$.
- $C_{\rm p}$ Specific heat at constant pressure (kJ/kg $^{\circ}$ C).
- D Outside diameter (m).
- d Outside diameter (m).
- d Outside diameter (m).
- g Acceleration of gravity (9.81 m/s²).
- h Heat transfer coefficient $(kw/m^2 \cdot {}^{\circ}C)$.
- h_i Experimentally determined value for the heat transfer coefficient of the i th tube $(kw/m^2 \cdot {}^{\circ}C)$.
- h_{fg} Latent heat of vaporization (kJ/kg).
- h_N Local heat transfer coefficient for the N $^{\dagger}n$ tube (kW/m² \cdot °C).
- \widetilde{h}_{N} Average heat transfer coefficient for a column of N tubes $(kW/m^2 \cdot {}^{\circ}C)$.
- h_{Nu} Heat transfer coefficient calculated from the Nusselt equation (kW/m² · °C).
- h_o Heat transfer coefficient derived from the Fujii correlation ($kW/m^2 \cdot {}^{\circ}C$).

- k Thermal conductivity (w/m · °C).
- k_{I} Thermal conductivity, liquid (w/m ${}^{\circ}$ C).
- Mass flow rate of cooling water (kg/s).
- Mass flow rate of cooling water for the i th tube (kg/s).
- mCOND Total mass flow rate of the condensate (kg/s).
- N The number of tubes in a column, or the tube number of a given tube.
- ${
 m N}_{
 m C}$ The number of unit cells across the width of a condenser.
- $\mathrm{Nu_{m}}$ Mean Nusselt number for a tube.
- $\mathrm{Nu}_{\mathrm{m}}^{\mathrm{O}}$ Mean Nusselt number for a tube without inundation.
- Pr Prandtl number.
- P_{ss} Supply steam pressure (psig).
- $P_{\mathcal{T}}$ Condenser pitch to diameter ratio.
- ${\rm P}_{\rm TC}$ Test condenser pressure (mm Hg abs.).
- q Heat transferred per unit time (kW).
- q; Heat transferred per unit time for the i th tube (kW).
- q/A Heat flux (kW/m^2) .
- ${\rm Re}_{\rm L}$ Two phase Reynolds number, ${\rm U}_{\infty}~{\rm d}_{\rm o}/{\rm v}_{\rm L}$.
- $\mbox{S/D}$ Spacing to diameter ratio, same as $\mbox{P}_{\mbox{T}}.$
- T_{ci} Cooling water inlet temperature (°C).
- T_{CO} Cooling water outlet temperature (${}^{\circ}C$).
- T_s Saturation temperature of steam (${}^{\circ}$ C).
- T_v Vapor (steam) temperature (^OC).

- \overline{T}_{w} Average tube wall temperature (${}^{\circ}C$).
- U_{∞} Vapor velocity (m/s).
- v Specific volume of the steam (m^3/kg) .
- \dot{v}_{d} Volumetric flow rate of water to the desuperheater (ml/min).
- V_m Vapor velocity based on the mean flow area (m/s).
- $\dot{\mathbf{V}}_{\text{PT}}$ Volumetric flow rate of water to the porous tube (m/s).
- \dot{V}_{SC} Volumetric flow rate of condensate from the secondary condenser (ml/min).
- $\dot{V}_{\rm TC}$ Volumetric flow rate of condensate from the test condenser, condensation rate (ml/min).
- The amount of condensate formed on the N th tube per unit time as used in Equation (5); the rate of inundation falling onto a tube as used in Equation (10).
- W The amount of condensate draining onto the N th tube, Equation (5).
- w^{O} The rate of condensation on a tube corresponding to Nu^{O} , Equation (10).
- ΔT Temperature difference (${}^{\circ}C$).
- ξ Acceleration parameter $(k\Delta T/\mu h_{fg})$.
- v Kinematic viscosity (m²/hr).
- μ Dynamic viscosity (kg/m-s).
- ζ Heat capacity parameter (C_pT/h_{fg})
- ρ Density (kg/m^3) .
- ρ_v Vapor density (kg/m³).

ACKNOWLEDGEMENT

I dedicate this thesis to my wife, Nida, and daughters, Pamela and Ericka, through whose sacrifice, patience, and moral support this study was made possible.

I would also like to express my sincerest appreciation to my thesis advisor, Dr. Paul J. Marto, for his assistance and direction throughout the preparation of this thesis and to the Model Shop personnel, headed by Mr. Ken Mothersell, for their technical assistance and support.

I. HISTORICAL BACKGROUND

A continuing interest exists in the Navy to design smaller and lighter marine steam condensers by the use of enhanced heat transfer techniques. This is an outgrowth of recent improvements in turbine machinery and boiler design which have brought about increases in the horsepower to weight ratio of marine propulsion plants, but with the lack of similar improvements made to condenser design. Through the application of enhanced heat transfer techniques to condenser design, further significant increases in the horsepower to weight ratio can be attained and/or steam cycle efficiency can be further increased.

Marine steam condenser design is currently based upon the Heat Exchange Institute (HEI) standards for steam condensers [Ref. 1] and the standards of the Tubular Exchanger Manufacturers Association (TEMA) [Ref. 2]. Search [Ref. 3] studied existing marine steam condensers to determine the feasibility of improving condenser performance by enhanced heat transfer techniques and concluded that these techniques could result in a forty percent reduction in condenser weight and volume, indicating a need to establish new design criteria for marine steam condensers.

Beck [Ref. 4], Pence [Ref. 5], Reilly [Ref. 6], Fenner [Ref. 7], and Ciftci [Ref. 3] conducted experimental research into various kinds of enhancement using a single tube heat

transfer apparatus. The above investigations determined that for the same diameter tube, the overall heat transfer coefficients of enhanced tubes exceeded those for smooth tubes by almost 100%.

Marto, Reilly, and Fenner [Ref. 9] determined that most of the improvement occurred on the cooling water side of the tube due to a combination of increased surface area and an increased turbulence and swirl in the cooling water flow.

This gain in heat transfer was accomplished at the expense of a substantial increase in the cooling water pressure drop due to friction factors as much as ten times larger than for smooth tubes. They also noted that enhanced tubes with deep grooves had the best heat transfer performance, and that for a given tube geometry at constant groove depth, heat transfer performance was dependent upon the groove pitch or helix angle.

To fully evaluate the outside heat transfer performance of enhanced tubes, it was required to consider the effects of condensate inundation and vapor velocity. Demirel [Ref. 10] and Eshleman [Ref. 11] consecutively modified the test apparatus originally designed by Beck (for single tube experimentation) to study the effects of condensate inundation on a column of five horizontal, smooth tubes in a staggered arrangement. Their work was inconclusive however, since problems with non-condensable gases, side drainage, and secondary steam flow within the condenser resulted in ambiguous tube performance data for the bottom two tubes.

A new test apparatus was designed by Morrison [Ref. 12] in an attempt to eliminate the problems encountered by Demirel and Eshleman, and to provide a system which would operate closer to the conditions of the Nusselt theory. Morrison's test condenser was smaller in length than that of Demirel and Eshleman and employed a new diffuser section at the steam inlet in an attempt to eliminate the secondary steam flow. The condenser tubes were also arranged in-line vice staggered to assist in the reduction of side drainage. The above factors also allowed for more efficient removal of non-condensable gases by the steam flow through the condenser. Thermocouples were also installed within the active tube walls so that direct calculation of the outside heat transfer coefficients was possible. Preliminary data taken after the publication of Morrison's work indicated that the apparatus was suitable for condensate inundation studies, producing tube performances in close accordance with the Nusselt theory.

Though Morrison's test apparatus eliminated or reduced the problems encountered by Demirel and Eshleman, several other problems were noted. Air leaks at the joints and welds limited the vacuum that could be attained and introduced non-condensable gases into the system. The tube wall thermocouples were very fragile and broke easily when tubes were installed or removed. This was compounded by the fact that the O-ring tube sealing method used required considerable force to be applied to the tubes during installation and removal. Dropwise condensation

persisted on the upper two tubes despite the use or various tube cleaning methods, and the difficulty of tube removal and reinstallation limited the frequency of thorough tube cleaning.

The objectives of this thesis were therefore to:

- Further modify Morrison's test apparatus to eliminate or reduce the tube wall thermocouple breakage and the active tube removal and reinstallation problems.
- Establish a tube cleaning procedure to eliminate or reduce the dropwise condensation problem.
- 3. Further modify Morrison's test apparatus through the inclusion of a porous, water supply tube above the first of five active tubes such that the apparatus could be used to simulate tubes in larger tube bundles.
- 4. Obtain baseline heat transfer performance data for the test condenser utilizing 16 mm O.D. smooth copper tubes.

II. THEORETICAL BACKGROUND

Nusselt's theory of film condensation, based on work completed in 1916, provided the basis for most of the knowledge developed to date in regard to condensation on plates and horizontal tubes. Nusselt's work was based on the following assumptions for single tubes as noted by Nobbs [Ref. 13]:

- 1. The wall temperature is constant.
- 2. The flow is laminar in the condensate film.
- Heat transfer in the condensate is by conduction,
 and subcooling may be neglected.
- 4. The fluid properties are constant within the condensate film.
- 5. The forces due to hydrostatic pressure, surface tension, inertia, and vapor-liquid interfacial shear are negligible when compared to the viscous and gravitational forces.
- 6. The surrounding steam and vapor/liquid interface are at saturation temperature.
- 7. The film thickness is small when compared with normal tube diameters and the effects of curvature are small.

When a column of tubes is to be considered, Eissenberg [Ref. 14] noted that the following two added assumptions are required:

- 8. Condensate drains as a laminar sheet from a tube bottom to a tube top such that velocity and temperature gradients are not lost in the fall between tubes.
- 9. The saturation temperature and the tube wall temperature are constant for all tubes in the bank.

For a single horizontal tube, Nusselt determined that the outside heat transfer coefficient could be obtained from the equation:

$$h_{Nu} = .725 \left[\frac{k^3 \rho (\rho - \rho_v) h_{fg} g}{\mu D (T_s - \overline{T}_w)} \right]^{1/4}$$
 (1)

where,

k = thermal conductivity of the condensate

 ρ = density of the condensate

 ρ_{v} = density of the vapor

 h_{fg} = latent heat of vaporization

g = acceleration of gravity

 μ = dynamic viscosity of the condensate

D = outside diameter of the tube

 T_s = temperature of the steam

 \overline{T}_{w} = average tube wall temperature

Jacob [Ref. 15] determined that for a tube column of N tubes, an average outside heat transfer coefficient for the column, \overline{h}_N , could be obtained from the equation:

$$\bar{h}_{N} = .725 \left[\frac{k^{3} \rho (\rho - \rho_{v}) h_{fg} g}{\mu ND (T_{s} - \bar{T}_{w})} \right]$$
 (2)

Using equations (1) and (2), the Nusselt result is normally expressed as the ratio of the average heat transfer coefficient (\overline{h}_N) to the heat transfer coefficient of the top tube (h_{N_N}) :

$$\frac{\overline{h}_{N}}{h_{Nu}} = N^{-1/4} \tag{3}$$

It may also be expressed as the ratio of the local heat transfer coefficient of a given tube in a column to the heat transfer coefficient of the top tube:

$$\frac{h_N}{h_{Nu}} = N^{3/4} - (N-1)^{3/4} \tag{4}$$

It has been noted that most experimentally determined results are on the order of twenty percent greater than those obtained from the above equations. This is due to the nature of the assumptions made in the derivation of Nusselt's theory. In actual marine steam condensers, the vapor can have a fairly high velocity over a large portion of its flow path; and under changing turbine speeds, the steam velocity is certainly not negligible. The vapor velocity causes vapor-liquid interfacial shear. With a downward flow of vapor and condensate, a shear force is added to the gravitational force. Consequently

as the condensate film velocity increases, the film thickness decreases and the heat transfer coefficient from the vapor to the wall increases.

Moreover, as noted by Kutateladze [Ref. 16]; Shklover and Buevich [Ref. 17]; Yung, Lorenz, and Ganic [Ref. 18]; and Eissenberg [Ref. 14], condensate does not flow from each tube as a continuous film or sheet. Instead, the condensate flows in the form of separate drops or streams. The condensate dripping from an upper tube will split around the tube below but will not flow axially; it may hit the lower tube offcenter or may miss the lower tube altogether, depending upon the tube bundle geometry. The thickness of the film on a lower tube can therefore vary greatly, and where thinnest, greatest heat transfer will occur.

Fuks [Ref. 19] developed an experimental correlation for the normalized local heat transfer coefficient in the form:

$$\frac{h_N}{h_1} = \left[\frac{W + w}{w} \right]^{-0.07} = N^{-0.07}$$
 (5)

Where W is the amount of condensate draining onto the N th tube per unit time and w is the amount of condensate formed on the N th tube per unit time.

Chen [Ref. 20] derived a formula which considered boundary conditions influenced by:

- the momentum gain of the falling condensate between tubes, and
- the condensation of vapor on the condensate between tubes.

His result was:

$$\frac{E_{N}}{h_{Nu}} = N^{-1/4} \left[1 + 0.2\zeta(N-1) \left[\frac{1 - 0.68 \zeta + 0.02 \zeta \xi}{1 + 0.95 \xi - 0.15 \zeta \xi} \right] \right]^{1/4}$$
 (6)

where,

$$\xi = K\Delta T/\mu h_{fg}$$

$$\zeta = C_p \Delta T / h_{fg}$$

and,

$$\xi = \zeta/Pr.$$

Eissenberg [Ref. 14] experimentally investigated the effects of steam velocity, condensate inundation, and non-condensable gases on the heat transfer coefficient. Based on the results of those experiments, he developed a side drainage model for staggered tube bundles by which condensate may drain onto tubes not directly below one another as depicted in Figure 1. For comparison to the above, Figure 2a depicts the Nusselt in-line tube bundle drainage model in which condensate drains to lower tubes in sheets; while Figure 2b illustrates a more realistic in-line tube bundle drainage model in which condensate drains to lower tubes in drops, with considerable splashing.

Eissenberg identified the following conditions as affecting side drainage:

- Orientation Staggered tube bundles are more susceptible to side drainage than in-line tube bundles;
- Spacing The smaller S/D is, the more frequently side drainage should occur;
- 3. Momentum The greater the horizontal component of momentum of a drop leaving a tube, the greater the side drainage;
- 4. Steam velocity When steam flows horizontally across tubes at sufficient velocity, the drop trajectory will reflect the added lateral momentum. When steam flows vertically, its direction change with each tube may also impart lateral momentum to the drops; and
- 5. Misaligned tubes A tube misaligned in a bundle may receive greater or lesser amounts of condensate depending on its orientation with respect to the side tubes. Utilizing a pure side drainage model for a staggered tube bundle, Eissenberg obtained:

$$\frac{\overline{h}_{N}}{h_{Nn}} = 0.60 + 0.42 N^{-1/4}$$
 (7)

Since experimental results deviate from each other and from the Nusselt theory, results are often fitted to the following equation form:

$$\frac{\overline{h}_{N}}{h_{NU}} = N^{-S} \tag{8}$$

where s is an experimentally determined exponent with a reported range of values of 0.07 to 0.20.

Nobbs [Ref. 13] concluded the following from his investigation of the combined effects of downward vapor velocity and condensate inundation on the rate of condensate formation in horizontal tube bundles:

- Vapor velocity increases the condensate heat transfer coefficient on both inundated and uninundated tubes in a tube bundle.
- 2. The effect of inundation is to reduce the heat transfer coefficient. The rate of reduction with increase in inundation rate becomes smaller as the vapor velocity is increased.
- 3. The condensate drainage path is often not vertically downwards but in a diagonal direction. This can result in tubes receiving differing amounts of inundation.

Fujii [Ref. 21] used the data obtained in the experiments of Nobbs and Mayhew to correlate the effects of inundation and vapor velocity. For the top or uninundated tube in an in-line tube bundle, the following equation was obtained:

$$Nu_{m}^{O} = 10.74 \text{ Re}_{L}^{0.312}$$
 (9)

where

 Nu_{m}^{O} = Nusselt number, $h_{O}d_{O}/k_{L}$, for steam without inundation

 Re_L = two-phase Reynolds number, $U_{\infty}d_{O}/v_{L}$

 k_{\uparrow} = thermal conductivity of liquid

d = outside diameter of tube

 v_L = kinematic viscosity of liquid

U_m = vapor velocity

For any tube in an in-line tube bundle, Fujii also obtained the equation:

$$\frac{Nu_{m}}{Nu_{m}^{\circ}} = \left(\frac{Re_{L}}{2 \times 10^{6}}\right)^{0.071 (w/w^{\circ})^{0.65}}$$
(10)

where,

 $\mathrm{Nu_{m}}$ = mean Nusselt number for a tube

w = rate of inundation falling onto a tube

 \mathbf{w}^{O} = rate of condensation of a tube corresponding to $\mathrm{Nu}_{m}^{\mathrm{O}}$

When calculating vapor velocity, most studies have used the entrance vapor velocity which is based upon the condenser cross-sectional area. However, as steam flows through a condenser, its velocity is alternately increased and decreased due to the restriction in actual flow area caused by the tubes. Therefore, using the entrance velocity (or for that matter, the maximum velocity obtained at the point of minimum flow area) does not result in a true picture of the effect of vapor velocity on heat transfer. Nobbs [Ref. 13] used a mean velocity of vapor based upon a mean flow width. Figures 3

and 4 show the derivations of the mean flow width for the cases of a square pitch and an equilateral triangle tube bundle, respectively. From these Figures one can obtain for the in-line or square pitch tube bundle:

$$A_{mf} = N_{c} dL (P_{T} - \pi/4P_{T})$$
 (11)

where,

 A_{mf} = mean flow area

N = number of unit cells

d = tube outside diameter

 P_{τ} = tube pitch to diameter ratio

L = tube length

Then, for the purposes of mean vapor velocity calculations and for use in Equation (9), the following was used in this study:

$$V_{m} = \frac{\dot{m}_{COND} v}{A_{mf}}$$
 (12)

where,

 V_m = mean vapor velocity

 \dot{m}_{COND} = mass flow rate of condensate

v = specific volume of vapor at the steam saturation
temperature

Note that although the above is an improvement over the use of the entrance vapor velocity, it does not account for the decrease in vapor velocity through the tube bundle due to the reduction in the amount of steam flow due to the condensation of the steam.

Figure 5 compares the equations of Nusselt (Equation 3), Eissenberg (Equation 7), and Chen (Equation 6) for \overline{h}_N/h_{Nu} . Figure 6 compares the equations of Nusselt (Equation 4) and Fuks (Equation 5) for h_N/h_1 .

III. EXPERIMENTAL APPARATUS

The test apparatus designed by Morrison [Ref. 13] was modified to allow for the simulation of an active tube column having a number of tubes in increments of five tubes deep (five, ten, fifteen, etc. tubes deep) and to correct the iesign deficiencies noted above. Some components of the original test apparatus were also relocated to allow for more efficient operation of the system. The following system descriptions update those presented in Morrison's thesis to incorporate the modifications that were made. Figures 7a and 7b, and the key thereto, show the assembled test apparatus as modified and detail the major components.

A. TEST CONDENSER

The test condenser, shown in Figures 8-12, measured 305 mm x 305 mm x 79 mm and was made of stainless steel. The dimensions allowed for a maximum of twenty-seven 16 mm 0.D. tubes arranged in an in-line configuration of three columns of nine tubes each. However, the in-line tube configuration initially used was one of a column of five active tubes flanked on either side by a column of five dummy tubes. Directly above the upper active tube, a porous, distilled water supply tube was positioned, flanked on either side by dummy tubes.

The square in-line arrangement of tubes with a spacing-to-diameter ratio of 1.5 was utilized for the conducted experiments. However, the test section design allowed for the rearrangment of dummy tubes to give a staggered arrangement as well. This was made possible by machining slots in the end plates of the test condenser and providing tube sheets for the dummy tubes which fit into the slots such that they could be changed to suit the type of arrangement desired. Each end of the dummy tubes was inserted into its respective tube sheet, and the tube sheets were then slid into the end plate slots and secured into place by screws.

An opening (Fig. 12) running vertically along the centerline of each condenser end plate provided for active and porous tube penetration of the test section. The tubes were then fixed in position, with a spacing-to-diameter ratio of 1.5, by means of nylon tube sheets that were attached to the exterior of the condenser end plates. A new set of tube sheets would be required for each desired spacing-to-diameter ratio.

To facilitate ease of active tube removal and installation, and to prevent damage to the thermocouples soldered into the active tube walls, the tube sheets and tube sealing method were redesigned. For each test condenser side, a nylon tube sheet one inch thick was fabricated with six holes (S/D=1.5) such that about 0.5 mm tube clearance existed which allowed for the tubes to be easily slid in or out of the tube sheets. Grooves were machined into the exterior side of each tube sheet

around each hole to accommodate 0-rings. The aluminum tube sheets from the original test condenser, but with a sixth hole added and all holes machined to about a 0.5 mm tube clearance, were then used as sealing plates. When installed, rubber gaskets were placed between the test condenser end plates and the nylon tube sheets; 0-rings were placed in the tube sheet grooves; and the aluminum seal plates were positioned on the tube sheets. These assemblies were then secured to the test condenser end plates by means of screws. With the screws loosened, the active tubes could be readily removed or installed; but when the screws were tightened down with the tubes in place, the 0-rings were sufficiently compressed around the tubes to provide a tight seal.

The diffuser, exhaust plenum, transition piece, vortex annihilator, and the exhaust and condensate piping (Figs. 8-10) as well as the viewing window were unchanged from Morrison's design.

B. TEST CONDENSER TUBES

The active tubes were made of 16 mm 0.D. half hard, smooth copper tubes with a 1.65 mm wall thickness. In Morrison's original apparatus, the active tubes extended through the tube sheets such that the portion of the tubes extending outside of the test condenser acted as highly conductive fins. New active tubes were made approximately 305 mm long, the width of the test condenser, with 16 mm 0.D. stainless steel tube

extensions fixed to each end of the active tubes for the purpose of tube sealing and connection to the cooling water supply and discharge lines.

Four thermocouples were soldered into grooves 90 degrees apart within the wall of each active tube such that the sensing portion of each thermocouple was about at the midpoint of the wall thickness. The grooves extended from the center of each copper section axially about 15 cm into the stainless steel extension. Upon completion of the soldering, the soldered surfaces of the tubes were ground and tubes polished so that the tube surfaces were as uniformly smooth as possible. The high thermal conductivity of the copper tubes and silver solder ensured that the thermocouples gave reasonably accurate measurement of the tube wall temperature. The free ends of the thermocouples were secured to the tubes with tape to minimize the risk of damage.

The dummy tubes flanking the active tubes were made of 16 mm 0.D. stainless steel. These tubes served to direct the steam flow so as to simulate actual conditions in a condenser. Cooling water was not supplied to these tubes and they did not penetrate the test condenser end plates.

C. POROUS TUBE WATER SUPPLY SYSTEM

As shown in Figure 13, this system consisted of a porous, water supply tube (positioned above the uppermost active tube), a water heater which served as a supply tank, a rotameter to

regulate the amount of water supplied to the porous tube, a pump driven by a 1/2 HP electric motor, and associated piping and valves.

The stainless steel porous tube was 305 mm long, the length of the test condenser, with non-porous stainless steel tube extensions silver soldered on to each end for the purpose of tube sealing and connection to the supply tubing. Water entered one end of this tube; the other end was blanked off.

The supply tank was a 25 gallon hot water heater which was modified by the replacement of its thermostatic control with a more accurate temperature controller. The temperature controller was capable of maintaining the water temperature to within approximately 1°C of its set point. To aid in keeping the active tubes free at contamination that could lead to drop-wise condensation, distilled water was used exclusively in this system. The water was pumped to the rotameter by the 1/2 HP electric motor driven pump, and by regulating the rotameter and the tank's recirculation valve, the flow rate to the porous tube could be controlled with reasonable accuracy.

The system was used to supply water to the top active tube of the test condenser at the existing condenser steam saturation temperature. By this method, the five active tubes installed in the test condenser could be inundated with condensate from above to simulate a tube column of more than the five active tubes.

D. CONDENSATE SYSTEM

The condensate system, as shown in Figure 14, was composed of the test condenser and hotwell, the secondary condenser and hotwell, the condensate pump, and associated piping and valves. The only modifications to this sytem were those to the test condenser noted above.

The test condenser and secondary condenser hotwell sight glasses were calibrated so that the amount of condensate produced could be measured. The condensate formed in the test condenser was collected in the test condenser hotwell by closing valve C-1. Opening the valve allowed the condensate to be gravity fed to the secondary condenser hotwell. Additionally, condensate in the secondary hotwell was obtained from the secondary condenser, which condensed all steam not condensed in the test condenser, and from the desuperheater drain. All condensate collected in the secondary condenser hotwell could be removed by means of an electrically driven condensate pump (1/2 HP) and dumped into the building's drainage system.

By measuring the condensate produced per unit time in the test condenser, the porous tube rotameter could be set to increment the condensate to the top tube to simulate additional tubes. By measuring the total amount of condensate produced per unit time, in both the test and secondary condensers and substracting the amount of water supplied to the porous tube, the vapor velocity could be calculated as previously noted.

E. STEAM SYSTEM

The steam system, shown in Figure 15, was unchanged from Morrison's design. The steam used for the test apparatus was locally generated house steam. A 19 mm 0.D. stainless steel line supplied steam through a steam supply valve, MS-3, to a cost iron steam separator. Downstream of the separator, a 19 mm 0.D. stainless steel line supplied steam to two Nupro bellows valves which were used in conjunction with the supply valve to regulate the steam supply pressure. From these valves, the steam was fed through another 19 mm 0.D. stainless steel line to the desuperheater, and from the desuperheater through a 64 mm I.D. stainless steel pipe to the test condenser diffuser. The steam supply pressure was monitored by a gage just downstream of the steam supply valve. A compound gage downstream of the Nupro valves could be used to monitor the pressure drop across the valves if desired.

Since house steam was used, the operator had no control over the state point, quality, non-condensable gas content, or contamination of the supply steam. Moreover, it was not practically or economically feasible to monitor these conditions at the time experiments were conducted.

F. COOLING WATER SYSTEM

The cooling water system was a shown in Figure 13. Normal house water was utilized for the test apparatus, with the water stored in a 1.2 meter cubical plexiglass tank. The

water was pumped from the supply tank by a 5 HP electrically driven pump through a 51 mm 0.D. plastic pipe to a header. Five rotameters were connected to the header, with each used to control the flow through a separate active tube. The water leaving the rotameters passed through 16 mm 0.D. stainless steel tubing to the active tubes. These tube runs were at least 1.8 m long to ensure fully developed flow going into the test condenser. The water leaving the active tubes was returned to the supply tank where a 7 1/2 HP electrically driven pump discharged the water through a filter to a cooling tower to maintain a constant cooling water supply temperature and to keep the water as clean as possible. The cooling tower was located outside the building and consisted of four truck radiators across which air was blown by a fan. The heat exchanger and fan were enclosed in a wooden structure with louvered openings for ventilation.

The tubing runs between the rotameters and active tubes were divided into several sections. A 45 cm section was connected, by 5 cm lengths of tygon tubing and hose clamps, to each active tube and to a 12 cm section which housed the cooling water inlet thermocouples. The 12 cm sections were then connected, by 5 cm lengths of tygon tubing and hose clamps, to the cooling water supply line. Thus on the inlet side, the cooling water lines could be readily disassembled to facilitate active tube removal and installation or repairs to the thermocouples. On the outlet side of the test condenser, 12 cm

sections containing the outlet cooling water thermocouples were connected, again by tygon tubing and hose clamps, to the active tubes and the discharge piping.

G. VACUUM SYSTEM

As shown in Figure 14, an air driven air ejector was utilized to remove the non-condensable gases and to maintain the test condenser vacuum as per Morrison's design. The air ejector pulled a suction on the secondary condenser hotwell and discharged through a muffler to reduce the noise hazard. Air was supplied to the air ejector at minimum of about 100 psig from an Ingersol-Rand air compressor. The system was capable of maintaining a minimum test condenser vacuum of about 100 mm Hg absolute.

H. DESUPERHEATER SYSTEM

The desuperheater system, shown in Figure 15, was used to control the steam inlet temperature to the test condenser so that a maximum of 10°C superheat was maintained. This was necessary to avoid a correction to the heat transfer coefficients for h_{fg} . In practice, the desuperheater was not required for the atmospheric pressure runs, but was used for the vacuum runs for which the degree of superheat was controlled to about 2°C of superheat.

The system consisted of a desuperheater tank, a water supply tank, a 1/3 HP electrically driven pump, a rotameter and associated piping and valves. The desuperheater was

constructed of a stainless steel tank, 318 mm in diameter and 508 mm in height. The tank top was welded onto the discharge pipe and was then bolted onto the tank. A rubber gasket provided for sealing between the tank and the tank top. Four fan type spray nozzles were inserted equidistant around the circumference and approximately 10 cm from the top of the desuperheater to supply the cooling water in a fine spray. A drain line was also installed in the base of the desuperheater tank.

Cooling water, distilled to aid in active tube cleanliness, was stored in a 10 gallon aluminum tank. The water was pumped from the tank through 9 mm O.D. copper tubing to a rotameter and valve and then to the spray nozzles.

I. INSTRUMENTATION

1. Flow Rates

- a. The cooling water flow rate was measured separately for each active tube through the use of rotameters. Starting from the top active tube to the bottom active tube, the supplying rotameters had calibrated 100% maximum flow rates of 18.5 \pm 0.2, 18.5 \pm 0.2, 13.5 \pm 0.2, 19.2 \pm 0.2, and 17.6 \pm 0.2 GPM.
- b. The desuperheater cooling water flow rate was measured by a rotameter having a calibrated 100% maximum flow rate of 1242 \pm 12 ml/min.

- c. The porous tube water supply flow rate was measured by a rotameter having a calibrated 100% maximum flow rate of 999 ± 10 ml/min.
- d. All rotameters were calibrated using the procedure listed in Appendix A of Reference 5.

2. Temperatures

Stainless steel sheathed copper-constantan thermocouples were utilized as the temperature monitoring devices. Figure 16 shows the locations of the thermocouples. Two thermocouples measured the cooling water inlet temperature, and three measured the cooling water outlet temperature for each active tube in an attempt to obtain an accurate bulk temperature at each sensing location. Four 0.51 mm 0.D. thermocouples were silver soldered into axial grooves within the wall of the active tubes as noted above. Additionally, thermocouples were used to monitor the test condenser steam inlet temperature and the temperature of the condensate in the test condenser hotwell. All thermocouples were calibrated following the procedure of Appendix A of Reference 5.

A Gulton Industries, West 20, $0-500^{\circ}F$ temperature controller was used to control the temperature of the porous tube supply water. The controller had a manufacturers stated accuracy of \pm 0.5% of the span (about \pm 1.25°F).

3. Pressure

a. The steam supply pressure was monitored by a Sourdon tube gage just downstream of the steam supply valve.

- b. The test condenser pressure was monitored by a mercury manometer and by a pressure transducer. The pressure transducer was calibrated against a mercury manometer.
- c. Pressure gages were also used to monitor the test condenser pressure, the secondary condenser hotwell pressure, and the pressure downstream of the Nupro valves. These gages were used strictly for system operation purposes.

4. Data Collection and Display

An Autodata Nine Scanner was used to record and display the thermocouple and pressure transducer readouts. The temperatures were recorded in degrees Celsius, while the pressure was recorded as a voltage which was converted to a reading in mm Hg absolute by a calibration chart. The pressure transducer was assigned to channel 1 of the Autodata Nine Scanner, while the thermocouples were assigned channels as indicated in Table I.

IV. PROCEDURES

A. OPERATING PROCEDURES

1. Tube Preparation

Prior to installation, and periodically thereafter, each active tube was prepared in accordance with the cleaning procedure outlined in Appendix A of Reference 8. In addition, as a part of the light-off procedure of the test apparatus, the tubes were cleaned by running steam at atmospheric pressure through the test condenser for about twenty minutes without any cooling water flow through the tubes. During this steam cleaning operation, the tubes were periodically rinsed with distilled water utilizing the porous tube water supply system.

The above mentioned procedures were generally found to be sufficient to eliminate any visible signs of drop-wise condensation on the active tubes. When drop-wise condensation did occur during the progress of a day's set of runs, it was discovered that simply rinsing the tubes using the porous tube water supply system was sufficient to restore film-wise condensation.

System Operation and Steady State Conditions
 Complete operating instructions are listed in Appendix A and Appendix B.

A steady state condition was considered achieved when the cooling water inlet temperature did not vary more than $\pm~0.6^{\circ}$ C/HR and the steam inlet temperature did not vary more than $\pm~0.3^{\circ}$ C/min. In general, a steady state condition was reached about two hours after initial system light-off and about fifteen to thirty minutes after changes to the cooling water or porous tube supply water flow rates.

Once a steady state condition was obtained, the runs were made. The length of each run, or each increment of five tubes, was five minutes. The following data were taken at one minute intervals for each run:

- a. the test condenser and secondary condenser hotwell levels,
- b. the manometer reading,
- c. the steam supply pressure,
- d. the setting of each rotameter,
- e. the thermocouple readings, and
- f. the pressure transducer reading

B. DATA REDUCTION PROCEDURES

To simplify the data reduction, actual tube wall temperatures were obtained. Utilizing the wall temperatures directly eliminated the necessity of using the Wilson Plot technique for calculating the steam side heat transfer coefficient. The following approach, that of using standard heat transfer equations and an energy balance, was used to evaluate the raw data:

1. Total Heat Transferred per Tube

$$q_{i} = \dot{m}_{i}c_{i} \left(T_{co} - T_{ci}\right)_{i} \tag{10}$$

where,

m; = cooling water mass flow rate for tube i
 [kg/s]

 $(T_{co}^{-T}c_{i})_{i}$ = the difference between the outlet and inlet cooling water temperature for tube i [°C]

 c_i = the specific heat of the cooling water [kJ/kg • $^{\circ}$ C]

2. Steam Side Heat Transfer Coefficient

$$h_i = q_i/A_i (T_s - \overline{T}_w)$$
 (11)

where,

 h_i = the steam side heat transfer coefficient for tube i [kW/m² · $^{\circ}$ C]

 A_i = the heat transfer area, m^2

 T_c = the steam saturation temperature [${}^{\circ}$ C]

 $\overline{T}_{i,j}$ = the average tube wall temperature [°C]

Sample calculations are presented in Appendix D.

The steam side heat transfer coefficient was the parameter used to determine the performance of a tube in the tube bundle. Three assumptions were made in applying Equation (11) to the data obtained from the experiment:

- 1. The resistance due to non-condensable gases was negligible. The system was checked for tightness and was found to be satisfactory. Non-condensable gases brought in by the steam were exhausted by the air ejector as the good steam flow conditions in the test condenser continually swept non-condensable gases away from the active tubes.
- 2. The resistance of the copper active tubes was considered negligible. The calculated 1°C ΔT across the tube wall was accounted for by assigning a significant uncertainty to the average tube wall temperature which was determined from the thermocouples.
- Subcooling of the condensate film on the tube walls was neglected.

C. DATA REDUCTION PROGRAM

A computer program was utilized to analyze the data. The program was in Basic language and was run on an HP-35 computer system. A peripheral plotter was used to plot the results. The program is presented in Appendix E.

V. RESULTS AND DISCUSSION

A. BACKGROUND INFORMATION

Sixty-two runs were made. Runs 1-40 and Run 62 were conducted with the test condenser at atmospheric pressure. Steam supply pressures of 50 psig (Runs 1-10 and Run 62), 45 psig (Runs 11-20), 40 psig (Runs 21-30), and 35 psig (Runs 31-40) were utilized. To ensure that non-condensable gases were flushed out of the test condenser, the above runs were conducted with the steam exhaust pipe from the test condenser to the secondary condenser disconnected and replaced by a 1.5 cm O.D. pipe which dumped the exhaust steam into the bilges (as shown in Figure 7a). Runs 41-61 were conducted under vacuum at steam supply pressures of 35 psig (Runs 41-45), 40 psig (Runs 46-50), 45 psig (Runs 51-55), and 50 psig (Runs 56-61). All runs were made with a cooling water mass flow rate of 10.98 kg/min for each active tube. The desuperheater was required for only the vacuum runs, for which a cooling water volumetric flow rate of 100 ml/min was used. Runs 1-60 were made with no water being supplied through the porous tube. Using the porous tube water supply system to simulate additional tubes, Runs 61 and 62 were conducted for tube bundles of 30 and 10 tubes deep, respectively.

The data collected for each run are shown in Tables II through IV. It should be noted that the data shown are the

averages of the five data sets taken for each run, corrected using thermocouple, pressure transducer, rotameter, and hot-well volume calibration curves. A full set of data was collected for the vacuum runs, but due to the dumping of exhaust steam into the bilges during the atmospheric pressure runs, the volumetric flow rate of condensate from the secondary condenser could not be measured. This also prohibited vapor velocity calculation.

The calculated results are tabulated in Table V. The results are presented to the appropriate number of significant digits as determined from the uncertainty analysis presented in Appendix D.

B. OBSERVATIONS

Film-wise condensation without any visible evidence of drop-wise condensation was observed for all tubes during all runs. This was accomplished by the cleaning procedures detailed earlier. It must be noted that only the front half of each tube could be viewed through the test condenser window, therefore drop-wise condensation could have occurred unnoticed on the back halves of the tubes. Based on the observation of the active tubes and the tube wall temperature data, the effect of drop-wise condensation was considered to be negligible.

Observation of the motion of the condensate drops during both atmospheric pressure and vacuum conditions revealed a general logitudinal drop migration on all tubes. The migration

was left to right under atmospheric pressure conditions and right to left under vacuum conditions. During several operations requiring the disassembly of the test condenser flanges, it was noted that the piping to and from the condenser did not align properly such that piping had to be forced into position for flange alignment and assembly. Apparently, when the steam exhaust pipe was disconnected for atmospheric pressure operation, the orientation of the test condenser changed, resulting in a change in the direction of drop migration. By adjustment of the leveling nuts on the test condenser support bracket, the amount of drop migration was reduced to a level at which its affect was considered negligible. It was also noted that at certain tube localities, drops moved randomly either left or right possibly due to localized tube irregularities since this observation was not widespread. All evidences of drop migration were then believed to have resulted from condenser leveling and tube irregularity problems, and not the result of secondary vapor flow.

The spacing of the tubes, 24 mm from tube center to tube center or 8 mm between tubes, led to several interesting condensate drop observations. Under of influence of low condensate production or inundation rates, the drops from an upper tube would break away and fall less than two millimeters before striking the tube below. As a consequence, no splashing occurred and the drops appeared to spread in all directions radially from the point of drop impact, incorporating into

the condensate film rather than rolling around the tube perimeter. At higher condensate rates, such as under atmospheric pressure or under inundation from the porous tube for vacuum runs, the condensate drops from the upper tube elongated all the distance to the next lower tube. The drops instantaneously joined the upper and lower tube and had the appearance of being sucked into the condensate film on the lower tube. It was also noted that as the condensation or inundation rate increased, drops formed at more locations along a given tube but that the ratios of drops per tube between the tubes remained nearly constant.

It is interesting to note that Shklover and Buevich [Ref. 17] conducted studies of drop behavior for condenser tubes spaced 8 mm apart. Though their operating conditions were not the same as used in this study, they observed similar behaviors as described above, except that they observed the drops to roll over the tube surface and did not observe the case in which the drop separated from the upper tube before reaching the lower tube.

C. AVERAGE TUBE WALL TEMPERATURES

As noted previously, the use of Equations (10) and (11) to calculate the steam side heat transfer coefficient was made possible by the installation of thermocouples 90° apart within the tube walls. However, the questions arose as to how accurately the average tube wall temperature could be

measured and how the average tube wall temperature was to be defined for the direct wall temperature measurement.

Figure 17 is a polar plot of a typical tube wall temperature distribution. It can be seen that the distribution is asymmetric with the majority of the tube surface area at a temperature higher than the average of the top and bottom wall temperatures. This is a consequence of the nonuniform nature of the condensate film thickness around the tube, with the film thickening from top to bottom. The film tends to insulate the wall, yielding lowest wall temperatures where the film is thickest.

The temperature distribution becomes even more complex when events which locally thicken or thin the condensate film are considered. A drop forming at the base of a tube or falling onto the top of the tube will cause temporary reduction in the wall temperature at the point of occurrence. A small area of drop-wise condensation or a localized turbulent eddy can locally increase the wall temperature. When side drainage occurs, a tube can have its condensate film either thinned or thickened resulting in a higher or lower wall temperature, respectively. Additionally, high vapor velocities can either strip away part of the film layer or cause increased drop splashing or rippling of the film all of which increase the tube wall temperature.

The above description demonstrates that the best approximation of the average wall temperature would be attained when the temperature was measured at as many points as possible over

the entire tube wall and for an extended period of time. Then, an average of all the data would be needed. The tube size, method of thermocouple installation, and the cost of the thermocouples limited the number of points of temperature measurement to four. Since the tube wall temperature would also vary through the wall thickness, it was decided to install the four thermocouples 90 degrees apart (top, bottom, and two sides) in grooves, as noted previously, such that the thermocouple sensing point would be at the midpoint of the wall thickness. Calculations made using the data obtained from the test runs revealed that the ΔT across the tube wall was, on the average, about $1^{\circ}C$. Therefore, fairly small deviations in thermocouple location could also have a significant effect on the calculated average tube wall temperature.

Considering all the above, and to avoid giving undue weight to the two side wall temperatures, it was decided that the best average tube wall temperature would be obtained by averaging the side wall temperatures, then averaging this result with the top and bottom wall temperatures. It was also decided that the average tube wall temperature must be considered to be subject to fairly significant uncertainty. Additionally, due to damage to thermocouples and the inability to replace them at the time tests were conducted, only the center active tube had a full compliment of thermocouples. Tubes 1, 4, and 5 had three thermocouples each (top, bottom, and side), while tube 2 had only two (top and bottom). For these partially

instrumented tubes, the average tube wall temperature was calculated by averaging the readings from the available thermocouples. It should be noted that this situation was most disadvantageous for the case of tube 2 since the wall temperature obtained for this tube was certainly lower than would be measured with the side thermocouples available. In this regard, it can be noted from the tube wall temperatures tabulated in Table II, that the second tube consistently had an average wall temperature much below that expected. Thus, to be conservative, an uncertainty of $\pm 1.0^{\circ}$ C was assigned to all wall temperatures.

We now turn to two other important considerations in regard to the average wall temperatures. These are the effect of vapor velocity on the average tube wall temperature and the consideration of how the location of a tube in a tube bundle affects its average wall temperature.

The average tube wall temperature should increase as the vapor velocity increases. This is the result of increased vapor shear which can thin the condensate film by causing small portions of the film to be removed from the tube and entrained in the vapor and by increasing the velocity of the condensate flowing on the tube. For the vacuum condition runs, where the mean vapor velocity was calculated, the results shown in Table VI confirm the increase in the average tube wall temperature with increased mean vapor velocity even for the relatively small vapor velocity increases indicated.

This could be seen for all five tubes of the tube bundle, but was most apparent for the first two tubes. Note also that the increase in the average tube wall temperature resulted in a dropping off of $T_S - \overline{T}_W$ which was manifested in a higher heat transfer coefficient with increased mean vapor velocity.

Figures 18 and 19 depict the decrease in the average tube wall temperature through a tube bundle. For the vacuum condition run (Run 61) and the atmospheric pres ure run (Run 62), the general trend was one of a sharp initial drop in the average tube wall temperature over the upper tubes followed by a much more gradual reduction through the remainder of the tube bundle. This was best illustrated for Run 61 where about 70% of the total wall temperature drop occurred in the first ten tubes. These drops in the average tube wall temperature through a tube bundle can be attributed to a decreasing vapor velocity as the mass of the steam is reduced by condensation through the tube bundle and to an increasing amount of condensate inundation. Both of these factors would serve to lower the average tube wall temperatures by allowing for an increase in the condensate film thickness. It must be considered, however, that the above results were obtained through the use of the porous tube water supply system, the operation of which still requires refinement.

A study of Table II as well as Figures 18 and 19 demonstrated that the average tube wall temperatures for the second and fifth tubes of the test condenser were lower than would be expected. This discrepancy for the second tube was due at least in part to the lack of functioning thermocouples on both sides of the tube. Additional test runs with complete instrumentation on this tube will be required before further explanation can be provided. In regard to the fifth tube, it must be noted that the vapor velocity across this tube will be reduced by the effect of an increase in the steam flow area below the tube due to the absence of additional tubes. This could significantly reduce the tube wall temperature. It is therefore considered advisable to install a row of dummy tubes below the fifth tube for test runs in which additional tubes are to be simulated. However, these dummy tube should be removed for runs in which additional tubes are not to be simulated.

D. SINGLE TUBE RESULTS

One method of gauging the validity of experimental results is to make comparisons with theoretical predictions and with experimental correlations. If one compares the results for only the top tube of the five active tube column used for the test runs with such predictions and correlations, then one cannot only determine the validity of the top (single) tube results, but also obtain a better insight into the validity of the multiple tube results.

Tables VII and VIII compare the experimentally obtained heat transfer coefficient (h_1) to the Nusselt prediction

 (h_{Nu}) and to the Fujii correlation (h_0) . Remember that h_1 was calculated from Equation (11), h_{Nu} from Equation (1), and h_0 by using Equations (3) and (12).

Table VII displays the results for the atmospheric runs, with $h_{\rm O}$ not calculated since vapor velocities could not be determined. It should be noted that although the vapor velocities were unavailable, the vapor velocities should be decreasing from a highest value for Runs 1-10 to a lowest value for Runs 31-40 in response to decreasing steam supply pressure and therefore decreasing system pressure drops. Observation of the exhaust steam dumped into the bilges confirmed the above and also confirmed the fact that fairly quiescent steam conditions prevailed.

The results showed that the experimental and theoretical values for the heat transfer coefficients were compatible, with the experimental values on the order of 10% higher than the Nusselt theory prediction. This was within the as much as 20% discrepancy obtained in many studies, and could be accounted for by the difference between the conditions assumed by the Nusselt theory and the actual conditions of condensation on a horizontal tube. Moreover, it must be considered that the single tube under study was not a single tube at all since the tube was positioned between the porous tube and the second active tube. Knudsen and Katz [Ref. 22] have shown that for air flowing downward over a staggered tube bundle, the first tube can cause turbulence which raises the local Nusselt

number (and therefore the local heat transfer coefficient) for the tubes beneath it with the effect being greatest for the second and third tubes. Thus, the porous tube could cause an increase in the heat transfer coefficient for the top active tube. Additionally, when, as observed, condensate drops do not separate from an upper tube but rather form a link between an upper and lower tube, it may be that more condensate is removed from the upper tube than otherwise would take place. The result may be that the tube below the studied "single tube" assisted the "single tube" and raised its heat transfer coefficient, though this is an area which requires further study.

The results also indicated the lack of a clear, distinctive relationship between h_1 , h_{Nu} , and the mean vapor velocity trend for the atmospheric runs. Apparently, the degree of change in the mean vapor velocity over the runs was not sufficient, under the noted condition of high inundation, to cause a marked effect on the heat transfer coefficients.

Table VIII presents the results for the vacuum runs. The experimental heat transfer coefficient values (h_1) are seen to be considerably higher than predicted by Nusselt (h_{Nu}) , with the extreme case being Run 58 where h_1 was 75% higher than the corresponding h_{Nu} . Upon comparing h_1 to h_0 , the later of which considers the effect of vapor velocity, the results were seen to closely agree, especially for the runs at higher vapor velocities. Thus, it was apparent that the

vapor velocity effects were significant for the vacuum runs. Note also that as the vapor velocity was increased, $h_{\rm Nu}$ increased only moderately, while h_1 and h_0 increased dramatically which indicated that vapor shear was more effective in increasing the heat transfer coefficient as the vapor velocity increased.

A comparison of the heat transfer coefficients for the atmospheric pressure and vacuum runs revealed that both h_1 and $h_{\rm Nu}$ values were consistently greater for the vacuum runs. It was also noted that the difference in the h_1 values between the two sets of runs was much greater than the difference in the $h_{\rm Nu}$ values.

There are two major factors which accounted for the above comparisons. First, as has been noted, the effect of the vapor velocity was greater for the vacuum runs. Increased vapor velocity increases the vapor shear, causing a thinning of the condensate film on the tube, which results in higher average tube wall temperatures. Noting that both the equations, the equations for h_1 and h_{Nu} , have a $(T_S - \overline{T}_W)$ term in their denominators, raising the tube wall temperature raises the heat transfer coefficient, though to a much higher degree for the h_1 calculation. Secondly, the rate of condensation, and therefore the thickness of the tube wall condensate film, was much greater for the runs at atmospheric pressure. This can be seen by comparing the condensation rates, V_{TC} , in

Table III. For the atmospheric pressure runs, condensate production for the complete tube bundle averaged 580 ml/min compared to only 260 ml/min for the vacuum runs. The greater condensate film thickness for the atmospheric runs resulted in lowered tube wall temperatures and therefore lowered heat transfer coefficients, relative to the vacuum runs. This could be seen by comparing the relative differences between the saturation temperatures and average tube wall temperatures for the atmospheric pressure runs (on the order of a 25% difference) and for the vacuum runs (on the order of a 15% difference) in Table II. Noting again that the calculation of h_1 is more sensitive to a change in $(T_S - \overline{T}_W)$, the h_1 values increased much more between atmospheric pressure and vacuum runs than did the h_{Nu} values.

In summary, the heat transfer coefficients for the top active tube were in close agreement to the Nusselt theory for the atmospheric runs, but were far above the Nusselt theory and in close agreement with the Fujii correlation for the vacuum runs. This can be explained by the dominance of the effect of a thick condensate film for the atmospheric runs and by the dominance of vapor velocity effects for the vacuum runs.

E. MULTIPLE TUBE RESULTS

Table V and Figures 20-35 display the results for the multiple tube runs. Due to the large number of runs, the

normalized average and local heat transfer coefficients, \overline{h}_N/h_1 and h_N/h_1 , respectively, were averaged for runs at the same steam supply and test condenser pressures giving averaged normalized coefficients, (\overline{h}_N/h_1) and (\overline{h}_N/h_1) . These were then plotted versus the tube number for presentation in the Figures. The averaging of results was considered justified in view of the close agreement of the results at the same pressures and in view of the reduction in the uncertainty of the results afforded by the averaging process. The uncertainty analysis is given in Appendix C.

The data points plotted in the Figures were fit, by the least squares method, to the Nusselt type equations:

$$\frac{\overline{h}_{N}}{h_{1}} = N^{-s} \quad \text{and},$$

$$\frac{h_N}{h_1} = N^P - (N - 1)^P.$$

For each set of runs, the following values for S and P were obtained:

RUN #	<u>s</u>	<u>P</u>
1-10	0.21	0.78
11-20	0.19	0.80
21-30	0.22	0.78
31-40	0.21	0.79
41-45	0.12	0.85
46-50	0.14	0.85
51-55	0.13	0.86
56-60	0.17	0.82

Note that for the Musselt equations,

S = 0.25 and P = 0.75.

A general trend seen in the Table and Figures, for both atmospheric pressure and vacuum runs, was that the heat transfer coefficient, the normalized heat transfer coefficients, and the heat flux all decreased through the tube bundle for each run or set of runs. This demonstrated the effect of condensate inundation through the tube bundle. The largest decrease in both h and h_M/h_1 relative to the previous tube occurred for the second tube with the next largest decrease for the fifth tube, while decreases for the third and fourth tubes were notably less. The \overline{h}_{M}/h_{1} values showed the largest decrease relative to the previous tube for the second tube followed by a gradual decrease through the remaining tubes. Note that the \overline{h}_{N}/h_{1} plot smoothed out some of the irregularity seen in the correponding $h_{\rm M}/h_{\rm l}$ plot for the same run. Also for both atmospheric pressure and vacuum runs, the heat transfer coefficient for a given tube increased as the vapor velocity increased, with the effect being more pronounced for the vacuum runs.

Interestingly, the normalized local and average heat transfer coefficients for a given tube decreased with increased vapor velocity for the vacuum runs. No similar trend existed for the atmospheric pressure runs. This was most clear when the $(\overline{h_N}/h_1)$ and $(\overline{h_N}/h_1)$ values were compared for a given tube

in Table V. These results are contrary to the expected trend in that they indicate that as the vapor velocity increases, the experimentally determined normalized heat transfer coefficients more closely agree with Nusselt's theory. This can be seen from the Figures and from the values for the S and P exponents tabulated above.

Actually, the relationship between vapor velocity and the normalized heat transfer coefficients given in the previous paragraph is extremely misleading. One is led to believe that an increase in vapor velocity degrades the overall performance of the condenser, when in fact the heat flux (q/A) and the heat transfer coefficient (h) for both a given tube and the tube bundle as a whole increase as the vapor velocity increases. The inconsistancy in the results is resolved when one considers the fact that, as shown in Table V, the heat transfer coefficient for the first tube (h_1) increased notably more with an increase in vapor velocity than did the heat transfer coefficients for the lower four tubes of the bundle. (This could be due to turbulent steam flow over the first tube caused by the porous tube above it and/or due to a decrease in the vapor velocity through the test condenser as the steam is condensed.) Then when \overline{h}_{M} and especially h_{N} are normalized by dividing by $\mathbf{h}_1\,,$ the resulting $\overline{\mathbf{h}}_{\mathrm{N}}/\mathbf{h}_1$ and $\mathbf{h}_{\mathrm{N}}/\mathbf{h}_1$ values naturally decreased as the vapor velocity increased. It is therefore apparent that though the normalized heat transfer coefficients are

invaluable in studying the effects of condensate inundation through a tube bundle, they can cause confusion and faulty interpretation of results when used to consider the effects of vapor velocity.

One last comparison between the atmospheric pressure and vacuum runs needs to be made. It was determined that smaller relative decreases in h, $h_{\rm N}/h_{\rm l}$, and $h_{\rm N}/h_{\rm l}$ occurred for each tube through the tube bundle for vacuum condition runs than for the atmospheric pressure runs. This result was attributed to the greater inundation of tubes for the atmospheric runs and the greater vapor velocities for the vacuum runs. In other words, the effects of vapor velocity to increase the above mentioned coefficients dominated over the effects of condensate inundation to lower them for the vacuum runs, while just the reverse was true for the atmospheric pressure runs.

The final area of multiple tube study was to investigate the use of the porous tube water supply system to simulate a tube bundle with more than five active tubes in a column. A major concern was that the average tube wall temperatures should fall from the upper to lower tubes as would be expected for an actual tube bundle with N number of tubes in a column. Table II and Figure 18 revealed that this condition was satisfied for the first ten tubes of Run 61, but that thereafter, the top tube of each five tube increment was too high. Table II and Figure 19 demonstrated that for Run 62 the sixth tube

had a higher tube wall temperature than the fifth tube. The effect of the average tube wall temperature discrepancies was reflected in the heat transfer coefficients, as shown in Table V and Figures 36-39, which did not fall as expected, but rather followed the trend of the average tube wall temperatures. The wall temperature discrepancies were not excessive; therefore, it was believed that a correction could be accomplished by setting the porous tube inundation water temperature to the condensate temperature as measured coming off the bottom tube of the previous five tube increment. This would allow for the effect of condensate subcooling which was apparently more significant than originally anticipated.

Taking the above into account, a study of Figures 36-39 can give a good indication of the effect of condensate inundation for larger depth tube bundles. Run 61, a vacuum run, demonstrated that a least square curve fit to a larger number of tubes was much closer to the Nusselt prediction than for the case of a five tubes per column bundle. It also appeared that the vapor velocity effects were dominant over the first four or five tubes, while the effects of condensate inundation prevailed for the remainder of the tube bundle. Run 62, an atmospheric pressure run, did not show an appreciable change in heat transfer coefficient relationships with the addition of tubes as compared to the five tubes per column runs.

The least squares curve fits for Runs 61 and 62 yielded exponents as follows:

RUN_#	<u>s</u>	ن م
61	0.23	0.75
6 2	0.21	0.78

From the Figures, it was noted that the curve fits were poor over the upper portion of the tube bundles, but were good for the lower portion.

VI. CONCLUSIONS

As a result of the above mentioned tests, the following conclusions were reached:

- 1. The average tube wall temperatures increased as the vapor velocity increased, but decreased as the amount of condensate inundation increased. The heat transfer coefficients followed this same trend.
- The experimentally obtained values for the heat transfer coefficient and the normalized average and local heat transfer coefficients were compatible with the Nusselt predictions for the runs conducted at atmospheric pressure. The same coefficients for the runs conducted under vacuum conditions greatly exceeded the Nusselt predictions due largely to the effects of increased vapor velocity. For the vacuum runs, the heat transfer coefficient for the top tube of the tube bundle agreed closely with the experimental correlation proposed by Fujii.
- 3. The simulation of a tube bundle of more than five active tubes per column under vacuum conditions demonstrated heat transfer coefficients closer to the Nusselt theory than when only five active tubes per tube bundle column were considered.

4. The results of all runs yielded the following exponents for the following Musselt type equations:

$$\frac{\overline{h}_{N}}{h_{1}} = N^{p} - (N - 1)^{p}$$

RUN #	CONDITION	<u>s</u>	<u>P</u>
1-10 11-20 21-30 31-40	atmospheric " "	0.21 0.19 3.22 0.21	0.78 0.80 0.78 0.79
41-45 46-50	vacuum "	0.12 0.14	0.85 0.85
51-55 56-60	"	0.13 0.17	0.36
61 62	" atmospheric	0.23	0.75

- 5. For a tube-to-tube spacing of 8 mm, condensate drops barely detached from the upper tube before striking the next lower tube at low condensation rates. At higher condensation rates, drops elongated to the next lower tube, instantaneously linking the tubes. For both the above cases, the condensate drops were rapidly integrated into the condensate film of the lower tube rather than rolling over the tube perimeter.
- 6. With increasing rates of condensation, the number of drops per unit length of a given tube increased. When the number of drops per unit length on the top tube was compared to the number of drops per unit length

on each of the lower tubes, it was found that the ratios remained constant despite changes in the rate of condensation.

VII. RECOMMENDATIONS

A. TEST APPARATUS MODIFICATIONS

To improve the uncertainty and validity of the test results, the following test apparatus modifications are considered advisable:

- 1. The most significant problem which remains with the test condenser is the breakage of tube wall thermocouples. Due to the cost of the thermocouples and the problems involved in replacing damaged ones, it would be best to use larger diameter, larger wall thickness tubes. This would allow for the in-house fabrication of thermocouples from cheaper fiberglass insulated thermocouple wire, and for the installation of thermocouples to the tube grooves using epoxy cement and copper strips rather than having to crimp and silver solder then in place as was the current practice.
- 2. The test condenser should be properly leveled and piping targeted to the test condenser to reduce or eliminate the condenser tube leveling problem.
- 3. The test condenser flanges should be made wider to allow for more sealing area which would eliminate the air leakage problem along the flanges.
- 4. For the Nusselt curves, the N=5 position, for both normalized heat transfer coefficients, occurs near the

knee of the curve. It is considered that more reliable data would be obtained if more tubes were added to the tube bundle. Three additional tube rows of 16 mm 0.D. tubes could be installed in the existing rig. It would be feasible, with some piping modification, to further increase the number of tube rows by adding a flanged section directly below the existing condenser section. The existing steam supply may limit the number of tube rows that can be installed and still allow for a sufficiently large volume and velocity of exhaust steam. It is also considered advisable to install a row of dummy tubes beneath the last active tube for use when additional tubes are to be simulated.

- 5. The existing cooling water rotameters should be replaced with lower maximum flow rate rotameters. This would allow for the attainment of lower flow rates, a lower cooling water ΔT, and improved uncertainty of the results. All runs in this study were made at about 15% maximum flow rate (corresponding to a cooling water velocity of about 1.5 m/s) which was about the lowest setting one could use with good accuracy.
- 6. For simulation of larger tube bundles, the inundation water should be at the temperature of the condensate falling from the bottom tube of the test condenser.

 Therefore, instrumentation should be installed to

to measure this temperature. Additionally, the temperature control system for the porous tube water supply tank should be modified to allow for more rapid heating and cooling to avoid long delays between run increments.

7. Installation of a window on the back of the test condenser would allow for viewing of the back side of the tubes so that the absence of drop-wise condensation could be continually verified.

B. ADDITIONAL TESTS

The following additional tests should be conducted.

1. To assure proper removal of non-condensable gases during atmospheric runs, the condenser exhaust steam was dumped to the bilges thus preventing vapor velocity calculations. A set of runs should be made with the exhaust steam piped to the secondary condenser, the vent on the secondary condenser open, and the air ejector secured. The requirement for the securing of the air ejector is necessitated since it can pull a vacuum on the test condenser by itself, however, if a larger vent were installed on the secondary condenser hotwell, it may be possible to operate with the air ejector in operation. The results of the above tests should then be compared to the data presented herein. If build-up of non-condensable gases can be avoided, then all steam

- could be condensed and the vapor velocity calculated.

 Alternatively, a venturi type velocity measuring
 instrument could be installed in the steam piping
 between the desuperheater and the test condenser.
- 2. Runs should be made varying the cooling water flow rates so that a comparison could be made between the method used in this study and the Wilson Plot technique.
- 3. Verification of the results of this study should be conducted by making sample runs with a full set of tube wall thermocouples installed in each active tube.
- 4. Movies should be made of the condensation process process so that accurate conclusions could be drawn as to condensate drop phenomena and their relationship to condenser performance.
- 5. Conduct additional tests to ascertain the effect of the change in vapor velocity through the tube bundle on the heat transfer coefficients.
- 6. Conduct tests with enhanced tubes after a good smooth tube performance base-line has been verified.

Table I.

Channel Numbers for Stainless Steel Sheathed Copper-Constantan Thermocouples

Location	Channel	Location	Channel	Location	Channel
T _w #1	40	T _w #5	5 7	T _{CO} #1	7 3
T _w #1	41	T _w #5	5 8	T _{co} #1	74
T _w #1	42	T _w #5	59	T _{co} #1	75
T _w #1	4 3	Ts	60	T _{CO} #2	76
T _w #2	44	Ts	61	T _{co} #2	77
T _w #2	45	Ts	62	T _{co} #2	78
T _w #2	46	T _{ci} #1	6 3	T _{CO} #3	79
T _w #2	47	T _{ci} #1	64	T _{CO} #3	80
T _w #3	48	T _{ci} #2	65	T _{CO} #3	81
T _w #3	49	T _{ci} #2	66	T _{CO} #4	82
T _w #3	50	T _{ci} #3	6 7	T _{CO} #4	83
T _w #3	51	T _{ci} #3	68	T _{CO} #4	84
T _w #4	5 2	T _{ci} #4	69	T _{CO} #5	85
T _w #4	5 3	T _{ci} #4	70	T _{co} #5	86
T _w #4	54	T _{ci} #5	71	T _{CO} #5	87
T _w #4	55	T _{ci} #5	72	TDSNTR	38
T _w #5	56			$^{\mathtt{T}}_{\mathtt{TSHW}}$	89

Table II. Temperature Data

$T_{\rm S}$ ($^{\rm O}_{\rm C}$)	101.0	ξ :	=	=	=	101.0	=	¥	*	=	100.7	2	2	=	:	101.0	=	=	=	=	101.0	E	=	=	:
T_{V} (^{O}C)	101.7	ξ :	=	Ξ	z	103.7	"	=	=	z	101.7	÷	=	=	z	101.7	=	=	=	£	101.7	=	Ξ	=	£
$T_{\mathbf{w}}$ ($^{\mathrm{O}}_{\mathrm{C}}$)	78.2	70.	73.4	70.5	67.2	· ω	0	m	0	67.7	9	<u>,</u>	73.5	0	æ.	· თ	Η.	8	70.4	8	φ.	0	ε,	71.2	7.
T _{CO} (OC)	33.5	е С	?	2	٠,	ω,	2	2.	2	31.3	ω,	33	32.4	2.	31.5	3	33.	2.	32.8	- -i	ω.	ش	2.	7	31.6
Tci (°C)	27.1	7.	7.	7.		7	7	-	7	27.2	2	7	5	2	27.5	7	7.	7.	7	27.5	~	~	7	7	27.6
TUBE #	-	2	m	\$. S	ىم	0	ım) 2	. v	٦	2	က	ⅎ	5	м	2	٣	3	5	гч	2	3	:	S
RUN #	 4					2	•				က					#					2				

Ico (°C) Tw 33.2 78 32.7 71
9.6.
ო თ.
o.:
.
9.
≉.
.8
o.
9.
· 3
8.
.5

RUN #	TUBE #	Tci (°C)	Tco (°C)	Tw (°C)	T_{V} (O C)	T _S (^O C)
11	ч	\sim	6	77.6	101.2	100.6
	2	د	6	70.3	=	=
	က	3	8	71.0	=	=
	#	ω,	ω,	6.89	=	Ξ
	2	23.6	27.8	68.3	=	Ξ
12	1	т •	ნ	77.1	101.2	100.6
	2	ω,	9	0	=	=
	ო	Э.	ω ω	~~	=	=
	3	т С	ω	ω.	=	=
	S	23.5	27.7	•	=	:
13	1	ω.	6	7.	101.2	100.6
	2	ж	6	0.	=	=
	က	е С	8	Ţ.	*	z
	_	ж,	α	о Ф	=	=
	ς.	23.4	27.7	67.5	=	z
7 #	1	m	9.	7	101.3	100.6
	2	က	ω,	0	=	=
	m	3	8	i.	=	=
	#	$^{\circ}$	ω,	6	=	=
	2	23.4	27.6	70.4	=	=
15	Н	ω.	· 6	7.	101.2	100.6
	2	ω,	œ.	0	=	=
	က	23.4	ω	71.9	=	=
	=	ж •	ω.	ъ ж	=	=
	2	е Э	7.	7.	=	=

	ci (°C) T _{CO}	T Z	T _V (^O C)	T _S (^O C)
23.4 23.4	28.9	70.1	101.1	o. noT
3	ω,	71.3	= :	= :
\sim	ω ω	69.1	Ξ	=
က	7.	69.3	Ξ	=
\sim	6	7	101.2	100.6
$^{\circ}$	ж ж	0	=	Ξ
23.3	œ	72.1	=	=
E	æ	6	=	=
	27.5	7	=	z
'n	G	7	101.2	100.6
ش	œ	\circ	=	Ξ
	œ	71.3	=	=
3.4	ф ф	9	=	Ε
က	•	7	2	=
3.3	6	7	101.1	100.6
3,3	α	0	=	=
3,3	œ	\leftarrow	=	=
3.4	œ	8	z	z
	27.5	67.1	E	E
3.2	8	7	101.2	100.6
3.3	ω,	0	=	=
23.3	28.3	72.0	z	=
т	•	6	=	=
ж •	2	0	=	=

RUN #	TUBE #	Tci (°C)	T_{CO} (O C)	Tw (°C)	T_{V} (O C)	T _S (OC)
21	H	24.7	30.3	77.1	100.7	100.3
	2	=	30.1	· б	=	=
	က	.	29.6	0.	Ξ	=
	.	_+	29.9	· ω	=	=
	5	24.8	28.9	•	=	=
22	1	=		∞	100.7	100.3
	2	⇉	0	თ	=	=
	က	#	Œ	_	=	£
	ⅎ	#	ф С	6	=	=
	5	24.7	28.8	67.0	Ξ	:
23	1		0	7.	100.7	100.3
	2	⇉	0	6	=	z
	က	⇉	6	۲.	=	=
	±	⇉	6	9	=	=
	S	24.7	28.8	67.1	z	2
24	J	±.	0	7.	100.7	100.3
	2	≠	0	6		=
	က		9		=	=
	_	24.8	29.9	6.89	=	Ξ
	5	24.8	•	7.	=	=
25	,-4	≠	0	7.	100.7	100.3
	2		0	0	=	=
	ო	∓	9	۲.	=	=
	#	25.0	30.0	8.89	=	Ξ
	2	⋣	മ	7.	=	=

RUN #	TUBE #	Tci (°C)	T_{CO} (O C)	\overline{T}_{w} ($^{O}_{C}$)	T _v (°C)	T _s (^o c)
26	1	5.	•	77.6	100.7	100.3
	2	ⅎ	•	8.69	=	=
	က	25.0	29.8	71.3	=	=
	.	5		68.7	=	=
	2	25.0	29.1	0.79	Ξ	=
27	1	5.	0	α	100.8	100.3
	2	5	0	0	=	=
	ဇာ		်	0	=	=
	.	5.	0	6	=	=
	S		29.2	67.1	=	=
28	J	5.	0	7	100.8	100.3
	2	25.1	30.4	70.2	=	=
	က	5.	6	۲.	=	=
	±	5.	0	ω,	=	=
	જ	5.	9	7 .	Ξ.	E
29	J	5.	0	7	100.7	100.3
	2	25.2	0	0	=	Ξ
	က	5.	0	Ξ.	=	=
	_	5.	0	6	=	=
	S.		•	67.0	E	=
30	7	5.	0	7	100.8	100.3
	2	5.	0	\blacksquare	=	Ξ
	က	25.1	30.0	71.9	ε	=
	#	5.	0	6	=	=
	2	5.	· б	7	=	=

RUN #	TUBE #	T _{c1} (^o C)	T _{CO} (^O C)	T _w (°C)	T _v (°C)	T _S (O _C)
31	J	24.7		76.8	100.5	100.2
	2	24.7	29.9	69.1	~	=
	က	24.7	9	70.0	=	=
	.	24.7	ъ б	68.7	=	Ξ
	5	24.7	•	69.1	=	=
32	7	24.6	0	•	100.5	100.2
	2	24.6	6	ნ	=	=
	m		9	0	=	=
	.		6	91	=	=
	. N	24.5	28.9	70.8	=	=
33	J	24.4	0	7.	100.5	100.2
	2	24.4	6	ω,	=	=
	က	24.4	6	70.2	=	=
	±	.24 t	δ	ъ б	=	=
	ស	24.4	28.6	•	=	=
34	r- 4		6	7.	100.6	100.2
	2	•	ъ б	ω,	=	=
	က	•	ф	0	2	=
	ⅎ	•	б	8	=	=
	2	24.3	28.5	70.0	=	=
35	H	•	6	7.	100.6	100.2
	2	•	6	· 6	=	ŧ
	က	24.2	28.9	70.5	=	•
	±	•	6	6	=	=
	5	•	œ	0.	=	=

RUN #	TUBE #	T _{ci} (°C)	T _{co} (^o c)	T _w (°C)	$T_{\rm v}$ ($^{\rm O}$ C)	T _S (^O C)
36	1	24.1	29.6	17.1	100.6	100.2
	2	24.1	29.4 20.0	69.5	= :	= :
	ທ .	74.1	x	70.2	: :	: :
	→	24.1	თ	₩. 89	=	=
	လ	24.1	œ.	8.69	=	=
3.7	٦	24.0	တ	Ω	100.6	100.2
	2	₹.	6	б	2	=
	က	24.0	ω.	0	=	Ξ
	±	±.	σ,	· ∞	=	=
	S	•	28.3	თ	=	=
38	ч	•	6	77.5	100.6	100.2
	2	23.9	6	9	=	=
	က	•	α	\sim	=	=
	#	•	6	∞	=	Ξ
	5	•	œ	CD.	=	=
39	٦	ж.	ნ	7	100.5	100.2
	2		б	69.7	=	=
	က	ж •	8	0	=	=
	±	ლ	œ	6	=	E
	25	٠ ٣	28.1	CD.	=	=
0 4	٦	3.	6	7	100.5	100.2
	2	ж •	6	ω,	=	=
	က	23.6	28.4	70.3	=	=
	#	ж •	α	ω,	=	=
	2	Э.	ω,	9.	=	=

KUN *	TUBE #	r _{ci} (°c)	T _{CO} (OC)	$\Gamma_{w}^{(O_{\mathbb{C}})}$	T _v (°C)	$T_{\rm s}$ ($^{\rm O}_{\rm C}$)
41		19.6	22.1	6.44	53.3	52.0
		19.5	22.3	42.1	=	Ξ
		19.6	21.8	45.1	=	=
		19.6	22.0	43.0	=	=
		19.6	21.6	41.8	=	:
42	1	•	22.3	9.94	56.8	55.3
	2	•	22.5	44.1	=	Ξ
	m	•	22.0	45.4	=	=
	.	•	22.2	9.44	=	=
	S	19.5	21.7	43.4	=	÷
1 3	7	•	22.1	45.3	53.8	53.3
	2	9.	22.2	2.	Ξ	=
	က	ь 6	21.9	33.	=	=
	_	6	22.0	Э.	Ξ	=
	S	19.5	21.6	42.2	=	*
7.7	Н	9	22.0	8	52.5	51.5
	2	6	22.1	7	=	=
	က	6	21.8	2.	£	=
	3	ъ б	21.9	2.	=	=
	വ	19.5	21.6	41.3	=	:
45	Н	9	22.0	m	52.6	51.2
	2	б	22.1	<u>-</u> -	2	=
	က	ъ б	21.7	2.	=	=
	#	19.5	21.9	42.6	=	
	ડ	9.	21.6		£	2

RUN #	TUBE #	T _{c1} (°C)	T _{co} (°C)	Tw (°C)	$T_{V}^{(O_{\mathbb{C}})}$	T _S (^O C)
94	1			6° 44	53.4	52.2
	2			42.2	ı	=
	æ			43.7	=	=
	≓			43.2	=	=
	S.			45.4	=	£
L th	1	19.6	۳.	45.0	53,2	51.0
	5	19.5	.	42.5	=	=
	m	19.6	6.	43.6	=	=
	#	19.6	0.	43.0	=	=
	S	19.6	21.7	42.0	=	=
8 #	7	19.6	.2	45.3	53.8	52.1
	2	19.5	.5	42.7	=	11
	m	19.6	6.	0.44	*	=
	≠	19.6	0.	43.7	=	*
	ις.	19.6	.7	42.7	=	2
67	1	19.6	٠.	45.3	54.1	52.8
	2	6	.5	42.5	=	=
	3	თ	σ.	0.44	=	2
	ⅎ	9	0.	43.6	÷	Ξ
	ស	19.5	9.	42.5	Ξ	=
5.0	7	9	0.	45.5	54.1	52.5
	2	9	1.	43.2	z	=
	3	19.4	8.	43.9	=	=
	*	9	8.	43.8	=	=
	S	ð	٠.	42.6	=	=

(_O C)	53.1	=	=	Ξ	53.1	=	=	=	=	53.1	z	=	=	ε	55.6	=	=	=	=	53.1	=	=	Ξ	E
$T_{v}^{(O_{C})}$	9 . 45	=	=	=	54.2	=	=	=	=	55.8	Ξ	Ξ	=	Ξ	56.7	=	=	=	=	54.1		=	=	=
T _w (°C)	46.1 43.6	6.44	44.1	43.3	46.0	43.2	9.44	43.5	42.9	47.0	43.8	45.5	8.44	1.44	47.8	44.7	0.94	45.5	9.44	45.7	43.0	11. 11.11	44.1	143.0
T _{CO} (^O C)																								
T _{ci} (°C)	19.0	0.6	J. 6	6.8	18.9	8.8	6.8	6.8	ნ. მ	6.8	8.8	8.8	8.8		8.9	8.7	8.8	8		8.8	8.7	8.8		8.8
TUBE #	1	4 M	· 1	ഹ	1	2	æ	a	5	1	2	m	ⅎ	r.	7	2	8	ⅎ	S	,	2	~	t t	S
RUN #	51				52					ر 3					3.4					ยา นา				

KUN #	TUBE #	T _{c1} (°C)	T _{CO} (^O C)	T _w (°C)	$T_{V}^{(O_{C})}$	T_{s} ($^{O}_{C}$)
56		18.7	21.5	47.5	55.9	54.3
		18.6	22.0	44.2	=	=
		18.7	21.4	46.0	=	Ξ
		18.7	21.5	45.6	=	=
		18.7	21.0	5.44	Ξ	=
5.7		18.7	21.4	6.94	5, 43	±. €3
		18.6	21.8	43.6	Ξ.	
		18.7	21.2	45.1	=	=
		18.7	21.3	9.44	=	=
		18.6	21.0	43.5	Ξ	
5 8		18.6	21.4	47.1	9.45	53.2
		18.5	21.8	43.4	=	=
		18.6	21.2	45.4	=	Ξ
		18.6	21.2	8.414	Ξ	Ξ
		18.6	20.9	43.1	=	Ξ
59		18.6	21.4	47.3	55.1	53.8
	2	ن	21.8	43.7	=	=
	es	9.8	21.1	4.54	=	=
	‡	9.8	21.2	ं ने न	=	=
	ស	8.5	20.8	43.5	Ξ	=
09	-4	8.5	21.3	47.4	55.1	53.8
	2	4.8	21.7	43.8	=	=
	က	8.5	21.1	3.S#	=	=
	ⅎ		21.2	44.3	Ξ	=
	5	4.8	20.9	43.7	=	=

T _S (^O C)	53.5	: =	z	ε	54.2	=	£	=	2	56.0	Ξ	=	Ξ	=	9.45	=	=	•	=	55.0	=	=	=	Ξ
T _v (^O C)	54.7	: 2	=	Ξ	55.7	=	=	=	=	57.5	=	=	Ξ	=	56.2	=	=	=	=	56.3	=	=	=	£
T _w (°C)	9.94 9.04	ກ. ພິດ ຊ	2. hh	43.7	42.6	39.7	41.3	41.0	39.8	2.	ъ б	6.04	6	9.	6	7.	5	ნ	38.2	 6	7	φ ω	38.9	37.7
T. (°C)	21.3	0.17 0.10	21.0	20.7	0	-	\Box	0	4.02	\circ	_	0	0	20.2	0	0	0	0	19.8	6	9	6	6	19.2
r _{ci} (°c)	18.4		 	· 20	ත	ω	•	œ	18.1	&	œ	18.1	œ	ش	7.	7	7.	7.	17.7	7.	7.	7.	7	•
TUBE #		.7 6) ±	. 2	9	7	8 0	б	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25
RUN #	61																							

RUN #	TUBE #	T _{c1} (⁰ C)	T_{co} ($^{o}_{C}$)	T _w (°C)	T _V (OC)	T _S (^O C)
61	56	17.1		39.0	56.8	55.0
(contd)	2.7	16.9		37.2	=	=
	2.8	17.0		38.9	=	=
	2.9	17.0		38.3	Ξ	=
	30	17.0		37.9	Ξ	=
62	1	21.6		78.0	101.4	100.9
	2	21.5		70.8	=	£
	က	21.6		71.5	=	=
	.	21.6		68.4	~	=
	S	21.6		66.2	=	=
	ပ	21.6		71.3	101.7	101.1
	7	21.6	26.6	63.8	=	=
	80	21.6	26.1	65.3	=	=
	6	21.6	26.3	0.49	=	=
	10	21,6	25,5	61.8	=	Ξ

Table III.

Pressure and Volumetric Flow Rate Data (Runs 1-60)

V _{SC} (m1/min)	į I	;	1	;	1	1		1 1	l i	;		- 1	!	1	1	-	-	-	;	1	1	180	180	180	180	180
V _{TC} (ml/min)	610	230	009	009	009	2 0 0	009	009	290	009	((560	064	380	5 8 0	520	240	5 8 0	530	390	260	210	320	240	230	180
, V _d (ml/min)	;	!	1	!	!	:	!	:	;	;		! ;	1	1 1	;	;	:	!	1	1	1	100	100	100	100	100
P _{SS} (psig)	0 11	0+	04	0+	0 1 1	0+	04	0+	0+	0 tı	,	35	35	35	35	35	35	35	35	35	35	ဇ	35	35	35	35
Prc (mm Hg)	770	770	770	770	770	770	770	770	770	770	,	768	768	768	768	768	168	768	768	768	768	102	122	110	100	100
RUN #	21	22	23	24	25	26	27	28	29	30		31	32	33	34	35	36	37	38	39	0 1	4]	4.2	rt 3	± ±	4.5

	ć	۵	, · >	• >	٠ ٧
RUN #	Frc (mm H _z)	'SS' (gisig)	(ml/min)	(m1/min)	(ml/min)
		-	100	260	330
94	103) T	100	260	330
μJ	&) (f -	001	270	330
r 8	103) T =	001	210	330
61	104) O	100	300	330
20	707				0
		4	100	290	380
51	50T) w	001	290	390
52	109	ი u # =	001	320	390
53	109	ດ ເ ≇ .) () () ()	260	390
54	124	د ا	001	010	390
55	109	4.5	201	G 7	, ,
		Ċ	007	280	n 70
56	116	0 0	001	300	470
5.7	111	20	000	060	η 70
58	109	20	007	067	n 70
59	112	50	100	017	u 70
09	112	20	007	007	2

fable IV.

Pressure and Volumetric Flow Rate Data (Runs 61 & 62)

V _{PT} (ml/min)	0 290 450 640 690 710	0 830
V _{SC}	400 580 380 680 800 910	; ;
V _{TC} (ml/min)	290 160 190 50 20 10	630
, V _d (ml/min)	100 100 100 100 100	; ;
P _{SS} (psig)	50 50 50 50 50 50	50 50
Prc (mm Hg)	111 115 126 117 120 120	787 793
TUBE #	1-5 6-10 11-15 16-20 21-25 26-30	1-5 6-10
RUN #	61	6.2

Results TUBE # RUN #

$\frac{q/A}{\left(\frac{KW}{m^2}\right)}$	280 290 250 240 200	280 290 250 250 . 200	290 260 250 250	280 250 250 250 200	280 250 250 250 210
$\begin{pmatrix} h \\ h_1 \\ h_2 \end{pmatrix}$	1	11111		11111	11111
N H	1.0 0.78 0.74 0.67 0.50	1.0 0.77 0.72 0.66 0.48	1.0 0.67 0.71 0.65	1.0 0.69 0.74 0.68	1.0 0.68 0.73 0.65
			11111	11111	11111
N 4	1.0 0.89 0.84 0.80 0.74	1.0 0.88 0.83 0.79	1.0 0.84 0.79 0.76	1.0 0.85 0.81 0.78	1.0 0.84 0.80 0.77 0.71
$\begin{pmatrix} KW \\ KW \\ \hline \\ \hline \\ \hline \\ \\ \hline \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ $	12.1 9.5 9.0 8.2 6.1	12.7 9.8 9.2 8.3	12.8 8.6 9.1 8.4	12.1 8.4 8.9 8.3	12.3 8.4 9.0 8.1
TUBE #	2 5 4 3 5 1	1 2 5 4 3	1 1 2 2 1	2 4 3 5 1	2 2 2 2
RUN #	ĸ	Q	۲ .	σ	ത

		1.0 0.71 0.71 0.64 0.48			
h N	1.0 0.69 0.72 0.69	; ; ; ; ; ;	1.0 0.72 0.69 0.66	1.0 0.74 0.68 0.64 0.58	1.0 0.75 0.69 0.62 0.53
$\begin{pmatrix} h \\ h_1 \end{pmatrix}$		1.0 0.85 0.80 0.76 0.71			11111
h h	1.0 0.85 0.81 0.78	1111	1.0 0.86 0.80 0.77 0.72	1.0 0.87 0.81 0.76 0.75	1.0 0.87 0.81 0.76 0.75
$\begin{pmatrix} KW \\ \frac{KW}{m^2 \cdot o_C} \end{pmatrix}$	12.2 8.5 8.8 8.4 6.1	11111	12.2 8.8 8.5 8.1 6.8	12.2 9.0 8.2 7.8	12.2 9.1 8.5 7.6 6.5
TUBE #	C E 3 S H	7 2 2 2 2	2 t 3 5 J	S # 3 2 J	1 1 1 1 1 1
RUN *	10	1-10	11	12	13

RUN #	TUBE #	$\begin{pmatrix} K_{\overline{M}} \\ \overline{M^2 \cdot O_{\overline{C}}} \end{pmatrix}$	N L		N H	$\begin{pmatrix} h \\ h^2 \end{pmatrix}$	$\begin{pmatrix} Q/A \\ KW \\ m \end{pmatrix}$
1 tr	25 # 3 \$ 2 1	12.3 9.1 8.6 8.1	1.0 0.87 0.81 0.77	11111	1.0 0.74 0.70 0.66	11111	290 270 250 250 260
15	S F 20 P	12.5 9.1 8.6 7.9 6.6	1.0 0.86 0.80 0.76	11111	1.0 0.73 0.69 0.64 0.52	1111	290 270 250 . 250
16	2 8 4 3 5 1	12.2 8.9 8.4 7.9	1.0 0.86 0.81 0.76		1.0 0.73 0.69 0.64	11111	280 270 250 250 250
17	Q L 33 D III	12.3 9.2 8.8 7.9 6.3	1.0 0.87 0.82 0.77	11111	1.0 0.74 0.71 0.64	11111	290 280 250 250 250 210
18	24351	12.1 9.2 8.6 8.0 6.5	1.0 0.88 0.82 0.78	1111	1.0 0.75 0.71 0.66	1111	290 280 250 250 250

	290 280 250 250 250				
h N	1.0 0.74 0.70 0.63	1.0 0.75 0.73 0.66	11111	1.0 0.70 0.69 0.63	1.0 0.67 0.65 0.65
$\begin{pmatrix} h_1 \\ h_1 \end{pmatrix}$;;;;;	1.0 0.87 0.81 0.77		
N d	1.0 0.87 0.81 0177	1.0 0.88 0.83 0.78	.	1.0 0.85 0.79 0.75	1.0 0.84 0.78 0.74
$\begin{pmatrix} KW \\ \frac{1}{M} & O \\ 0 & O \end{pmatrix}$	12.3 9.1 8.7 7.8 6.	12.0 9.0 8.8 7.9	11111	12.1 8.4 8.3 7.7 6.2	12.8 8.6 8.4 8.4
TUBE	P T B D F	2 t 3 5 F	24351	24371	ተሪንታው
RUN *	19	20	11-20	21	22

=	= ($\left(\frac{KW}{2}\right)$	Z á	Z E	Z Z		$\frac{q}{K}$
*CON	TOBE	E C	1	1 1	1		/ E/
23	1	12.2	1.0	1	1.0	1	280
	2	ට. ස	0.87	f 1	0.73	1	270
	က	η· χ	0.81	ı	0.69	1	250
	.	7.8	0.77	ť	h9.0	1	240
	5	6.2	0.71	i l	0.51	!	210
24	7	12.4	1.0	i	1.0	1 1	280
	2	8.8	38.0	1	0.71	i i	270
	٣	7.6	0.78	ì	0.62	!	220
	ⅎ	7.7	h/. 0	<i>t</i>	0.62	1	240
	S	6.3	69.0	f I	0.51	i	210
1		i					
2.5		12.7	1.0	1	1.0	[1	290
	2	ж ж	0.85	′	69.0	1	270
	က	ાં જ	0.78	1	99.0	ř i	240
	±	7.6	0.74	7	0.59	ł	240
	2	6.2	69.0	;	6h'O .	:	210
	ŗ		;		,		ć
7.0	-1	T.7.4	n. T	,	1.0	i i	280
	2	თ. დ	98.0	1	0.72	;	270
	က	8.3	0.80	J	0.67) 1	240
	#	7.7	0.75	j	0.62	;	240
	5	6.2	0.70) 	0.50	!	210
•	r	((,		9
, ,	-	17.1	1.0	, ,	0.1	1 1	280
	2	6°8	0.85	1	0.70	1	260
	က	8.0	0.78	1	0.63	1	240
	<i>-</i> ‡	7.9	n.74	1 1	0.62	ŧ	240
	5	4. 9	69.0	!	0.50	1	210

UNCLA	SSIFIED	NPS69	2 P J -82-00:	NOFTZ	•			 NL		
	2n#2 AD AD 338									
	>					12				
									END DATE FILMED D-82 DTIC	

$\begin{pmatrix} h_{N} \\ h_{1} \end{pmatrix} \begin{pmatrix} q/A \\ KW \\ m \end{pmatrix}$	2 2 2 2 2	280 260 240 240	280 270 240 240 240	280 270 240 240 240	280 260 240
N H	1.0 0.69 0.65 0.64	1.0 0.68 0.66 0.64 0.58	1.0 0.69 0.66 0.60	1.0 0.72 0.66 0.64 0.60	1.0 0.71 0.66 0.63
h h	11111	11111	11111	11111	1111
h h	1.0 0.84 0.78 0.74	1.0 0.84 0.78 0.74 0.71	1.0 0.85 0.78 0.74	1.0 0.86 0.79 0.75	1.0 0.86 0.79 0.75
$\begin{pmatrix} KW \\ KW \\ \frac{1}{M} \cdot O_C \end{pmatrix}$	12.0 8.2 7.8 7.7	12.2 8.3 8.0 7.8	12.3 8.5 8.1 7.4	12.0 8.6 7.9 7.6	12.0 8.5 7.9
TUBE #	2 t 3 5 h	2 + 3 2 1	24321	જ ા ૧૭૦ ૫	r 2 2 2 1
RUN *	32	33	н е	35	36

$\frac{q/A}{\binom{KW}{m^2}}$	280 260 240 240 220	280 270 240 240 220	280 270 240 240 220	280 280 240 240 220	11111
h h	1111	11111	1111	11111	1.0 0.70 0.66 0.63
h N	1.0 0,72 0.68 0.64 0.61	1.0 0.70 0.64 0.62	1.0 0.71 0.65 0.63	1.0 0.71 0.65 0.61	11111
$\begin{pmatrix} h_1 \\ h_2 \\ \end{pmatrix}$	00	0	11111		1.0 0.85 0.79 0.75
4 4	1.0 0.86 0.80 0.76	1.0 0.85 0.78 0.74 0.71	1.0 0.86 0.79 0.75	1.0 0.85 0.79 0.74 0.71	
$\begin{pmatrix} KW \\ \frac{2}{M} & 0 \end{pmatrix}$	11.8 8.5 8.0 7.5	12.4 8.7 7.9 7.6	12.2 8.7 7.9 7.7	12.3 8.7 8.1 7.5	11111
TUBE #	24337	2 t 3 5 h	ц С ё т г	2 + 3 5 1	2 4 3 5 1
RUN #	37	8 8	39	0 +	31-40

$\frac{q'A}{\left(\frac{KW}{m^2}\right)}$	130 140 110 120 100	140 150 130 . 130	130 130 120 120 110	120 130 120 120 110	130 130 120 120 110
$\begin{pmatrix} h \\ h_1 \\ h_2 \end{pmatrix}$	11111	1111	11111		
h N	1.0 0.86 0.98 0.82 0.60	1.0 0.85 0.81 0.78 0.60	1.0 0.76 0.79 0.77	1.0 0.79 0.79 0.78	
$\begin{pmatrix} \frac{h}{N} \\ \frac{h}{1} \end{pmatrix}$		11111			11111
h N N	1.0 0.93 0.95 0.91 0.85	1.0 0.92 0.89 0.86 0.81	1.0 0.88 0.85 0.83	1.0 0.90 0.86 0.84 0.89	1.0 0.89 0.86 0.85 0.81
$\begin{pmatrix} KW \\ \frac{1}{M^2 \cdot O_C} \end{pmatrix}$	16.3 14.0 16.0 13.4	15.6 13.2 12.7 12.2 9.3	15.7 12.0 12.4 12.1	15.9 12.6 12.6 12.4 10.3	17.2 13.4 13.8 14.0 11.3
TUBE	2 + 3 5 1	2 6 4 3 5 1	24327	5 # 3 2 J	2 + 3 5 1
RUN #	t J	4.2	£ †	† †	4 5

RUN #	TUBE #	$\begin{pmatrix} KW \\ \frac{2}{n} & O \\ C \end{pmatrix}$	h N	$\begin{pmatrix} h \\ h_1 \\ \end{pmatrix}$	N L	$\begin{pmatrix} h \\ h_1 \\ h_2 \end{pmatrix}$	$\frac{q/A}{\left(\frac{KW}{m}\right)}$
4]-45	et Co Et an Drie	11111	11111	1.0 0.90 0.88 0.86	11111	1.0 0.81 0.84 0.79	
ទូក	25 # 3 2 1 1	17.2 13.3 13.6 13.4	1.0 0.89 0.85 0.84 0.79	11111	1.0 0.77 0.79 0.78 0.60	11111	130 130 120 120 . 100
۲ ۲ ۲ ۲ ۲ ۲ ۲ ۲ ۲ ۲ ۲ ۲ ۲ ۲ ۲ ۲ ۲ ۲ ۲	C t 3 5 F	20.9 16.8 15.6 15.1	1.0 0.90 0.85 0.82 0.77	11111	1.0 0.80 0.75 0.72 0.56	11111	130 140 120 120 110
88 #	2 t 3 2 H	19.2 15.8 14.3 14.4	1.0 0.91 0.85 0.83	11111	1.0 0.82 0.74 0.75	11111	130 150 120 120 110
64	H 0 E # 5	17.9 15.1 13.9 14.4	1.0 0.92 0.87 0.86		1.0 0.84 0.78 0.80	11111	130 150 120 130 110

RUN *	TUBE #	$\begin{pmatrix} KW \\ \frac{KW}{m^2 \cdot O_C} \end{pmatrix}$	N C	$\begin{pmatrix} h \\ h_1 \\ \end{pmatrix}$	N L	$\begin{pmatrix} h_1 \\ h_2 \end{pmatrix}$	$\frac{q/A}{m}$
50	2 t 3 5 J	18.7 16.5 14.0 13.9	1.0 0.94 0.88 0.84 0.79	11111	1.0 0.88 0.75 0.74	1111	130 150 120 120
46-50	C1 C2 C2 F1		11111	1.0 0.91 0.86 0.84 0.79	:::::	1.0 0.84 0.76 0.76	
51		19.4 15.6 15.3 14.5	1.0 0.90 0.86 0.84 0.84	11111	1.0 0.80 0.79 0.75	11111	140 150 130 130
52	H C2 FR Z5 FR	19.1 15.5 14.8 13.6	1.0 0.90 0.86 0.82 0.77	11111	1.0 0.81 0.77 0.71 0.57	11111	140 150 130 130
53	ሪተመኮኮ	22.2 17.0 17.8 17.0 13.4		1111	1.0 0.76 0.80 0.76 0.60	11111	140 160 140 140

9/A (KW) m 2	140 170 140 140 120	140 160 120 130 110	11111	140 170 140 140	140 160 130 120
$\begin{pmatrix} h \\ h \\ 1 \end{pmatrix}$	11111	11111	1.0 0.82 0.79 0.76	11111	11111
$\begin{vmatrix} h \\ h \end{vmatrix}$	1.0 0.89 0.81 0.63	1.0 0.85 0.76 0.60	11111	1.0 0.80 0.79 0.78	1.0 0.77 0.72 0.71 0.58
$\begin{pmatrix} h \\ h_1 \end{pmatrix}$	11111	11111	1.0 0.91 0.87 0.84	11111	1111
h N	1.0 0.94 0.90 0.87 0.83	1.0 0.93 0.87 0.85	11111	1.0 0.90 0.86 0.84 0.79	1.0 0.89 0.83 0.80
KW KW COC	17,4 15,4 14,1 13.9	18.3 15.6 13.9 14.5	11111	20.7 16.6 16.3 16.2 11.8	20.9 16.1 15.1 14.8 12.2
TUBE	24321	2 t 3 2 J	2 + 3 5 1	2 t 3 5 h	C # 3 2 1
RUII #	5 tt	5 5	51-55	56	57

RUN #	TUBE #	KW KW	L L	$\begin{array}{ c c } \hline & & \\ & & \\ & & & \\ &$	h N	$\begin{pmatrix} h \\ h \\ 1 \end{pmatrix}$	$\begin{pmatrix} K & W \\ m & 2 \end{pmatrix}$
8 8	2 4 3 2 1	23.1 16.6 16.8 15.6	1.0 0.86 0.82 0.78 0.72	- -	1.0 0.72 0.73 0.67 0.50	1111	140 160 130 130
5 9	2 4 3 7 1	21.6 16.1 15.0 14.0	1.0 0.87 0.81 0.77	{	1.0 0.74 0.69 0.65	11111	140 160 130 130
09	2 4 3 5 1	22.0 16.3 15.9 14.3	1.0 0.87 0.82 0.78 0.74	11111	1.0 0.74 0.72 0.65	1111	140 160 130 140
26-60	2 2 2 2	11111	11111	1.0 0.88 0.83 0.80	11111	1.0 0.76 0.73 0.69 0.55	11111
61	2 + 3 5 1	21.1 16.5 15.4 14.8 11.3	1.0 0.89 0.84 0.80		1.0 0.78 0.73 0.70	1111	150 160 130 110

q/A (KW) m	130 160 130 120	130 150 120 130	120 140 120 120 110	110 120 120 120 110	110 130 120 120 110
$\begin{pmatrix} h_N \\ h_1 \end{pmatrix}$	1	1111	1 1 1 1 1	1111	11111
h h	0.53 0.50 0.46 0.45	0.43 0.42 0.38 0.37	0.37 0.39 0.36 0.37	0.33 0.33 0.34 0.35	0.31 0.34 0.34 0.34 0.39
$\begin{pmatrix} \frac{h_N}{N} \\ \end{pmatrix}$;;;;;	11111		1111
h ₁	0.71 0.68 0.65 0.63	0.59 0.58 0.56 0.55	0.52 0.51 0.51 0.50	0.48 0.47 0.47 0.46	0.45 0.45 0.44 0.44
KW KW	11.3 10.6 9.7 9.5 8.0	9,2 8,9 8,0 7,8	7.8 8.2 7.7 7.8 6.4	6.9 7.1 7.5	6.6 7.2 7.2 7.2 6.2
TUBE #	6 8 9 10	11 12 13 14	16 17 18 19 20	21 22 23 24 25	26 27 28 29 30
RUI!	61 (contd)				

$\frac{Q}{K}$	300	300	260	260	210	250	250	230	240	200
$\begin{pmatrix} h_{1} \\ h_{1} \end{pmatrix}$!	!!	1	1	1	!	-	1	1	1
h h	1.0	0.75	0.68	0.61	94.0	49.0	0.50	84.0	0.48	0.38
$\begin{pmatrix} h_1 \\ h_1 \end{pmatrix}$	ļ	:	;	;	;	!	i i	;	!	;
_K	1.0	0.87	0.81	0.76	0.70	0.69	99.0	49.0	0.62	09.0
KW KW MY OC	13.2	8.6	6.8	8.0	6.1	1. 8	9.9	6.3	т. 9	5.0
TUBE #	н	2	က	±	ഹ	9	7	· 00	ത	10
RUN #	62									

Table VI.

N H	0 2 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0	8.2 8.7 8.4 7.6	8 8 .9 .9 .2 .5 .5 .5	9.1 9.7 9.2 9.2
Ts-Tw1	7.7 8.7 8.0 7.6			00000 1.5.00 1.5.00
T _S	52.0 55.3 53.3 51.5		53.1 53.1 53.1 55.6	54.3 53.4 53.8 53.8
T WS	43.8 43.4 413.3	42.4 42.0 42.7 42.5 42.5	43.3 42.9 44.1 44.1	144.00 1.3.15 1.00 1.3.15 1.3.15
Twh	43.0 44.6 43.3 42.2 42.6	43.2 43.0 43.7 43.6	44.1 53.5 44.8 45.5	45.6 44.6 44.8 44.5
E 3	45.1 45.4 43.6 42.3	43.7 43.6 44.0 44.0	1. 1. 1. 1. 1. 1. 1. 1. 1. 1. 1. 1. 1. 1	46.0 45.1 45.3 45.3
Tw2	42.1 44.1 42.2 41.3	42.2 42.5 42.7 42.5	43.6 43.2 43.8 44.7 43.0	44.2 43.6 43.7 43.7
I M	44.3 45.3 43.9	44 45.0 445.3 45.3	46.1 46.0 47.0 47.8	47.5 46.9 47.1 47.4
RUN #	7 t t t t t t t t t t t t t t t t t t t	46 47 49 50	51 52 53 54 55	56 57 58 59 60

Table VII.

Comparison of Heat Transfer Coefficients for a Single Uninundated Tube

(Atmospheric Pressure Runs)

(All coefficients in $\forall W/m^2 \cdot {}^{\circ}C$)

RUN #	<u>h</u> 1	$\frac{h_{Nu}}{}$	RUN #	<u></u>	h _{Nu}
1 2 3 4 5 6 7 8 9 10	14.1 13.1 13.6 12.3 12.1 12.7 12.8 12.1 12.3 12.2	11.1 11.2 11.4 11.2 11.1 11.2 11.2 11.2	21 22 23 24 25 26 27 28 29 30	12.1 12.3 12.2 12.4 12.7 12.4 12.7 12.6 12.5	11.0 11.2 11.1 11.1 11.1 11.2 11.2 11.2
11 12 13 14 15 16 17 18 19 20	12.2 12.2 12.2 12.3 12.5 12.2 12.3 12.1 12.3	11.1 11.0 11.1 11.0 11.1 11.0 11.0 11.0	31 32 33 34 35 36 37 39 40	11.6 12.0 12.2 12.3 12.0 12.3 12.4 12.4 12.2	11.0 11.1 11.1 11.1 11.1 11.0 11.0

Table VIII.

Comparison of Heat Transfer Coefficients and Mean Vapor Velocity for a Single Uninundated Tube Under Vacuum Conditions

(all coefficients in kW/m²·°C)

RUN #	V _m	<u>h</u> 1	$\frac{h_{Nu}}{}$	ħ _o
41	5.9	16.3	12.9	18.1
42	6.2	15.6	12.2	18.8
43	5.9	15.7	12.3	18.3
44	6.3	15.9	12.4	18.4
45	5.9	17.2	12.5	18.0
46	8.2	17.2	12.6	20.1
47	8.7	20.9	13.2	20.4
48	8.4	19.2	12.8	20.3
49	7.6	17.9	12.7	19.7
50	8.6	18.7	12.7	20.5
51	9.9	19.4	12.8	20.8
52	8.9	19.1	12.7	20.8
53	9.2	22.2	13.2	21.1
54	7.5	17.4	12.5	20.0
55	8.4	18.3	12.6	20.4
56	9.1	20.7	12.9	21.1
57	9.7	20.9	13.1	21.5
58	9.7	23.1	13.2	21.5
59	9.2	21.6	13.1	21.1
60	9.1	22.0	13.1	21.1
61	8.1	21.1	12.8	20.3

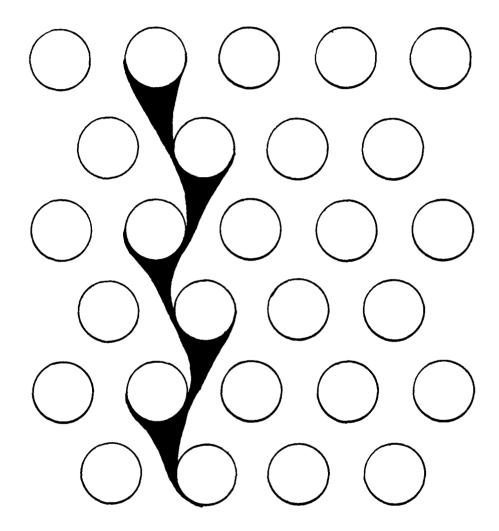
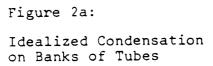


Figure 1: Droplet Path Through a Tube Bundle with Side Drainage





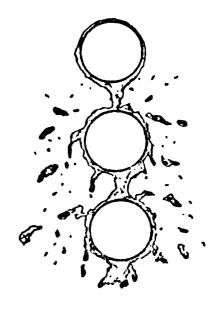
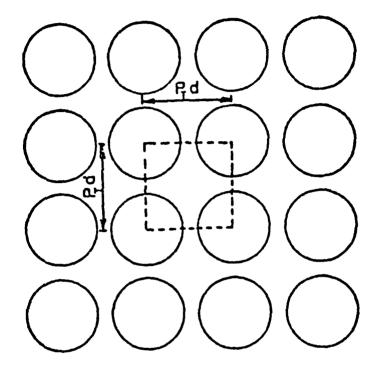
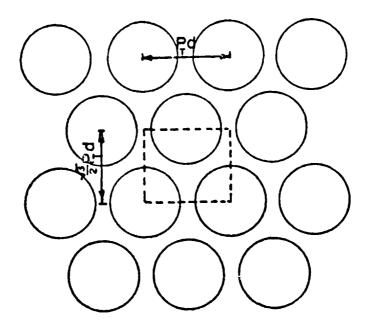


Figure 2b:
More Realistic Picture of Condensation on Banks of Tubes



AREA OF UNIT CELL = $(P_Td)^2$ FREE AREA OF CELL = $d^2 (P_T^2 - \pi/4)$ MEAN FLOW WIDTH = $d (P_T - \pi/4P_T)$ (= FREE AREA/HEIGHT OF CELL)

Figure 3: Mean Flow Width for a Square In-Line Tube Bundle



AREA OF UNIT CELL = $\sqrt{3}$ (P_Td)²/2 FREE AREA OF CELL = d^2 ($\sqrt{3}$ P_T²/2 - π /4) MEAN FLOW WIDTH = d (P_T - π /2 $\sqrt{3}$ P_T) (= FREE AREA/HEIGHT OF CELL)

Figure 4: Mean Flow Width for a Staggered Tube Bundle

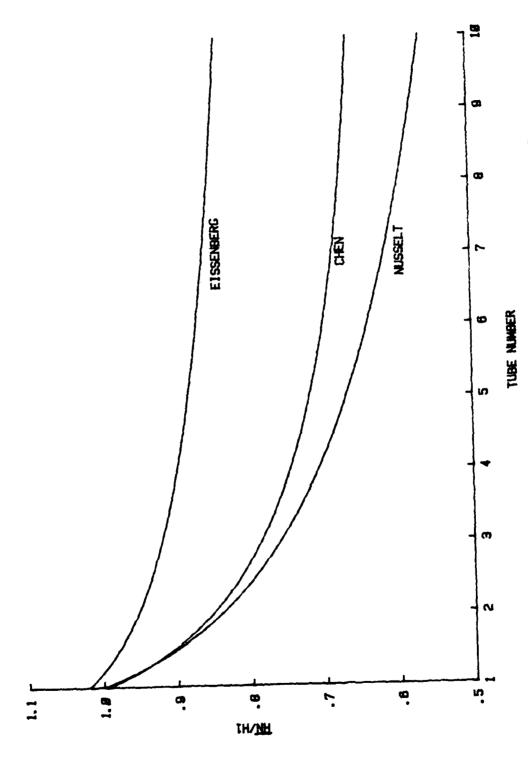


Figure 5: COMPARISON OF PREDICTIONS OF TUBE BUNCLE PERFORMANCE

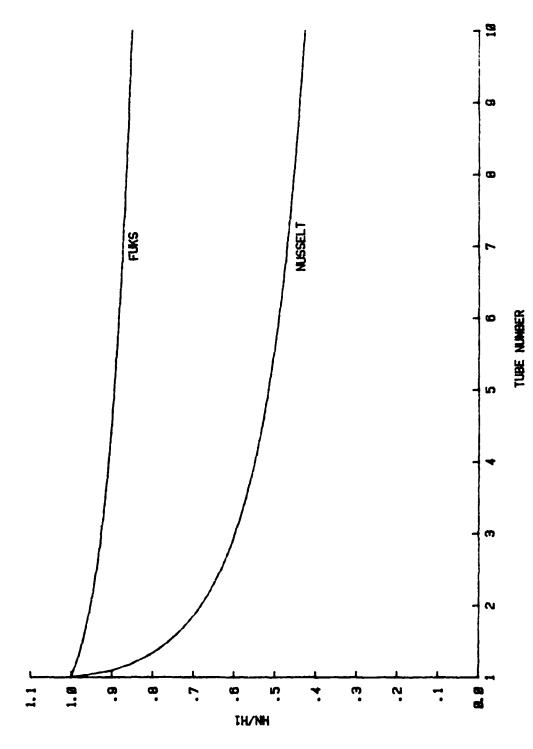
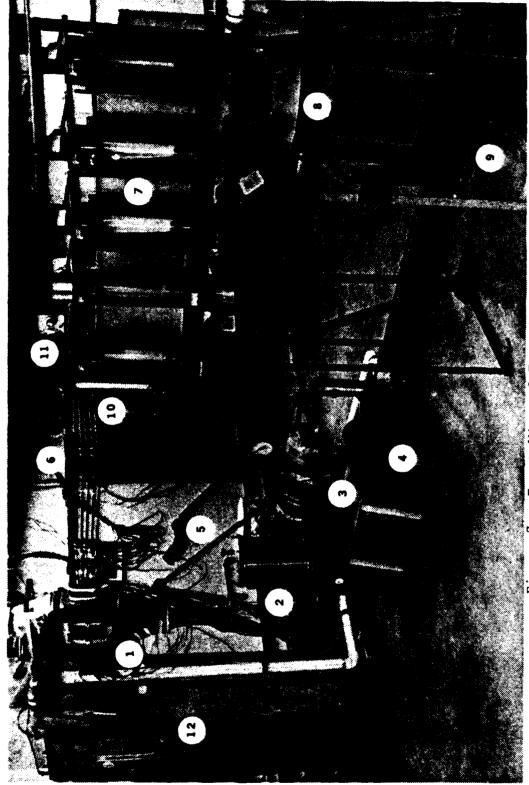
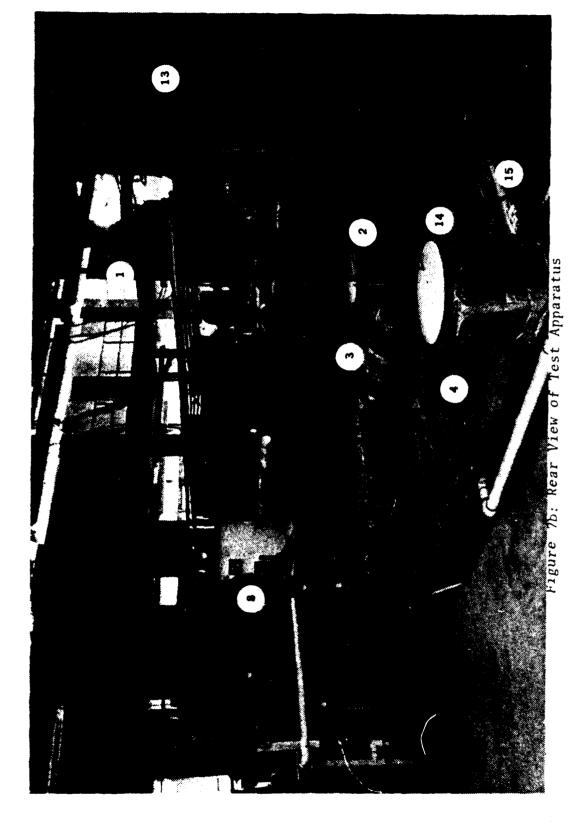


Figure 6: COMPARISON OF PREDICTIONS FOR THE LOCAL HEAT TRANSFER COEFFICIENT

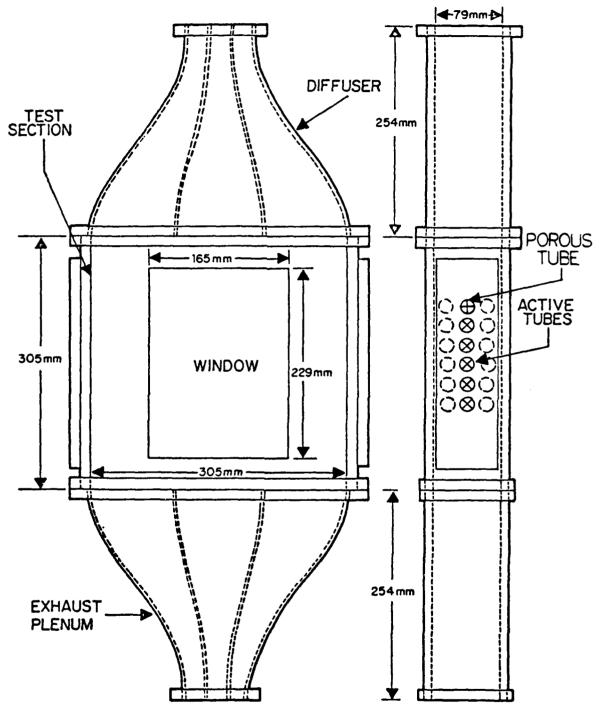


'Igure /a: Front View of Test Apparatus



KEY TO FIGURES 7a AND 7b

- 1. Test Condenser
- 2. Test Condenser Hotwell
- 3. Secondary Condenser
- 4. Secondary Condenser Hotwell
- 5. Test Condenser Steam Exhaust Piping (Small pipe connected for atmospheric pressure run. Larger pipe is used for vacuum runs.)
- 6. Porous Tube Supply Piping (top pipe) and Cooling Water Supply Piping (lower five; note the cooling water inlet thermocouple connections.)
- 7. Cooling Water Rotameters
- 3. Porous Tube Supply Water Tank
- 9. Porous Tube Supply Water Pump
- 10. Porous Tube Rotameter
- 11. Porous Tube Supply Water Temperature Controller
- 12. Test Condenser Manometer
- 13. Desuperheater Tank with Water Spray Nozzles
- 14. Desuperheater Water Supply Tank
- 15. Desuperheater Water Supply Pump



NOTE: ALL COMPONENTS DRAWN TO SCALE

Figure 8: Sketch of Test Condenser

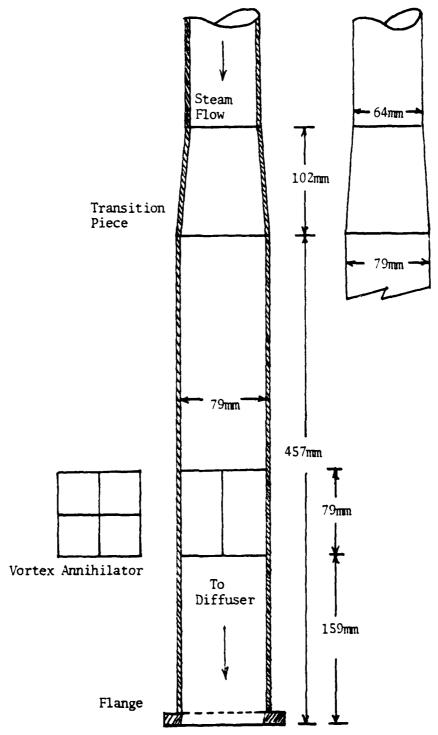


Figure 9: Details of Transition Piece and Vortex Annihilator

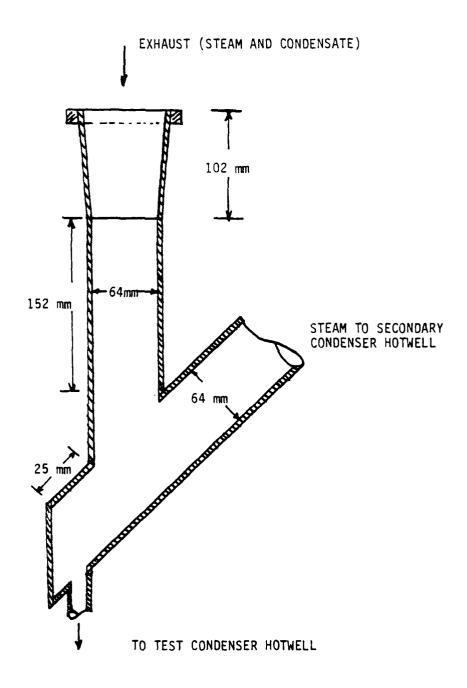


Figure 10: Details of Exhaust and Condensate Piping from the Exhaust Plenum

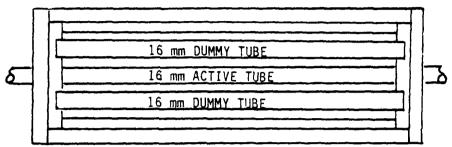


Figure 11: Top View of Test Section

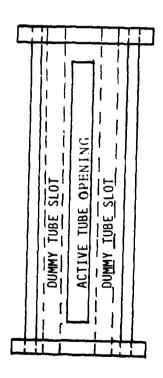


Figure 12: Side View of Test Section

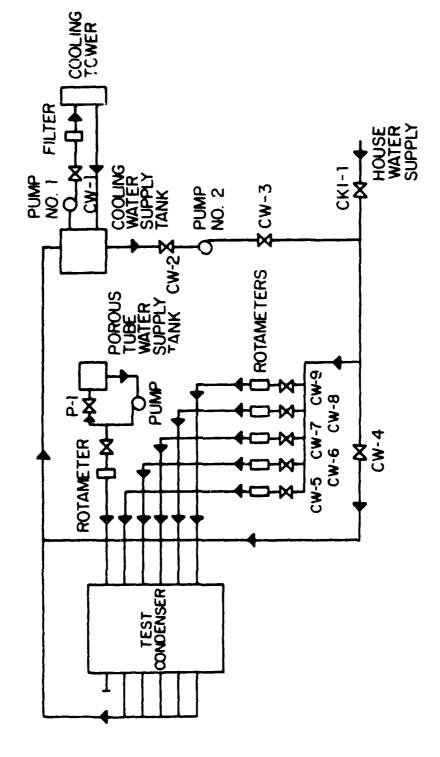


Figure 13: Schematic Diagram of Cooling Water and Porous Tube Water Systems.

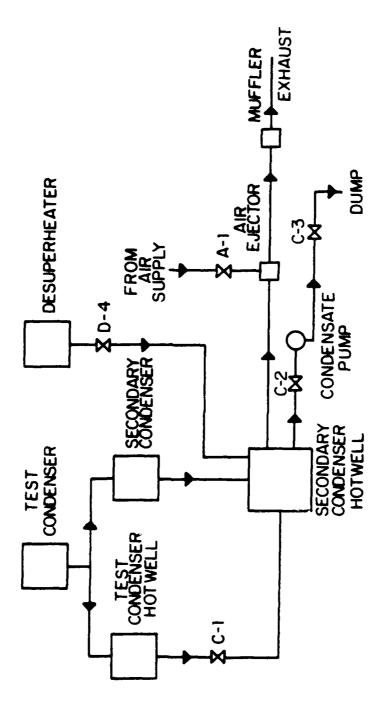


Figure 14: Schematic Diagram of Condensate and Vacuum Systems.

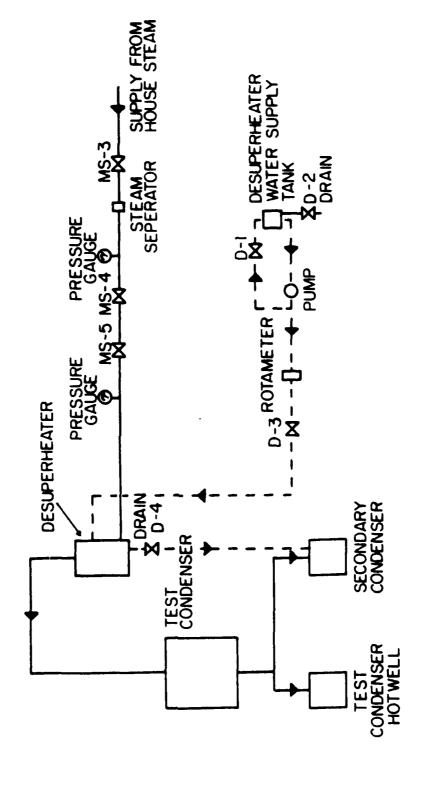


Figure 15: Schematic Diagram of Steam System.

156 O 158 BOTTOM 142 O 140 143 T51 T48 OT50 T49 153 O 154 152 744 145 0 147 146 765, 766 767, 768 COOLING WATER INLET T63, **T**69, **T71**, TEST CONDENSER 760 T61 T62 STEAM) 776, 177, 178 179, 180, 181 182, 183, 184 185, 186, 187 COOL ING WATER OUTLET

Figure 16: Location as Thermocouples.

TEST CONDENSER TUBES

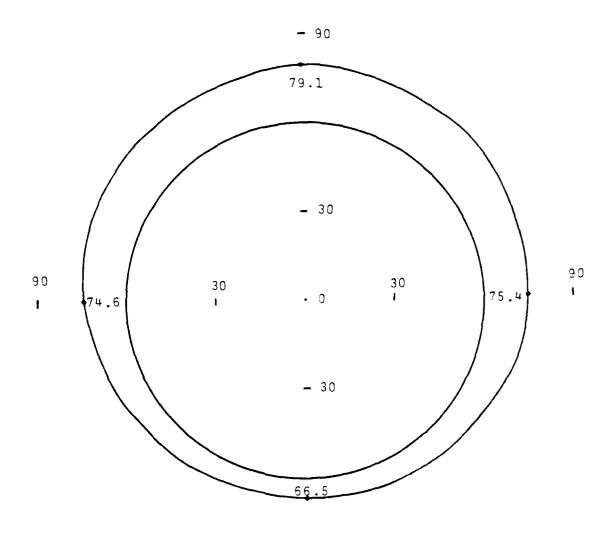
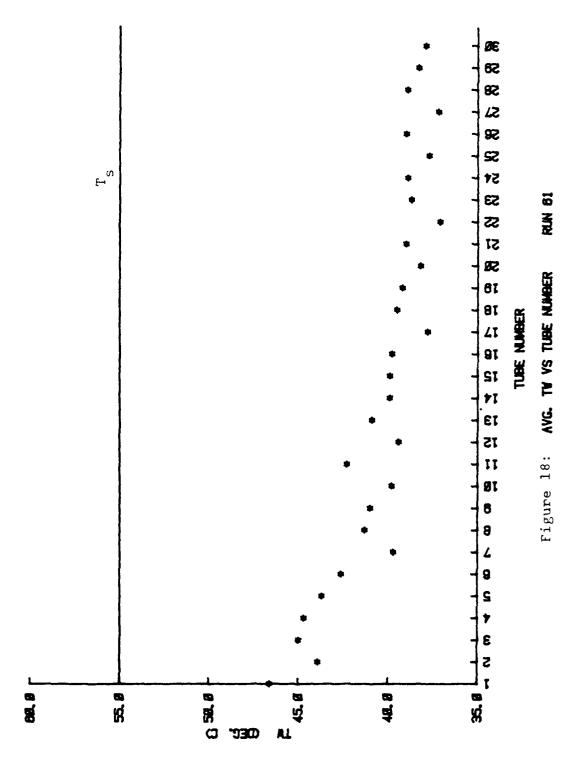
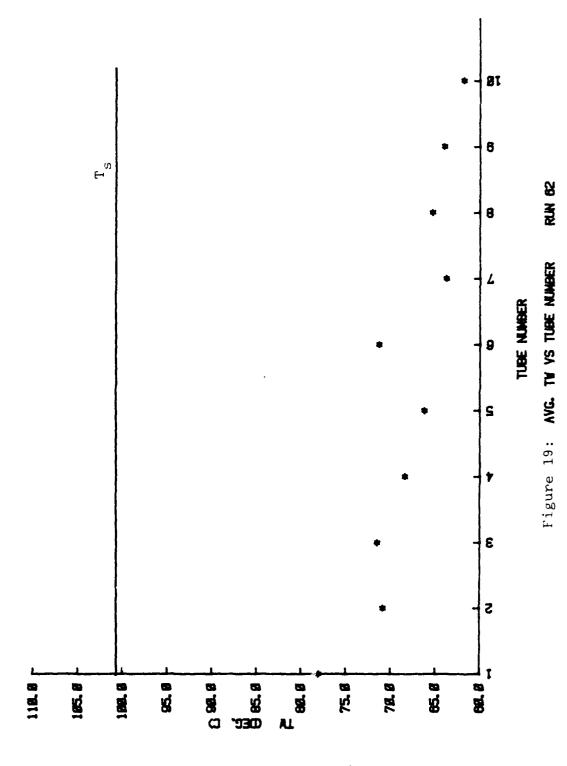
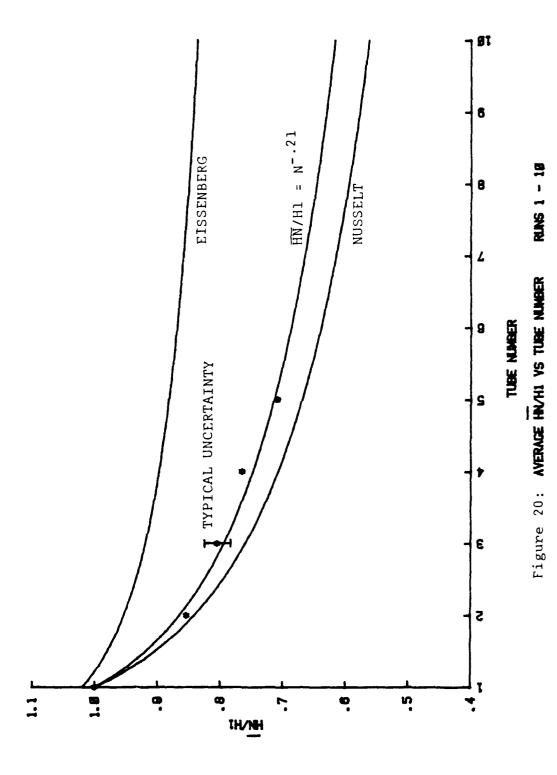


Figure 17: Polar Plot of a Typical Tube Wall Temperature Distribution (Run 7, Tube 3 - Temperatures in °C)

- 90







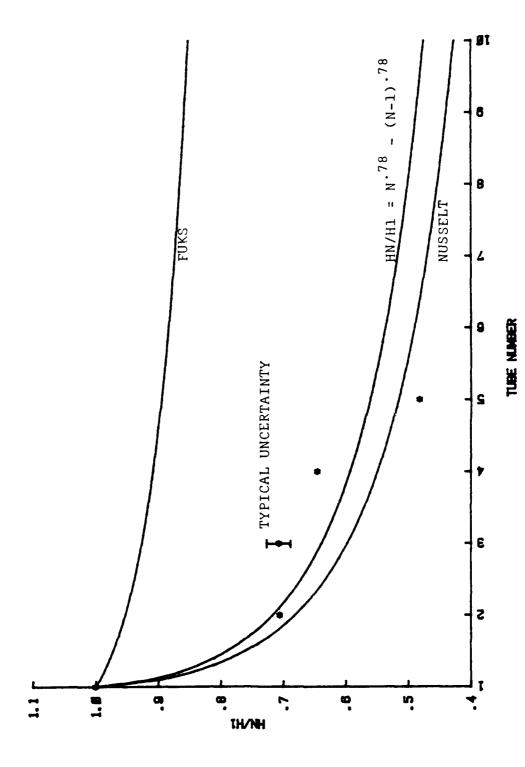
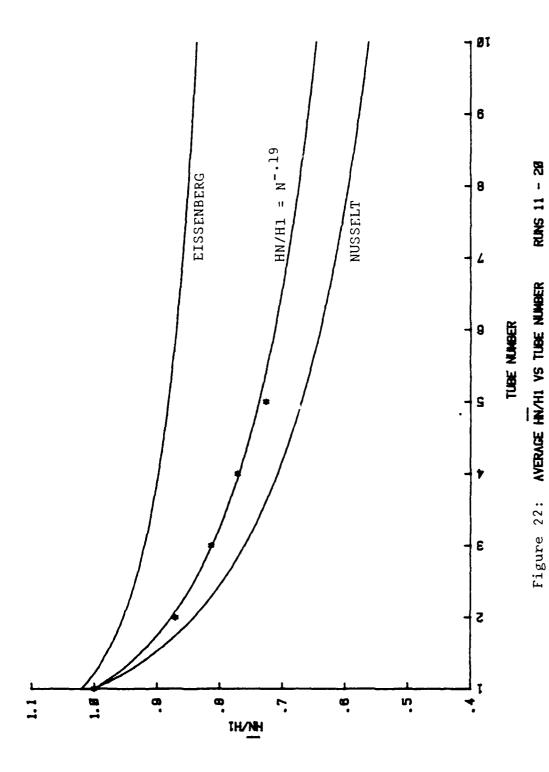
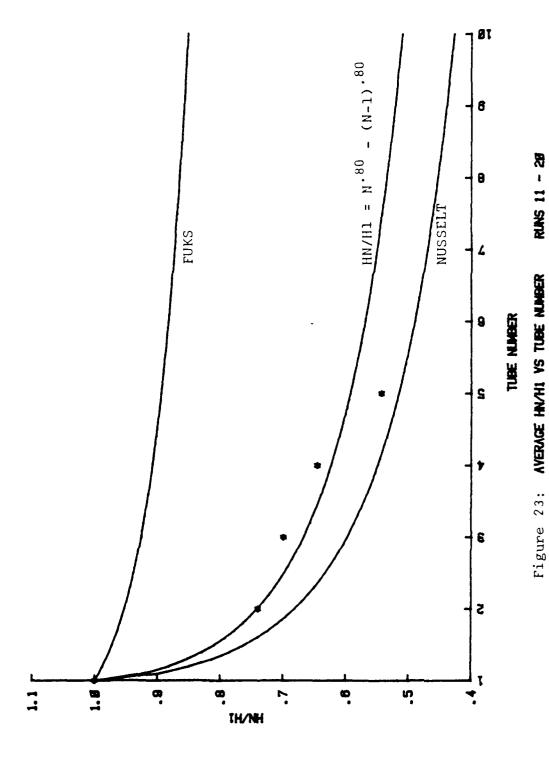
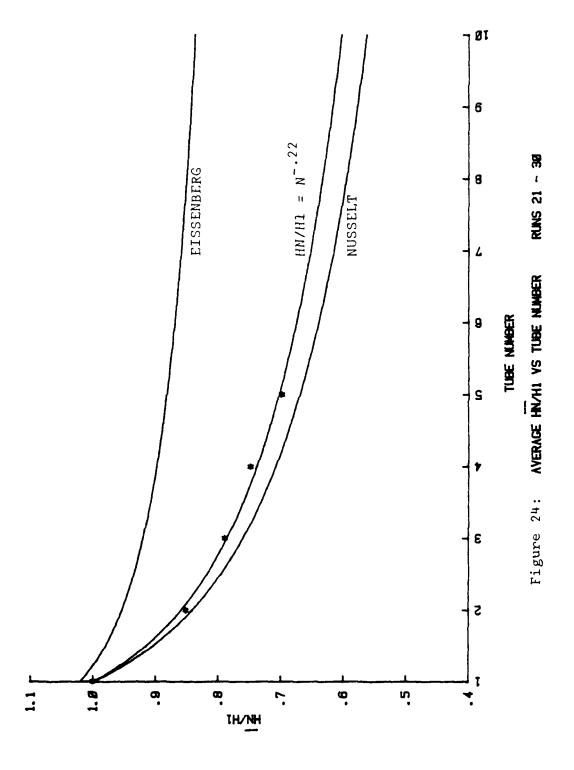


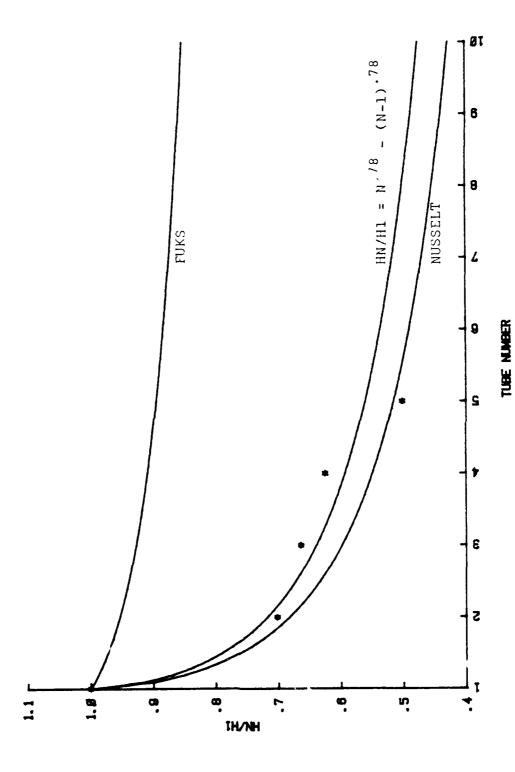
Figure 21: AVERAGE HN/H1 VS TUBE NUMBER

129







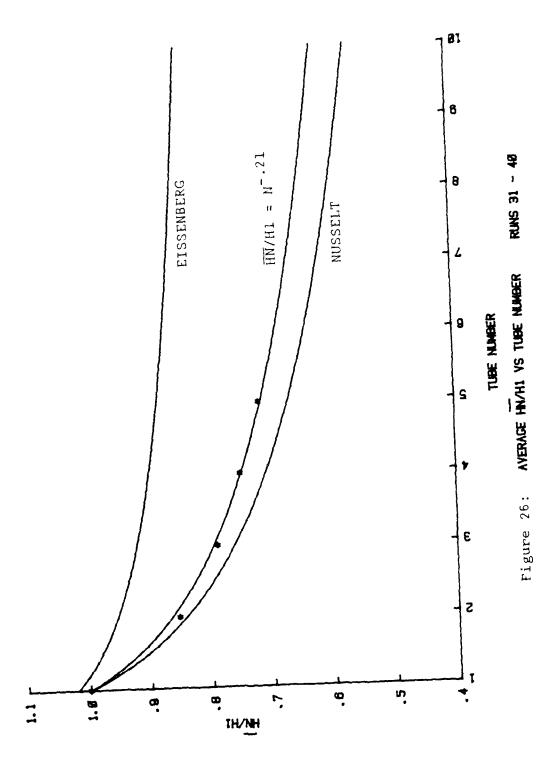


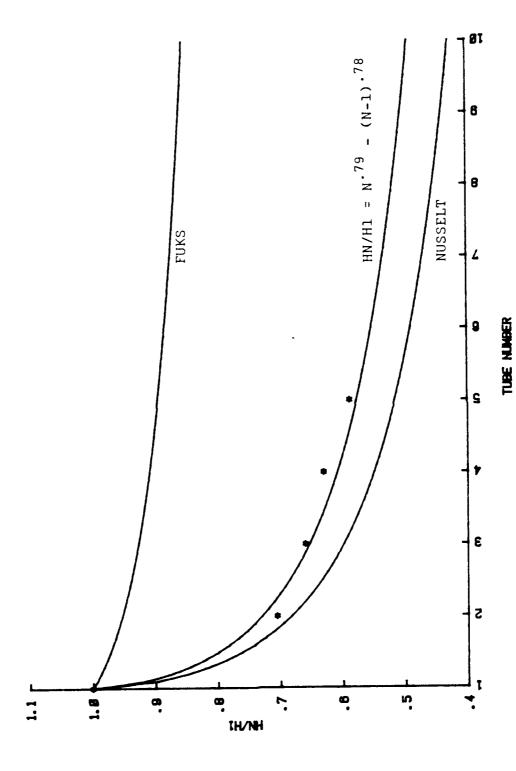
RUNS 21 - 36

AVERAGE HN/H1 VS TUBE NUMBER

Figure 25:

133



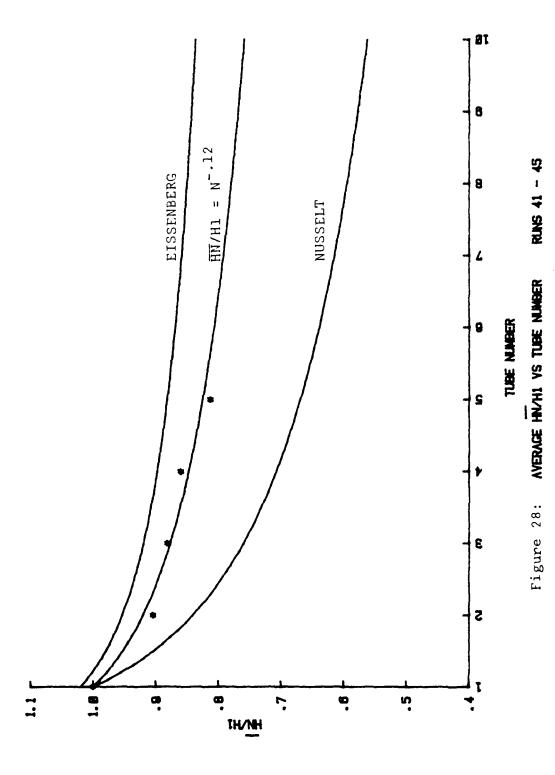


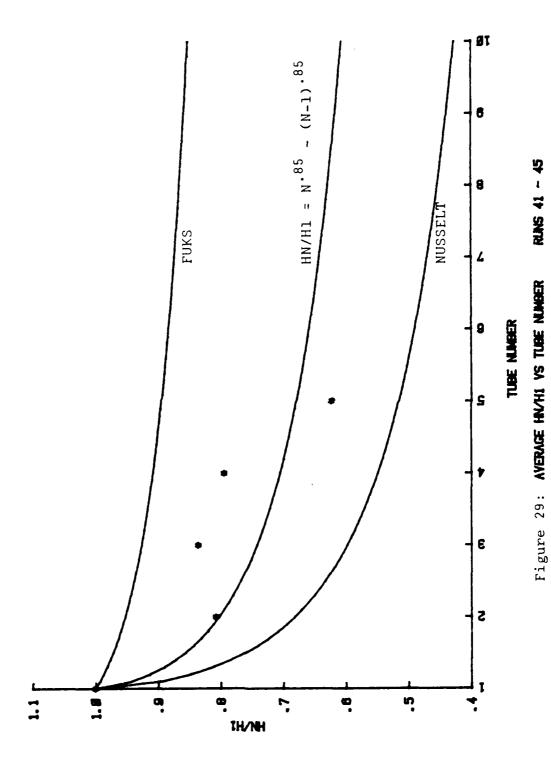
RUNS 31 - 48

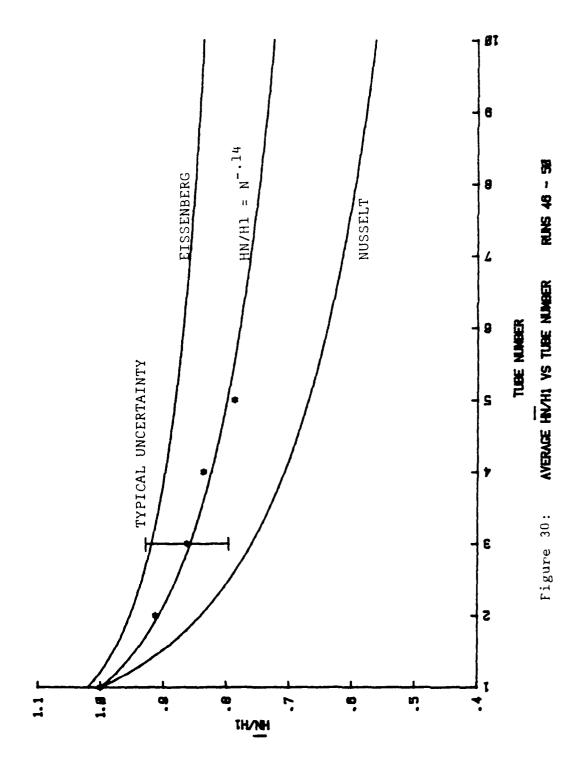
AVERAGE HN/H1 VS TUBE NUMBER

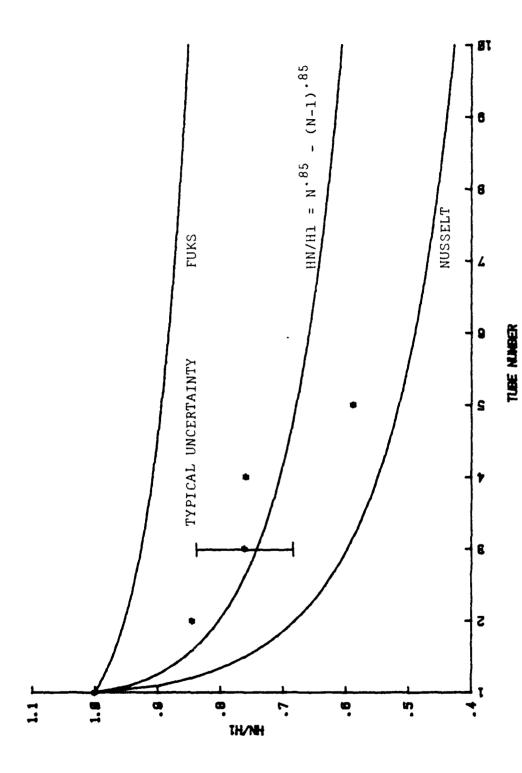
Figure 27:

135



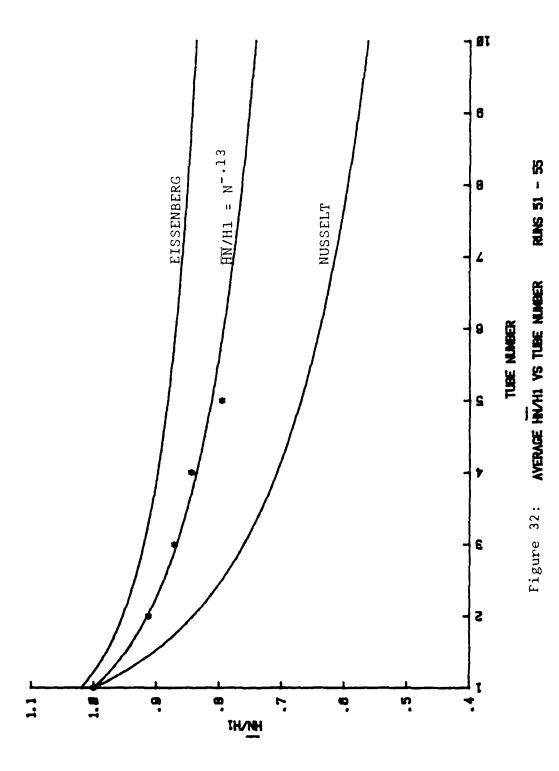


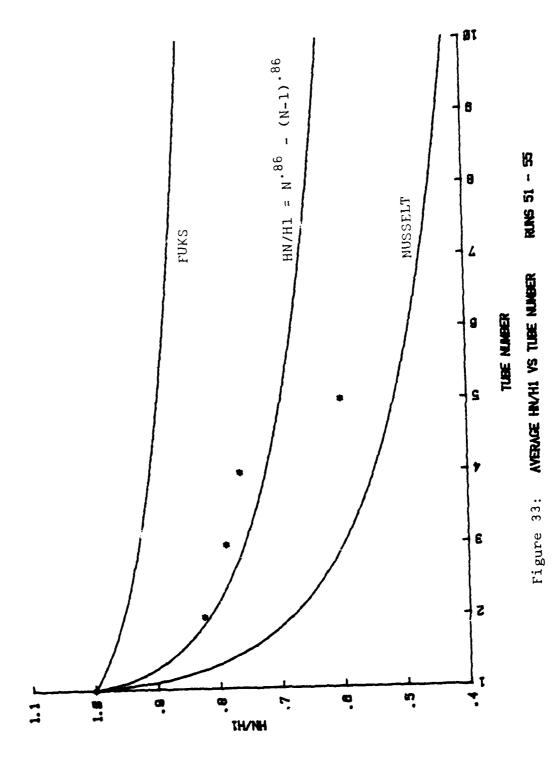


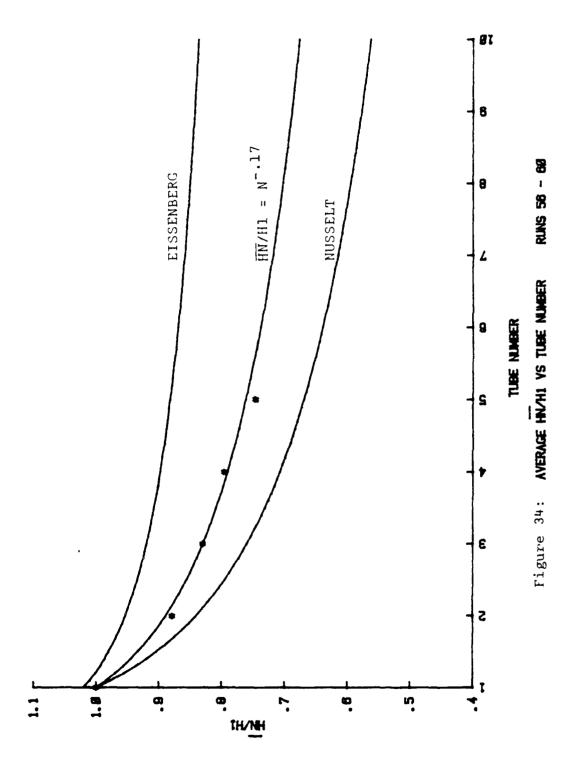


RUNS 46 - 58

Figure 31: AVERAGE HN/H1 VS TUBE NIMBER







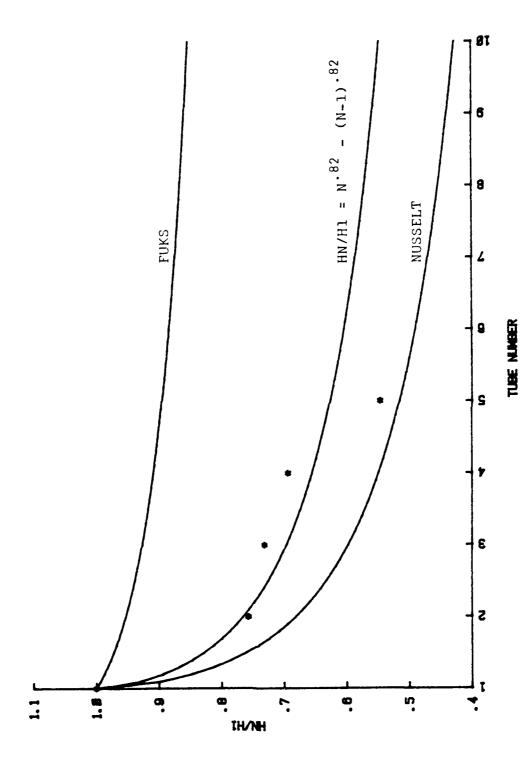
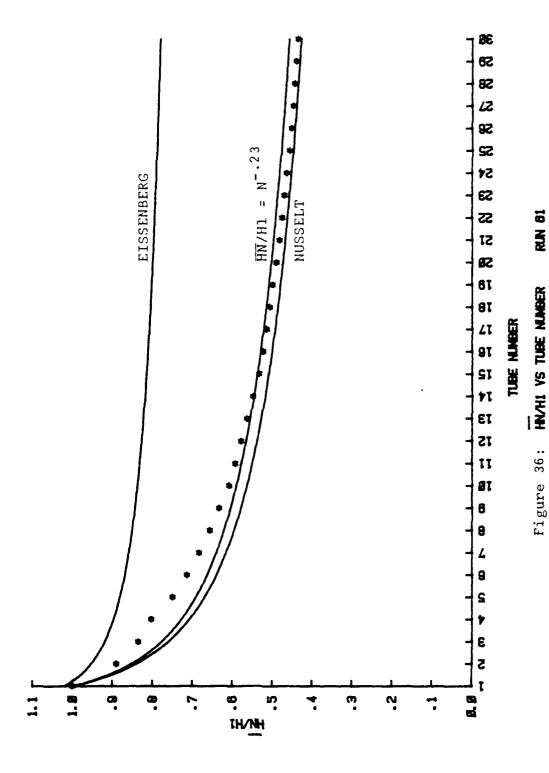
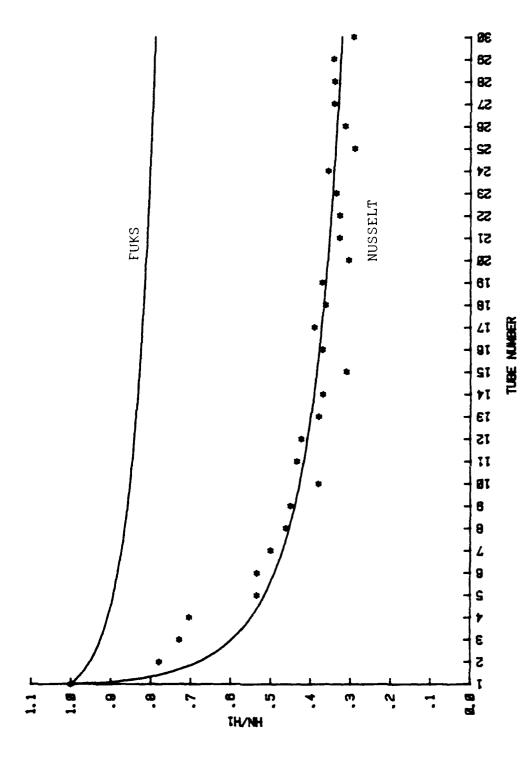


Figure 35: AVERAGE HAVHI VS TUBE NUMBER RUNS 58 - 68



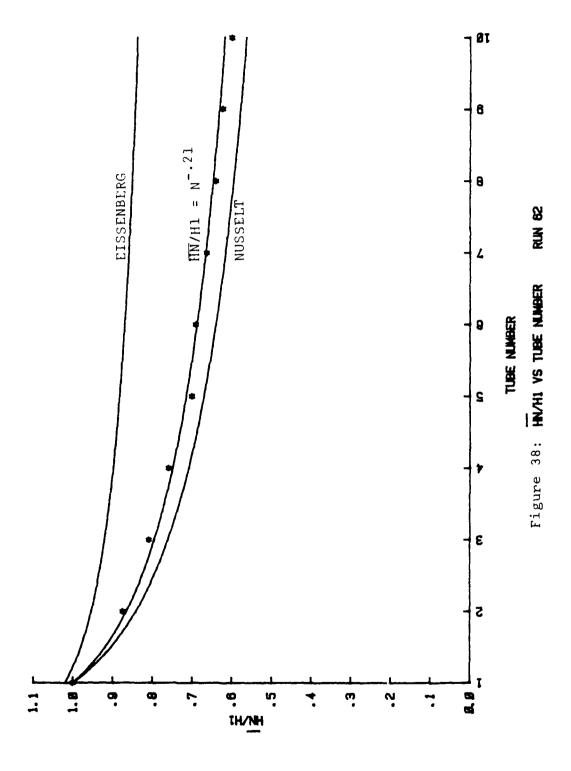


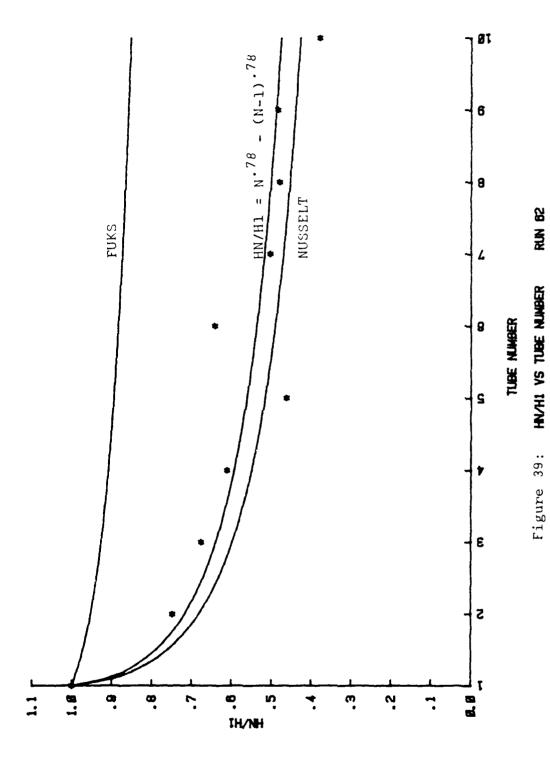
RUN 81

HN/H1 VS TUBE NUMBER

Figure 37:

145





APPENDIX A: OPERATING PROCEDURES

A. INITIAL PROCEDURES

- Energize the main circuit breaker located in Power Panel P-2 on the wall to the right of the test apparatus.
- 2. Energize the circuit breaker on the left side of the old control board by pressing the ON button.
- 3. Energize the following switches in the control panel:
 - a. #1 Porous Tube Water Supply Pump (Feed Pump)
 - b. #2 Outlets
 - c. #3 Hot Water Heater
 - d. #4 Condensate Pump
 - e. #6 Cooling Tower
 - f. #7 Cool Water Pump
- 4. Ensure all test apparatus valves are closed.
- 5. Fill the desuperheater and porous tube condensate supply tanks with distilled water. Set the temperature controller for the porous tube water supply tank at about 50°C, fully open the recirculation valve, P-1, and start the pump to begin heating the water. The controller will have to be reset to the proper supply temperature once steady state conditions are obtained.

- 6. Fill the cooling water supply tank. This can be done by the use of a hose connected to the house water supply, by backfilling with valves CK1-1 and CW-4 open, or by opening valve WS-1 and the water supply valve on the steam hot water heater.
- Start the air compressor following the posted instructions.
- 3. Energize the instrumentation as per Appendix 3.

B. OPERATION

- 1. House Steam
 - a. Open the main supply valve.
 - b. Open valve MS-3 until the pressure gage indicates the desired steam supply pressure.
 - c. Fully open MSD-1 to drain any condensate.
 - d. Open valves MS-4 and MS-5 until the desired steam supply pressure is obtained and readjust MS-3 as necessary.
- 2. Condensate and Vacuum Systems
 - a. Open valve C-4 to supply cooling water to the secondary condenser.
 - b. Open valve A-1 to energize air ejector.
 - c. To collect the condensate in the test condenser hotwell, operate the system with valve C-l closed. After a test run is completed, open valve C-l to drain the condensate into the secondary condenser hotwell.

d. Whenever the secondary condenser hotwell level approaches half full, the hotwell must be pumped when to maintain vacuum. To pump down the hotwell, open valves C-2 and C-3 and start the condensate pump. Secure the pump down by securing the condensate pump and closing valves C-2 and C-3.

3. Cooling Water System

- a. Open valves CW-1, CW-2, and CW-3.
- b. Ensure valves CK1-1 and CW-4 are closed.
- c. Energize the two cooling water pumps.
- d. Open valves CW-5, CW-6, CW-7, CW-8, and CW-9 to obtain the desired cooling water rates.

4. Desuperheater System

- a. Start the supply tank pump.
- b. Open the recirculation valve D-1 one turn.
- c. Set the desuperheater rotameter to a 10-20% flow rate by adjusting valve D-3.
- d. Fully open valve D-4.
- e. Depending upon the house steam state point, the desuperheater may or may not be required. The optimum test condenser steam inlet temperature is such that the degree of superheat is less than 10°C. The system is not required when running the test apparatus under atmospheric pressure conditions. The temperature is adjusted by regulating the flow rate of water to the desuperheater spray nozzles via the rotameter.

- 5. Porous Tube Water Supply System
 - a. Once steady state conditions have been achieved for a run, reset the temperature controller to the proper inundation temperature.
 - b. Adjust the rotameter to the required flow rate for each run. The supply tank recirculation valve may have to be adjusted to achieve the desired flow rate, but should never be fully closed since pump damage and non-uniform water temperature may occur.
 - c. Refill the supply tank as required with distilled water to maintain the tank level above the heating element.

6. Miscellaneous

To maintain a clear test condenser window, open valve A-2 and then energize and adjust the air heater power supply. When securing, always turn off the power supply first and allow the air heater to cool before securing valve A-Z.

C. SECURING THE TEST APPARATUS

- Secure the steam valves MS-5, MS-4, MS-3, and the main supply valve.
- 2. Secure the air compressor.
- 3. Secure the desuperheater by securing the pump and valves D-1 and D-3. Drain the supply tank by opening valve D-2 (if desired).

- 4. Secure the porous tube water supply system by securing the pump, temperature controller, and valves P-1 and P-4. Drain the supply tank by opening valve P-3 (if desired).
- 5. Secure the air ejector by closing valve A-1.
- 6. Secure the test condenser viewing window air heater as prescribed above.
- 7. Secure the instrumentation.
- 8. Allow the test section to cool down for about one-half hour, then secure the cocling water pumps and close valves CS-1, CW-2, CW-3, CW-5, CW-6, CW-7, CW-8, CW-9, and C-4.
- Drain the test condenser and secondary condenser hotwells.
- 10. Secure all circuit breakers.
- 11. Drain the cooling water system piping and rotameters by opening valve CW-10 and cracking open the cooling water rotameter supply valves.
- 12. Drain the cooling water supply tank by opening the drain valve via the remote operating rod.
- 13. Ensure all valves are secured.

APPENDIX B: AUTODATA NINE SCANNER OPERATION

- 1. Plug the power cord into the wall outlet.
- 2. Turn the main power switch on. The pressure transducer power supply has a separate switch, located inside the back door of the Autodata Nine Scanner, which must also be turned on.
- 3. Set the time.
 - a. Place all alarms and output switches in the off position.
 - b. Set the data and time on the thumbwheels.
 - c. Set the display switch to "time."
 - d. Lift the "set time" switch.
- 4. Assigning Multiple Channels
 - a. Set the display switch to "all."
 - b. Check that all alarms and switches are "off."
 - c. Set the scan switch to "continuous."
 - d. Lift the "slow" switch.
 - e. Set the first channel thumbwheels to "000" and the last channel thumbwheels to "001."
 - f. To assign channel "000" and "001," depress and hold the "10V" and "HI RES" buttons for at least one scan and lift the scan start switch to start scanning.

- g. Set the last channel thumbwheels to "039" setting the first channel thumbwheels to "002."
- h. Depress the "skip" button and lift the scan switch to skip channels 00Z through 039.
- i. Set the last channel thumbwheels to "089" before setting the first channel thumbwheels to "040."
- j. To assign channels, depress and hold the "T/ $^{\circ}$ C" and "HI RES" buttons for at least one computer scan.
- k. Set the scan switch to the fast scan position.

5. Interval Scan

- a. Set the thumbwheels to the time interval desired between scans.
- b. Depress the "stop enter" switch.
- c. Set the display switch to "interval."
- d. Depress the "set interval" switch.
- e. Set the scan switch to "interval."
- f. Set the first channel thumbwheels to "000."
- g. Set the last channel thumbwheels to "089."
- h. Lift the "scan start" switch.
- 6. Optional Devices as Required
 - a. Printer on/off.
 - b. Single channel display.

APPENDIX C: UNCERTAINTY ANALYSIS

The general form of the Kline and McClintock [Ref. 23] "second order" equation is used to calculate the uncertainty. If the resultant, R, is some function of the primary variables X, X_2, \ldots, X_n , then the uncertainty is given by.

$$\delta R = \left[\left(\frac{\partial R}{\partial X_1} - \delta X_1 \right)^2 + \left(\frac{\partial R}{\partial X_2} - \delta X_2 \right)^2 + \dots \right]$$

$$+ \left(\frac{\partial R}{\partial X_n} - \delta X_n \right)^2$$
(C-1)

where δX_1 , δX_2 , ..., δX_n are the uncertainties in each of the measured variables X_1 , X_2 , ..., X_n .

1. Uncertainty in the Steam Side Heat Transfer Coefficient,
 h from Equation (11):

$$h = \frac{\dot{m} C_p (T_{co} - T_{ci})}{A (T_s - \overline{T}_w)}$$

Applying Equation (C-1) to the above, the following equation is obtained:

$$\frac{\delta h}{h} = \left[\left(\frac{\delta \dot{m}}{\dot{m}} \right)^2 + \left(\frac{\delta C_p}{C_p} \right)^2 + \left(\frac{\delta T_{co}}{T_{co} - T_{ci}} \right)^2 + \left(\frac{\delta T_{ci}}{T_{co} - T_{ci}} \right)^2 \right]$$

$$+ \left(\frac{\delta A}{A}\right)^{2} + \left(\frac{\delta T_{s}}{T_{s} - \overline{T}_{w}}\right)^{2} + \left(\frac{\delta \overline{T}_{w}}{T_{s} - \overline{T}_{w}}\right)^{2} \right]^{1/2}$$
 (C-2)

The following uncertainties were assigned to the variables:

$$\delta m = 0.01 \text{ kg/s}$$

$$\delta C_D = 0.004 \text{ kJ/kg} \cdot {}^{\circ}C$$

$$\delta T_{CO} = 0.1 \, ^{\circ}C$$

$$\delta T_{ci} = 0.1 \circ C$$

$$\delta A = 0.0001 \text{ m}^2$$

$$\delta T_e = 0.5 \, ^{\circ}C$$

2. Uncertainty in the Normalized Average Heat Transfer Coefficient, $\overline{h_N}/h_1$

The normalized average heat transfer coefficient is obtained for the Nth tube by taking the average of the heat transfer coefficients of the first N tubes and dividing this by the heat transfer coefficient of the first tube:

$$\frac{\overline{h_N}}{h_1} = \frac{(h_1 + h_2 + \dots + h_N)/N}{h_1}$$

Applying Equation (C-1) to the above, the following equation results:

where

N =the tube number.

The uncertainties for δh_1 and δh_i (i = 1, 2, ...N) are obtained from Equation (C-2). For example:

$$\frac{\delta(\overline{h_5}/h_1)}{(\overline{h_5}/h_1)} \stackrel{!}{=} \left[\left(\frac{\delta h_1}{h_1 + h_2 + h_3 + h_4 + h_5} \right)^2 + \left(\frac{\delta h_2}{h_1 + h_2 + h_3 + h_4 + h_5} \right)^2 + \left(\frac{\delta h_4}{h_1 + h_2 + h_3 + h_4 + h_5} \right)^2 + \left(\frac{\delta h_4}{h_1 + h_2 + h_3 + h_4 + h_5} \right)^2 + \left(\frac{\delta h_5}{h_1 + h_2 + h_3 + h_4 + h_5} \right)^2 + \left(\frac{\delta h_5}{h_1 + h_2 + h_3 + h_4 + h_5} \right)^2 + \left(\frac{\delta h_1}{h_1} \right)^2 \right]^{1/2}$$

3. Uncertainty in the Averaged Normalized Average Heat Transfer Coefficient, $(\overline{h_N}/h_1)$

This coefficient is simply $\overline{h_N}/h_1$ averaged for X number of runs:

$$\left(\begin{array}{c} \overline{h_{\overline{N}}} \end{array}\right) = \frac{1}{X} \quad \stackrel{X}{\underset{i=1}{\Sigma}} \quad \left(\begin{array}{c} \overline{h_{\overline{N}}} \\ h_{\overline{1}} \end{array}\right)_{i}$$

Applying Equation (C-1) to the above, the following equation results:

$$\frac{\delta(\overline{h_N/h_1})}{(\overline{h_N/h_1})} = \left\{ \begin{bmatrix} X \\ \Sigma \\ i=1 \end{bmatrix} \left(\frac{\delta(h_N/h_1)_i}{X (h_N/h_1)_i} \right)^2 \right\}^{1/2} \text{ for } N \ge 2$$

$$i=1$$

$$0 \qquad \text{for } N = 1$$

The uncertainties for the $\delta(\overline{h_N}/h_1)_1$ terms are obtained from Equation (C-3). For example for the third tube and five runs:

$$N = 3$$
 and $X = 5$

$$\frac{\delta(\overline{h_3/h_1})}{(\overline{h_3/h_1})} = \left[\left(\frac{\delta(\overline{h_3/h_1})_1}{5(\overline{h_3/h_1})_i} \right)^2 + \left(\frac{\delta(\overline{h_3/h_1})_2}{5(\overline{h_3/h_1})_i} \right)^2 \right]$$

$$+ \left(\frac{\frac{\delta(\overline{h_3}/h_1)_3}{5(\overline{h_3}/h_1)_i}}{\frac{5}{5}(\overline{h_3}/h_1)_i} \right)^2 + \left(\frac{\frac{\delta(\overline{h_3}/h_1)_4}{5(\overline{h_3}/h_1)}}{\frac{5}{5}(\overline{h_3}/h_1)} \right)^2$$

$$= 1$$

$$+\left(\frac{\frac{\delta(\bar{h}_{3}/h_{1})_{5}}{5(\bar{h}_{3}/h_{1})_{i}}}{\sum_{i=1}^{5(\bar{h}_{3}/h_{1})_{i}}}\right)^{2}$$

where
$$\sum_{i=1}^{5} (\overline{h_3}/h_1)_i = (\frac{\overline{h_3}}{\overline{h_1}})_1 + (\frac{\overline{h_3}}{\overline{h_1}})_2 + (\frac{\overline{h_3}}{\overline{h_1}})_3$$

$$+ (\frac{\overline{h_3}}{\overline{h_1}})_4 + (\frac{\overline{h_3}}{\overline{h_1}})_5$$

4. Uncertainties for the Normalized Local Heat Transfer Coefficient, $h_{\rm N}/h_{\rm l}$

This coefficient is simply the heat transfer coefficient of a given tube, N, divided by that of the first tube or, for the fifth tube, N=5 and:

$$\frac{h_N}{h_1} = \frac{h_5}{h_1}$$

An application of Equation (C-1) results in the following equation:

$$\frac{\delta(h_N/h_1)}{(h_N/h_1)} + \left\{ \left[\left(\frac{\delta h_1}{h_1} \right)^2 + \left(\frac{\delta h_N}{h_N} \right)^2 \right]^{1/2}$$
 for $N \ge 2$ (C-6)

Where the δh_1 and δh_N values are obtained from Equation (C-2). For example:

$$\frac{\delta(h_2/h_1)}{(h_2/h_1)} = \left[\left(\frac{\delta h_1}{h_1} \right)^2 + \left(\frac{\delta h_2}{h_2} \right)^2 \right]^{1/2}$$

$$\frac{\delta(h_5/h_1)}{(h_5/h_1)} = \left[\left(\frac{\delta h_1}{h_1} \right)^2 + \left(\frac{\delta h_5}{h_5} \right)^2 \right]^{1/2}$$

5. Uncertainties for the Averaged Normalized Local Heat Transfer Coefficient, $(\overline{h_N/h_1})$

This coefficient is simply the $\mathbf{h}_{N}/\mathbf{h}_{1}$ values averaged for X number of runs:

$$\left(\frac{\overline{h_N}}{h_1}\right) = \frac{1}{X} \times \sum_{i=1}^{X} \left(\frac{h_N}{h_1}\right)_i$$

Applying Equation (C-1) to the above, results in the following equation (which is similar to Equation (C-4):

$$\frac{\delta(\overline{h_N/h_1})}{(\overline{h_N/h_1})} = \left\{ \begin{bmatrix} X \\ \Sigma \\ i=1 \end{bmatrix} \left(\frac{\delta(h_N/h_1)_i}{\overline{X}(h_N/h_1)_i} \right)^2 \right\}$$
 for $N \ge 2$ (C-7)

Where the $\delta(h_N/h_1)_i$ values are obtained from Equation (C-6). Note that Equation (C-7) has the exact form as Equation (C-4) but with the $(\overline{h_N}/h_1)_i$ terms replaced by $(h_N/h_1)_i$ terms.

6. Uncertainties in Nusselt's Single Tube Heat Transfer Coefficient, $h_{\rm Min}$

From Equation (1):

$$h_{Nu} = .725 \left[\frac{k^3 \rho(\rho - \rho_v) h_{fg} g}{\mu D (T_s - \overline{T}_w)} \right]^{1/4}$$

Applying Equation (C-1) to the above and considering $\rho_{_{\mbox{$V$}}}$ negligible in relation to $\rho_{_{\mbox{$V$}}}$ the following equation results:

$$\frac{\delta h_{\text{Nu}}}{h_{\text{Nu}}} = \left[\left(\frac{3}{4} + \frac{\delta K}{V} \right)^2 + \left(\frac{1}{2} - \frac{\delta \rho}{\rho} \right)^2 + \left(\frac{1}{4} + \frac{\delta h_{\text{fg}}}{h_{\text{fg}}} \right)^2 + \left(\frac{1}{4} + \frac{\delta g}{g} \right)^2 \right]$$

$$+ \left(1/4 \frac{\delta \mu}{\mu}\right)^{2} + \left(1/4 \frac{\delta D}{D}\right)^{2} + \left(1/4 \frac{\delta T_{s}}{(T_{s} - \overline{T}_{w})}\right)^{2}$$

$$+ \left(1/4 \frac{\delta \overline{T}_{w}}{(T_{s} - \overline{T}_{w})}\right)^{2}$$

$$(C-8)$$

The following uncertainties were assigned to the variables:

$$\delta k = \pm 0.001 \text{ w/m} \cdot {}^{\circ}\text{C}$$

$$\delta \rho = \pm 0.1 \text{ kg/m}^2$$

$$\delta h_{fg} = \pm 0.1 \text{ kJ/kg}$$

$$\delta g = \pm 0.001 \text{ m/s}^2$$

$$\delta \mu = \pm 1 \times 10^{-6} \text{ kg/m·s}$$

$$\delta D = \pm 0.0001 \text{ m}$$

$$\delta T_{S} = \pm 1.0^{\circ} C$$

$$\delta T_{M} = \pm 1.0^{\circ} C$$

7. Uncertainties in Fujii's Correlation

From Equation (9) one can obtain:

$$h_0 = 10.74 \frac{k_L}{d_0} \left(\frac{U_{\infty} d_0}{v_L} \right)^{0.312}$$

where

$$U_{\infty} \stackrel{:}{=} V_{m} = \frac{\dot{m}_{COND} v}{A_{mf}}$$
 from Equation (12).

Applying Equation (C-1) to the equation for \boldsymbol{V}_{m} one obtains the following equation:

$$\frac{\delta V_{m}}{V_{m}} = \left[\left(\frac{\delta \dot{m}_{COND}}{\dot{m}_{COND}} \right)^{2} + \left(\frac{\delta V}{V} \right)^{2} + \left(\frac{\delta A_{mf}}{A_{mf}} \right)^{2} \right]^{1/2}$$
(C-9)

The following uncertainties were assigned to the variables:

$$\delta m_{COND} = \pm 0.0005 \text{ kg/s}$$

 $\delta v = \pm 0.01 \text{ m}^3/\text{kg}$
 $\delta A_{mf} = \pm 0.0001 \text{ m}^2$

Applying Equation (C-1) to Equation (9), as modified above, results in the equation:

$$\frac{\delta h_o}{h_o} = \left[\left(\frac{\delta k_L}{k_L} \right)^2 + \left(.688 \frac{\delta d_o}{d_o} \right)^2 + \left(.312 \frac{\delta V_m}{V_m} \right)^2 + \left(.312 \frac{\delta V_L}{V_L} \right)^2 \right]^{1/2}$$
(C-10)

The following uncertainties were assigned to the variables:

$$\delta k_r = \pm 0.001 \text{ w/m} \cdot {}^{\circ}\text{C}$$

$$\delta d_0 = \pm 0.0001 \text{ m}$$

$$\delta v_{\tau} = \pm 1 \times 10^{-9} \text{ m}^2/\text{s}$$

 δV_{m} is obtained from Equation (C-9).

3. Uncertainties in the Heat Flux, q

From Equation (10):

$$q = \dot{m} C_{D} (T_{CO} - T_{Ci})$$

Apply Equation (C-1) to the above results in the equation:

$$\frac{\delta q}{q} = \left[\left(\frac{\delta \dot{m}}{\dot{m}} \right)^2 + \left(\frac{\delta C_p}{C_p} \right)^2 + \left(\frac{\delta T_{co}}{T_{co} - T_{ci}} \right)^2 + \left(\frac{\delta T_{ci}}{T_{co} - T_{ci}} \right)^2 \right]^{1/2}$$
 (C-11)

The following uncertainties were assigned to the variables:

$$\delta \dot{m} = \pm 0.01 \text{ kg/s}$$

$$\delta C_p = \pm 0.004 \text{ kJ/kg} \cdot {}^{\circ}C$$

$$\delta T_{CO} = \pm 0.1 \, ^{\circ}C$$

$$\delta T_{Ci} = \pm 0.1 \, ^{\circ}C$$

9. Uncertainties in the Heat Flux Per Unit Area

$$q/A = \frac{\dot{m} C_p (T_{co} - T_{ci})}{A}$$

Applying Equation (C-1) to the above results in the equation:

$$\frac{\delta_{Q}/A}{Q/A} = \left[\left(\frac{\delta \dot{m}}{\dot{m}} \right)^2 + \left(\frac{\delta C_{p}}{C_{p}} \right)^2 + \left(\frac{\delta T_{co}}{T_{co} - T_{ci}} \right)^2 + \left(\frac{\delta T_{ci}}{T_{co} - T_{ci}} \right)^2 + \left(\frac{\delta A}{A} \right)^2 \right]^{1/2}$$

or

$$\frac{\delta q/A}{q/A} = \left[\left(\frac{\delta q}{q} \right)^2 + \left(\frac{\delta A}{A} \right)^2 \right]^{1/2}$$
 (C-12)

where

 δq is obtained from Equation (C-11)

 $\delta A = 0.0001 \text{ m}^2$.

Tables C-I and C-II present uncertainty values for various runs. From the tables, the following uncertainties can be assigned to the calculated results of this study:

For atmospheric pressure runs:

$$\delta h = \pm 0.7 \text{ kw/m}^2 \cdot ^{\circ}\text{C}$$

$$\delta \frac{\overline{h_N}}{h_1} \doteq \pm 0.07$$

$$\delta \frac{h_N}{h_1} \doteq \pm 0.07$$

$$\delta\left(\frac{\overline{h_N}}{h_1}\right) = \pm 0.02$$

$$\delta\left(\frac{h_N}{h_1}\right) \doteq \pm 0.02$$

$$\delta h_{Nu} = \pm 0.1 \text{ kw/m}^2 \cdot ^{\circ}C$$

$$\delta q/A = \pm 20 \text{ kw/m}^2$$

For vacuum runs:

$$\delta h = \pm 2.3 \text{ kw/m}^2 \cdot {}^{\circ}\text{C}$$

$$\delta \frac{\overline{h_N}}{h_1} = \pm 0.17$$

$$\delta \frac{h_{N}}{h_{1}} \doteq \pm 0.17$$

$$\delta\left(\frac{\overline{h_N}}{h_1}\right) = \pm 0.07$$

$$\delta\left(\frac{\overline{h_N}}{\overline{h_1}}\right) \doteq \pm 0.08$$

$$\delta h_{Nu} = \pm 0.5 \text{ kw/m}^2 \cdot {}^{\circ}\text{C}$$

$$\delta h_0 = \pm 0.3 \text{ kw/m}^2 \cdot ^{\circ}C$$

$$\delta V_{m} = \pm 0.4 \text{ m/s}$$

$$\delta_{\rm q}/A = \pm 10 \text{ kw/m}^2$$

Table C-I

Uncertainties for Runs 1-10 and 46-50 0.08 0.07 0.06 0.06 0 0.08 0.07 0.06 0.06 0 0.08 0.07 0.07 (0₀ (kw/m² 1.0 0.6 0.7 0.6 0.6 1.1 0.7 0.7 0.6 0.6 TUBE RUN #

$\pm \delta \left(\frac{h_N}{h_1} \right)$	1 1	1	l t	t 1	!	1	1	í	l	;	j	j I	1	1	1	1	1	1	1	1	!	1	}	1
$\pm \delta \left(\frac{h_N}{h_1} \right)$; ;	1 1	1 1	1	!	1	!	1	1	! !	1	!	1	1	1	;	(1	§]	1	{	;	f I	1) 1
$\begin{array}{c} h_{N} \\ \pm \delta h_{1} \end{array}$	0.0	0.08	0.07	0.05	0.0	0.07	0.07	0.07	0.05	0.0	0.07	0.08	0.07	90.0	0.0	0.07	80.0	0.07	0.05	0.0	0.07	80.0	0.07	0.05
ton ton	0.0 0.08	0.08	0.07	90.0	0.0	0.08	0.07	0.07	90.0	0.0	80.0	0.07	0.07	90.0	0.0	0.08	0.07	0.07	90.0	0.0	0.08	0.07	0.07	90.0
±6h (kw/m² · ^O C)	1.0	0.7	9.0	* .0	1.0	9.0	0.7	9.0	h. 0	0.9	9.0	0.7	9.0	0.5	1.0	9.0	0.7	9.0	0.5	1.0	9.0	0.7	9.0	ħ.0
TUBE #	4 6									7												ო		
RUN	9				7					æ					თ					10				

$\pm \delta \left(\frac{h_N}{h_1} \right)$	0.0 0.02 0.02 0.02	11111	11111	11111	11111
$\pm \delta \left(\begin{array}{c} h_{\overline{N}} \\ h_{\overline{1}} \end{array} \right)$	0.0 0.02 0.02 0.03			11111	
16 h	11111	0.0 0.17 0.18 0.18	6.0 0.20 0.20 0.19 0.14	0.0 0.19 0.18 0.18	0.0 0.19 0.18 0.19 0.14
16 h	1111	0.0 0.18 0.17 0.16	0.0 0.22 0.19 0.18	0.0 0.20 0.18 0.16	0.0 0.20 0.18 0.17 0.15
±8h (Kw/m ² ·°C)	11111	3.0 2.1 2.0 1.5	4.2 2.5 2.7 2.4 1.8	3.5 2.2 2.3 1.6	3.2 2.0 2.2 2.2 1.5
TUBE #	2 + 3 5 1	5 5 4 3	1 2 5 4 3	1 2 5 4 3	1 2 3 5 4
RUN #	1-10	94	47	& +	64

$^{\frac{1}{2}} \delta \left(\frac{h_N}{h_1} \right)$! !	1	ŀ	1	1	0.0	0.08	0.08	0.08	0 0	
$\pm 6 \left(\frac{h_N^-}{h_1^-} \right)$	ļ	;	;	;	;	0.0	60.0	0.07	0.07	20 0	0.0
+ 6 h N	0.0	0.20	0.18	0.17	0.14	;	!	!	ŧ		!!
+6h1	0.0	0.20	0.18	0.16	0.15	1	ļ	! #		ļ	l I
±8h (Kw/m ² ·°C)	3,3	2.2	2.1	2.1	1.6	I]]	t	! !	ŧ	!
TUBE #		, 0	ı m) ച	- ഹ	_	⊣	7 6	n <u>-</u>	+	S
RUN #	5.0)				0 1	00-04				

Table C-II
Selected Uncertainties for Top Tubes

	±8h _{Nu}	±8h _o	± 8 V m	±8q/A
RUN #	$(kw/m^2 \cdot {}^{\circ}C)$	$(kw/m^2 \cdot {}^{\circ}C)$	(m/s)	(kw/m^2)
1	0.1			20
11	0.1			20
21	0.1			20
31	0.1			20
41	0.5	0.5	0.4	9
46	0.5	0.3	0.3	9
51	0.5	0.3	0.4	10
56	0.5	0.3	0.3	10

APPENDIX D: SAMPLE CALCULATIONS

The following illustrates the calculation procedures of this study. Tubes 1 and 2 of runs 1 and 46 were chosen as examples. The data used came from Tables II and III; while, the uncertainties were obtained from Appendix C and Tables C-I and C-II thereto.

A. ATMOSPHERIC PRESSURE RUN EXAMPLE, RUN 1

1.
$$q = \dot{m} C_p(T_{co}-T_{ci}), q/A = \dot{m} C_p(T_{co}-T_{ci})/A$$

Tube 1

$$\dot{m} = 10.977 \text{ kg/min} = 0.18295 \text{ kg/s}$$

$$T_{co} = 33.5^{\circ}C$$
 $T_{ci} = 27.1^{\circ}C$

$$T_B = (T_{co} + T_{ci})/2 = 30.3^{\circ}C$$

$$C_{D}$$
 (at 30.3°C) = 4.180 kJ/kg·°C

$$q = 4.8942784 \text{ kw}$$

$$A = \pi(.3048)(.0159) \text{ m}^2$$

$$q/A = 321.45983 \text{ kw/m}^2$$

$$\delta a/A = \pm 20 \text{ kw/m}^2$$

$$q/A = 320 \pm 20 \text{ kw/m}^2$$

Tube 2

$$\dot{m} = 0.18295 \text{ kg/s}$$

$$T_{co} = 33.0^{\circ}C$$
 $T_{ci} = 27.2^{\circ}C$ $T_{B} = 30.1^{\circ}C$

$$C_D = 4.180 \text{ kJ/kg} \cdot {}^{\circ}\text{C}$$

$$q = 4.4354398 \text{ kw}$$

A =
$$\pi(.3048)(.0159) \text{ m}^2$$

 $q/A = 291.32297 \text{ kw/m}^2$
 $\delta q/A = \pm 20 \text{ kw/m}^2$
 $q/A = 290 \pm 20 \text{ kw/m}^2$

2. $h = q/A (T_s - \overline{T}_w)$

Tube 1

$$T_s = 101^{\circ}C$$
 $\overline{T}_w = 78.2^{\circ}C$
 $q/A = 320 \pm 20 \text{ kw/m}^2$
 $h_1 = 14.035088 \text{ kw/m}^2 \cdot {}^{\circ}C$
 $\delta h_1 = 1.1 \text{ kw/m}^2 \cdot {}^{\circ}C$
 $h_1 = 14.0 \pm 1.1 \text{ kw/m}^2 \cdot {}^{\circ}C$

Tube 2

$$T_s = 101^{\circ}C$$
 $\overline{T}_w = 70.7^{\circ}C$
 $q/A = 290 \pm 20 \text{ kw/m}^2$
 $h_2 = 9.5709571 \text{ kw/m}^2 \cdot {}^{\circ}C$
 $\delta h_2 = 0.7 \text{ kw/m}^2 \cdot {}^{\circ}C$
 $h_2 = 9.6 \pm 0.7 \text{ kw/m}^2 \cdot {}^{\circ}C$

3.
$$h_N/h_1 = h_2/h_1$$

 $h_2/h_1 = 9.6/14.0 = 0.6857$
 $\delta h_2/h_1 = \pm 0.07$
 $h_2/h_1 = 0.68 \pm 0.07$

4.
$$\overline{h_N}/h_1 = \overline{h_2}/h_1$$

 $\overline{h_2} = (h_1 + h_2)/2 = (14.0 - 9.6)/2 = 11.8 \text{ kw/m}^2 \cdot ^{\circ}\text{C}$
 $\overline{h_2}/h_1 = 11.8/14.0 = 0.8428$
 $\delta \overline{h_2}/h_1 = \pm 0.08$
 $\overline{h_2}/h_1 = 0.84 \pm 0.08$

5.
$$(h_N/h_1)$$
 for runs 1-10, tube 2

RUN	h ₂ /h ₁	RUN	$\frac{h_2/h_1}{}$
1	0.68	6	0.77
2	0.62	7	0.67
3	0.71	8	0.69
4	0.76	9	0.68
5	0.73	10	0.69

(Data for runs 2-10 taken from Table V)

$$\frac{10}{(h_2/h_1)} = \frac{1}{10} \quad \stackrel{\Sigma}{i=1} \quad (h_2/h_1)_i = \frac{7.05}{10} = 0.705$$

$$\overline{\delta h_2/h_1}) = \pm 0.02$$

$$(h_2/h_1) = 0.70 \pm 0.02$$

$$\delta \cdot (\overline{h_N/h_1}) = (\overline{h_2/h_1})$$

RUN	h ₂ /h ₁	RUN	$\frac{h_2/h_1}{}$
1	0.84	6	0.88
2	0.81	7	0.84
3	0.86	8	0.85
4	0.88	9	0.84
5	0189	10	0.85

(Data for runs 2-10 taken from Table V)

$$(\overline{h_2/h_1}) = \frac{1}{10} \quad \stackrel{\Sigma}{\underset{i=1}{\Sigma}} (\overline{h_2/h_1})_i = \frac{8.54}{10} = 0.854$$

$$\delta(\overline{h_2/h_1}) = \pm 0.02$$

$$(\overline{h_2/h_1}) = 0.85 \pm 0.02$$

7.
$$h_{Nu}$$
 for tube 1
$$h_{Nu} = .725 \qquad \left[\frac{k^3 \rho(\rho - \rho_V) h_{fg} g}{\mu D (T_S - \overline{T}_W)} \right]_{1/4}$$

$$= .725 \qquad \left[\frac{k^3 \rho^2 h_{fg} g}{\mu D (T_S - \overline{T}_W)} \right]_{1/4}$$

$$T_s = 101^{\circ}C$$
 $T_w = 78.2^{\circ}C$
 $T_f = (T_s + \overline{T}_w)/2 = 89.6^{\circ}C$
 $k = 0.674 \text{ w/m}^{\circ}C$ $\rho = 967.6 \text{ kg/m}^3$
 $h_{fg} = 2,254,300 \text{ J/kg}$ $\mu = 3.19 \text{ x } 10^{-4} \text{ kg/m}^{\circ}S$
 $g = 9.81 \text{ m/s}^2$ $D = 0.0159 \text{ m}$
 $h_{Nu} = 11.094 \text{ kw/m}^2 \cdot {}^{\circ}C$
 $\delta h_{Nu} = \pm 0.1 \text{ kw/m}^2 \cdot {}^{\circ}C$
 $h_{Nu} = 11.1 \pm 0.1 \text{ kw/m}^2 \cdot {}^{\circ}C$

B. VACUUM RUN EXAMPLE, RUN 46

1.
$$q = \hat{m} C_p(T_{co} - T_{ci}), q/A = \hat{m} C_p(T_{co} - T_{ci})/A$$

Tube 1

 $\dot{m} = 0.18295 \text{ kg/s}$

$$T_{co} = 22.2^{\circ}C$$
 $T_{ci} = 19.7^{\circ}C$ $T_{B} = 21.0^{\circ}C$
 $C_{D} = 4.182 \text{ kJ/kg} \cdot {}^{\circ}C$

q = 1.9127423 kw

$$A = \pi(.3048)(.0159) \text{ m}^2$$

$$q/A = 125.63033 \text{ kw/m}^2$$

$$\delta q/A = \pm 10 \text{ kw/m}^2$$

$$q/A = 130 \pm 10 \text{ kw/m}^2$$

Tube 2

$$\dot{m}$$
 = 0.18295 kg/s
 T_{co} = 22.4°C T_{ci} = 19.7°C T_{B} = 21.0°C
 C_{p} = 4.182 kJ/kg.°C

$$q = 2.0657616 \text{ kw}$$

$$A = \pi(.3048)(.0159) \text{ m}^2$$

$$q/A = 135.68075 \text{ kw/m}^2$$

$$\delta q/A = \pm 10 \text{ kw/m}^2$$

$$q/A = 140 \pm 10 \text{ kw/m}^2$$

2.
$$h = q/A (T_s - \overline{T}_w)$$

Tube 1

$$T_{s} = 52.2^{\circ}C$$
 $\overline{T}_{w} = 44.9^{\circ}C$

$$q/A = 130 \pm 10 \text{ kw/m}^2$$

$$h_1 = 17.808219 \text{ kw/m}^2 \cdot ^{\circ}\text{C}$$

$$\delta h_1 = \pm 3.0 \text{ kw/m}^2 \cdot {}^{\circ}\text{C}$$

$$h_1 = 18.0 \pm 3.0 \text{ kw/m}^2 \cdot {}^{\circ}\text{C}$$

Tube 2

$$T_s = 52.2^{\circ}C$$
 $\overline{T}_w = 42.2^{\circ}C$

$$4/A = 140 \pm 10 \text{ kw/m}^2$$

$$h_2 = 14.0 \text{ kw/m}^2.0 \text{C}$$

$$\delta h_2 = \pm 2.1 \text{ kw/m}^2 \cdot {}^{\circ}\text{C}$$

$$h_2 = 14.0 \pm 2.1 \text{ kw/m}^2 \cdot ^{\circ}\text{C}$$

3.
$$h_N/h_1 = h_2/h_1$$

$$h_2/h_1 = 14.0/18.0 = 0.77777778$$

$$\delta h_2/h_1 = \pm 0.17$$

$$h_2/h_1 = 0.78 \pm 0.17$$

4.
$$\overline{h_N}/h_1 = \overline{h_2}/h_1$$

 $\overline{h_2} = (h_1 + h_2)/2 = (18.0 + 14.0)/2 = 16.0 \text{ kw/m}^2 \cdot ^{\circ}\text{C}$
 $\overline{h_2}/h_1 = 16.0/18.0 = 0.88888889$
 $\delta h_2/h_1 = \pm 0.18$
 $\overline{h_2}/h_1 = 0.89 \pm 0.18$

⁵.
$$(\overline{h_N/h_1})$$
 for runs 46-50, tube 2

(Data for runs 47-50 taken from Table V)

$$\frac{1}{(h_2/h_1)} = \frac{1}{5} \sum_{i=1}^{5} (h_2/h_1)_i = 4.12/5 = 0.824$$

$$\delta(\overline{h_2/h_1}) = \pm 0.08$$

$$(h_2/h_1) = 0.82 \pm 0.08$$

6.
$$(\overline{h_N}/h_1)$$
 for runs 46-50, tube 2

(Data for runs 47-50 taken from Table V)

$$(\frac{1}{h_2/h_1}) = \frac{1}{5}$$
 $\sum_{i=1}^{5}$ $(\frac{h_2}{h_1})_i = 4.56/5 = 0.912$

$$\delta(\frac{1}{h_2/h_1}) = \pm 0.09$$

7.
$$h_{\mbox{Nu}}$$
 for tube 1

$$h_{\text{Nu}} = .725 \quad \left[\frac{k^3 \rho^2 h_{\text{fg}} g}{\mu D (T_{\text{s}} - \overline{T}_{\text{w}})} \right]$$

$$T_s = 52.2^{\circ}C$$
 $\overline{T}_w = 44.9^{\circ}C$ $T_f = 48.6^{\circ}C$

$$k = 0.638 \text{ w/m}^{\circ}\text{C}$$
 $\rho = 990.7 \text{ kg/m}^{3}$

$$h_{fg} = 2,377,500 \text{ J/kg}$$
 $\mu = 5.76 \times 10^{-4} \text{ kg/m·s}$

$$g = 9.81 \text{ m/s}^2$$
 D = 0.0159 m

$$h_{Nu} = 12.519 \text{ kw/m}^2 \cdot {}^{\circ}\text{C}$$

$$\delta h_{Nu} = \pm 0.5 \text{ kw/m}^2 \cdot {}^{\circ}\text{C}$$

$$h_{Nu} = 12.5 \pm 0.5 \text{ kw/m}^2 \cdot {}^{\circ}\text{C}$$

в. V_m

$$v_{\rm m} = \dot{m}_{\rm COND} v/A_{\rm mf}$$

$$A_{mf} = N_{c} d (P_{T} - \pi/4P_{T}) L$$

$$N_{c} = 3 1/3$$
 d = 0.0159 m

$$P_{\pi} = 1.5$$
 L = 0.3048 m

$$A_{mf} = 0.01577318 \text{ m}^2$$

$$\delta A_{mf} = \pm 0.0001 \text{ m}^2$$

$$A_{mf} = 0.0158 \pm 0.0001 \text{ m}^2$$

$$\dot{m}_{COND} = [(\dot{v}_{TC} + \dot{v}_{SC}) \times 10^{-6}] \rho$$

$$\dot{v}_{TC}$$
 = 4.32 ml/s \dot{v}_{SC} = 7.69 ml/s

$$\rho = 990.7 \text{ kg/m}^3$$

$$\dot{m}_{COND} = [(4.32 + 7.69) \times 10^{-6} \text{ m}^3/\text{s}] 990.7 \text{ kg/m}^3$$

$$= 1.1876 \times 10^{-2} \text{ kg/s}$$

$$\delta \dot{m}_{COND} = \pm 0.0005 \text{ kg/s}$$

$$\dot{m}_{COND} = 0.0119 \pm 0.0005 \text{ kg/s}$$

$$v = 10.947 \text{ m}^{3}/\text{kg}$$

$$V_{m} = 8.24489 \text{ m/s}$$

$$\delta V_{m} = \pm 0.3 \text{ m/s}$$

$$V_{m} = 8.2 \pm 0.3 \text{ m/s}$$

$$9. h_{o}$$

$$h_{o} = 10.74 \frac{k_{L}}{d_{o}} \left(\frac{V_{m}d_{o}}{v_{L}}\right)^{0.312}$$

$$k_{L} = 0.638 \text{ w/m}^{\circ}C \qquad d_{o} = 0.0159 \text{ m}$$

$$V_{m} = 8.2 \pm 0.3 \text{ m/s} \qquad v_{L} = 0.581 \times 10^{-16} \text{ m}^{2}/\text{s}$$

$$h_{o} = 26.135 \text{ kw/m}^{2} \cdot {}^{\circ}C$$

$$\delta h_{o} = \pm 0.3 \text{ kw/m}^{2} \cdot {}^{\circ}C$$

$$h_{o} = 20.1 \pm 0.3 \text{ kw/m}^{2} \cdot {}^{\circ}C$$

APP'NDIX E: COMPUTER PROGRAM AND DOCUMENTATION

The computer program listed in Table E-1 uses the HP-85 computing system and basic language. The program uses an inter-active approach.

- A. DIRECTIONS/QUESTIONS OF THE COMPUTER PROGRAM

 The following is a list of directions/questions and responses required of the operation:
 - 1. Line 50 "Enter run number." The opertor inputs the number designation of the run.
 - 2. Line 80 "What is the number of tubes?" The operator inputs the number of active tubes simulated in the experiment.
 - 3. Line 130 "Enter water and steam temperatures."

 The operator inputs for each tube the two cooling water inlet temperatures, the three cooling water outlet temperatures, and the steam saturation temperature.
 - 4. Line 150 "Enter tube wall temperatures." The operator inputs for each tube the top, bottom, and averaged center wall temperatures.
 - 5. Line 170 "Enter cooling water mass flow rate and specific heat." The operator inputs the cooling water mass flow rate and specific heat for each tube.

Items 3-5 will be displayed for each active tube.

B. COMPUTATIONS OF THE PROGRAM

- Lines 210-240 The average cooling water inlet and outlet temperatures are calculated.
- 2. Lines 310-315 The heat transferred and heat flux are calculated by:

$$q = \dot{m} C_{p} (T_{co} - T_{ci}) \text{ and,}$$

$$q/A = \dot{m} C_{p} (T_{co} - T_{ci})/A$$

3. Line 330 - The outside neat transfer coefficient is calculated by:

$$h = \frac{q}{A (T_s - \overline{T}_w)}$$

- 4. Lines 340-350 The average heat transfer coefficient is calculated.
- 5. Line 360 The normalized heat transfer coefficient is calculated.

C. DATA OUTPUT

- 1. Line 70 Run number.
- 2. Line 250 Average cooling water outlet temperature.
- 3. Line 260 Average cooling water inlet temperature.
- 4. Line 270 Average tube wall temperature.
- 5. Line 320 Tube number.
- 6. Line 370 Normalized heat transfer coefficient.
- 7. Line 380 Heat transferred.
- 8. Line 381 Heat flux.

- 9. Line 382 The outside heat transfer coefficient.
- 10. Line 383 The average heat transfer coefficient.

D. GRAPHICS OUTPUT

The graphics are plotted using a peripheral plotter.

The operator must ensure that a 8 1/2" x 11" sheet of paper is in the plotter. The program will stop before plotting the graphics and will not commence the graphics output until the "continue" key is pressed.

TABLE E-1: COMPUTER PROGRAM

: COND1 PLOTS HN/H1 VRS TUBE NUMBER
OPTION BASE 1
DIM Q(30), M(30), I1(30), I2(30), O1(30), O2(30),
03(3Ø), I(3Ø), O(3Ø), K(3Ø), T1(3Ø), T2(3Ø), T3(3Ø)
DIM H(30), T0(30), T4(30), T5(30), T6(30), T(30),
C(3Ø), Q1(3Ø)
DISP "ENTER RUN NUMBER"
INPUT V
PRINT "RUN NUMBER IS," V
DISP "WHAT IS THE NUMBER OF TUBES?"
INPUT J
Al = PI * .3Ø48 * .Ø159
K1 = 0
FOR N = 1 TO J
DISP "ENTER WATER AND STEAM TEMPERATURES"
INPUT I1(N), I2(N), O1(N), O2(N), O3(N), TØ(N)
DISP "ENTER TUBE WALL TEMPERATURES"
INPUT T4(N), T5(N), T6(N)
DISP "ENTER COOLING WATER MASS FLOW RATE AND
SPECIFIC HEAT"

180 INPUT M(N), C(N)

190 NEXT N

- 200 FOR N = 1 TO J
- 210 O(N) = (O1(N) + O2(N) + O3(N))/3
- $22\emptyset$ I(N) = (I1(N) + I2(N))/2
- 230 T(N) = (T4(N) + T5(N) + T6(N))/3
- 250 PRINT "O = ", O(N)
- 26Ø PRINT "I = ", I(N)
- 270 PRINT "T = ", T(N)
- 280 PRINT "TØ = ", TØ(N)
- 290 NEXT N
- 300 FOR N = 1 TO J
- 310 Q(N) = M(N) * C(N) * (O(N) I(N))/60
- 315 Q1(N) = Q(N)/A1
- 32Ø PRINT "TUBE NUMBER = ", N
- 330 K(N) = Q(N)/A1/(TØ(N) T(N))
- $34\emptyset \qquad K1 = K1 + K(N)$
- 3500 K2 = K1/N
- 360 H(N) = K2/K(1)
- 37Ø PRINT "N.H.T.C. = ", H(N)
- 380 PRINT "Q = ", Q(N)
- 381 PRINT "Q/A = ", Q1(N)
- 382 PRINT "H = ", K(N)
- 383 PRINT "HN(AVG) = ", K2
- 385 NEXT N
- 390 DISP "ENSURE PAPER IN PLOTTER"
- 400 PAUSE

- 410 PLOTTER IS 705
- 420 LIMIT 32, 235, 28, 182
- 43Ø LOCATE 1Ø, 13Ø, 15, 96
- 44Ø SCALE 1, 3Ø, Ø, 1.1
- 450 FXD 0,1
- 46Ø LAXES 1, .1, 1, Ø, 2, .1
- 47Ø SETGU
- 48Ø MOVE 71, 7.5
- 490 DEG @ LDIR Ø
- 500 LORG 5
- 510 LABEL "TUBE NUMBER"
- 520 MOVE 3, 56.5
- 530 DEG @ LDIR 90
- 54Ø LORG 5
- 550 LABEL "HN/H1"
- 560 MOVE 1, 55
- 57Ø LDIR 9Ø
- 58Ø LORG 5
- 590 LABEL " "
- 600 MOVE 71, 2.5
- 610 LDIR 0
- 620 LORG 5
- 630 LABEL "FIG. HN/H1 VS TUBE NUMBER RUN #," V
- 64Ø MOVE 58, 4.5
- 650 LDIR Ø

- 660 LORG 5
- 67Ø LABEL " _"
- 68Ø SETUV
- 69Ø MOVE 1, 1
- 700 FOR T = 1 TO 30 STEP .1
- 710 $R = T^- .25$
- 720 DRAW T, R
- 730 NEXT T
- 740 MOVE 1, 1
- 750 FOR T = 1 TO 30 STEP .1
- 760 R = .6 + .42 * T ^ .25
- 770 DRAW T, R
- 780 NEXT T
- 790 FOR N = 1 TO J
- 800 MOVE N, H(N)
- 810 LABEL "*"
- 820 NEXT N
- 83Ø END

LIST OF REFERENCES

- 1. Standards for Steam Surface Condensers, 6th ed., Heat Exchange Institute, 1970.
- 2. Standards of Tubular Exchanger Manifacturers Association, 4th ed., Tubular Exchanger Manifacturers Association, Inc., 1959.
- 3. Search, H. T., A Feasibility Study of Heat Transfer Improvement in Marine Steam Condensers, MSME, Naval Postgraduate School, Monterey, California, December 1977.
- 4. Beck, A. C., A Test Facility to Measure Heat Transfer Performance of Advanced Condenser Tubes, MSME, Naval Postgraduate School, Monterey, California, January 1977.
- 5. Pence, D. T., An Experimental Study of Steam Condensation on a Single Horizontal Tube, MSME, Naval Postgraduate School, Monterey, California, March 1978.
- 6. Reilly, D. J., An Experimental Investigation of Enhanced Heat Transfer on Horizontal Condenser Tubes, MSME, Naval Postgraduate School, Monterey, California, March 1978.
- 7. Fenner, J. H., An Experimental Comparison of Enhanced Heat Transfer Condenser Tubing, MSME, Naval Postgraduate School, Monterey, California, September 1978.
- 3. Ciftci, H., An Experimental Study of Filmwise Condensation on Horizontal Enhanced Condenser Tubing, MSME, Naval Postgraduate School, Monterey, California, December 1979.
- 9. Marto, P. J., Reilly, D. J., Fenner, J. H., "An Experimental Comparison of Enhanced Heat Transfer Tubing,"

 Advances in Enhanced Heat Transfer, Proceedings of the 18th National Conference, American Society of Mechanical Engineers, New York, New York, 1979.
- 10. Demirel, I., The Effects of Condensate Inundation on Condensation Heat Transfer in Tube Bundles of Marine Condensers, MSME, Naval Postgraduate School, Monterey, California, December 1980.
- 11. Eshleman, D. E., An Experimental Investigation of the Effect of Condensate Inundation on Heat Transfer in a Horizontal Tube Bundle, MSME, Naval Postgraudate School, Monterey, California, March 1980.

marks the second second second second second second

- 12. Morrison, R. H., A Test Condenser to Measure Condensate Inundation Effects in a Tube Bundle, MSME, Naval Postgraduate School, Monterey, California, March 1981.
- 13. Nobbs, D. W., The Effect of Downward Vapour Velocity and Inundation on the Condensate Rates on Horizontal Tubes and Tube Banks, Ph.D Thesis, University of Bristol, Bristol, England, April 1975.
- 14. Eissenberg, D. M., An Investigation of the Variables
 Affecting Steam Condensation on the Outside of a Horizontal Tube Bundle, Ph.D Thesis, University of Tennessee,
 Knoxville, Tennessee, December 1972.
- 15. Jakob, Max, <u>Heat Transfer</u>, Vol. 1, J. Wiley & Sons, Inc., 1948.
- 16. Kutateladze, S. S., Heat Transfer in Condensation and Boiling, Translated from a publication of the State Scientific and Technical Publishers of Literature on Machinery, Moscow-Leningrad, 1952 for the United States Atomic Energy Commission.
- 17. Shklover, G. G. and Buevich, A. V., "The Mechanism of Film Flow with Steam Condensation in Horizontal Bundles of Tubes," <u>Teploenergetika</u>, 25(4) 62-65, 1978.
- 18. Yung, D., Lorenz, J. J., and Ganic, E. N., "Vapor/Liquid Interaction and Entrainment in Falling Film Evaporators," Transactions of ASME, Vol. 102, February 1980.
- 19. Fuks, S. H., "Heat Transfer with Condensation of Steam Flowing in a Horizontal Tube Bundle," Teploenergetika, 4(1) 35-39, 1957. English Translation NEL 1041, National Engineering Laboratory, East Kilbride.
- 20. Chen, M. M., "An Analytical Study of Laminar Film Condensation: Part 2 Single and Multiple Horizontal Tubes,"
 Journal of Heat Transfer, February 1965.
- 21. Fujii, T., 'Vapor Shear and Condensate Inundation,' Research Institute of Industrial Science, Kijushu University, Fukuoka, Japan, 1979.
- 22. Knudsen, J. G. and Katz, D. L., Fluid Dynamics and Heat Transfer, pp. 332-335, McGraw-Hill Book Company, 1958.
- 23. Kline, S. J. and McClintock, F. A., <u>Describing Uncertainties in Single Sample Experiments</u>, Mech. Engin., Vol. 74, pp. 3-8, January 1953.

INITIAL DISTRIBUTION LIST

		No.	Copies
1.	Defense Technical Information Center Cameron Station Alexandria, Virginia 22314		2
2.	Library, Code 0142 Naval Postgraduate School Monterey, California 93940		2
3.	Department Chairman, Code 69 Department of Mechanical Engineering Naval Postgraduate School Monterey, California 93940		2
4.	Professor P. J. Marto, Code 69Mx Department of Mechanical Engineering Naval Postgraduate School Monterey, California 93940		5
5.	Professor R. H. Nunn, Code 69Nn Department of Mechanical Engineering Naval Postgraduate School Monterey, California 93940		1
6.	Mr. R. W. Kornbau Code 2721 David Taylor Naval Ship Research and Development Center Bethesda, Maryland 20084		2
7.	LT P. J. Noftz, USN (N411) Commander Naval Surface Forces, U.S. Atlantic Fleet Norfolk, Virginia 23511		2
3.	Commander Naval Sea Systems Command Navy Department Washington, DC 20362		1

